



**S.S. PAPANOPULOS & ASSOCIATES, INC.**  
ENVIRONMENTAL AND WATER RESOURCE CONSULTANTS

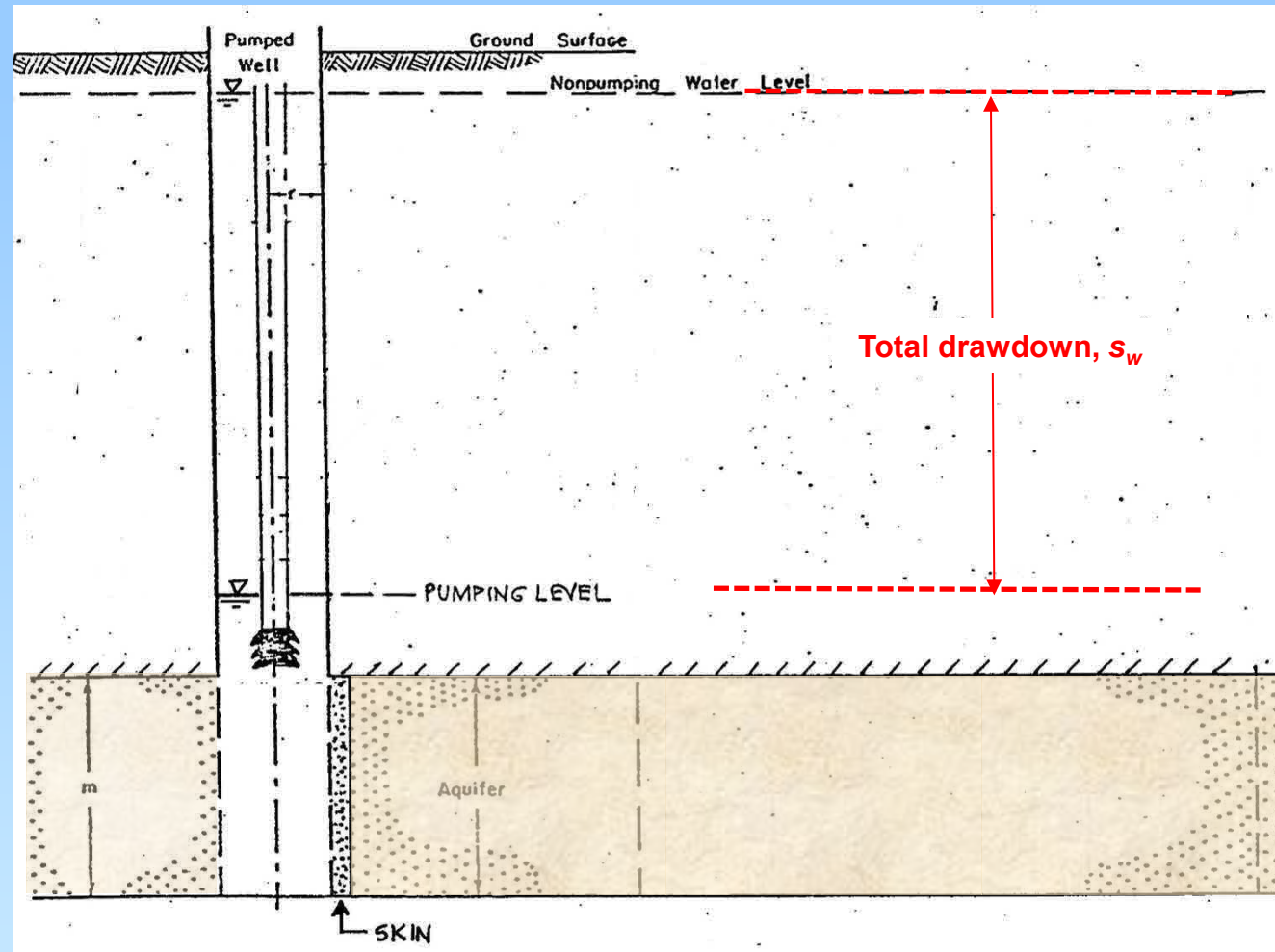
# **The Interpretation of Pumping Well Drawdowns**

**Christopher J. Neville**  
**S.S. Papadopoulos & Associates, Inc.**

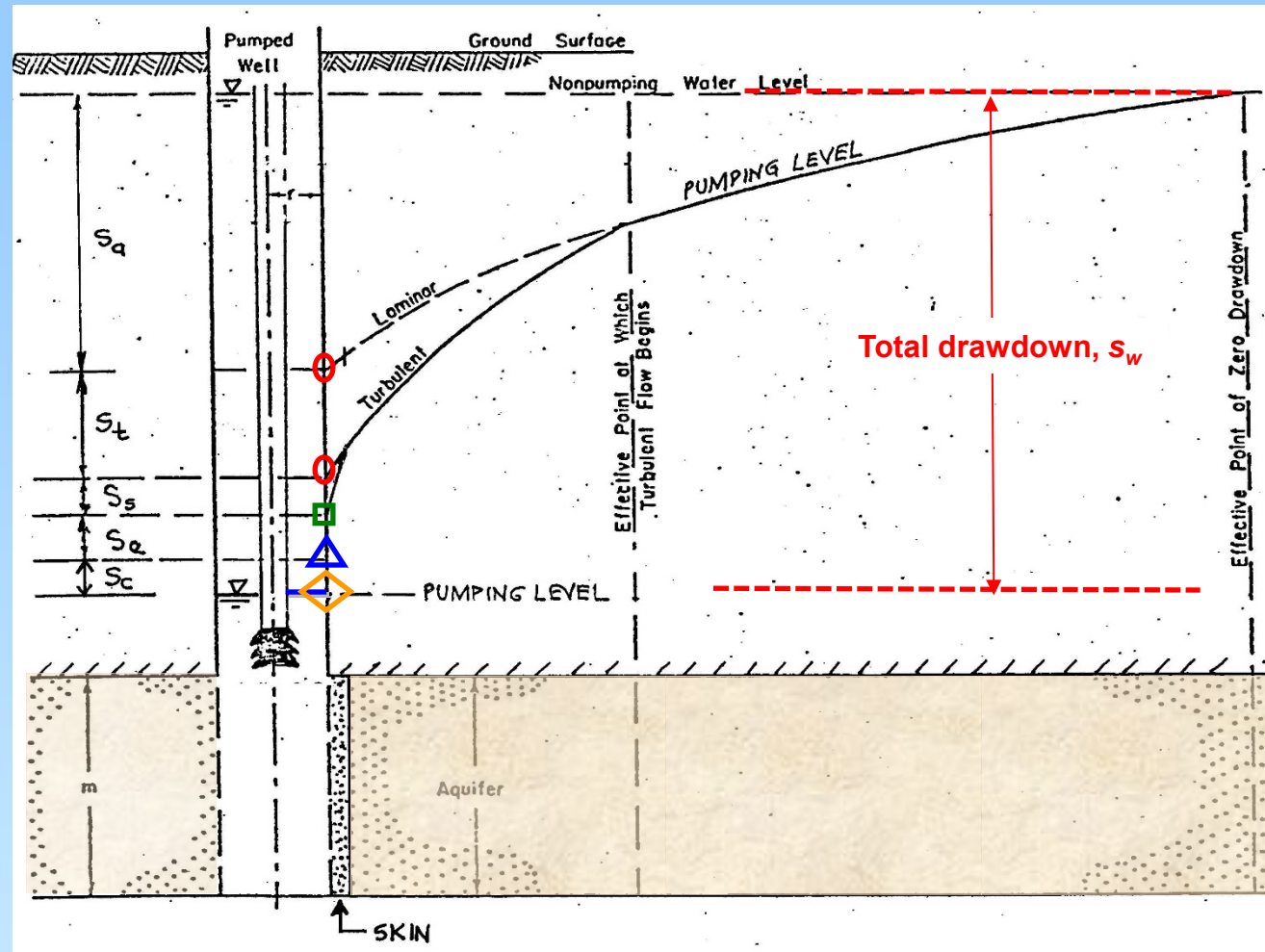
# Outline

1. Overview of the hydraulics of pumping wells
2. Preliminary estimation of transmissivity
3. Extended interpretations of pumping well drawdowns
4. Step tests
5. Synthesis of pumping well and observation well drawdowns
6. Estimating the capacity of a production well

# Overview of the hydraulics of a pumping well



# Components of the drawdown in a pumping well

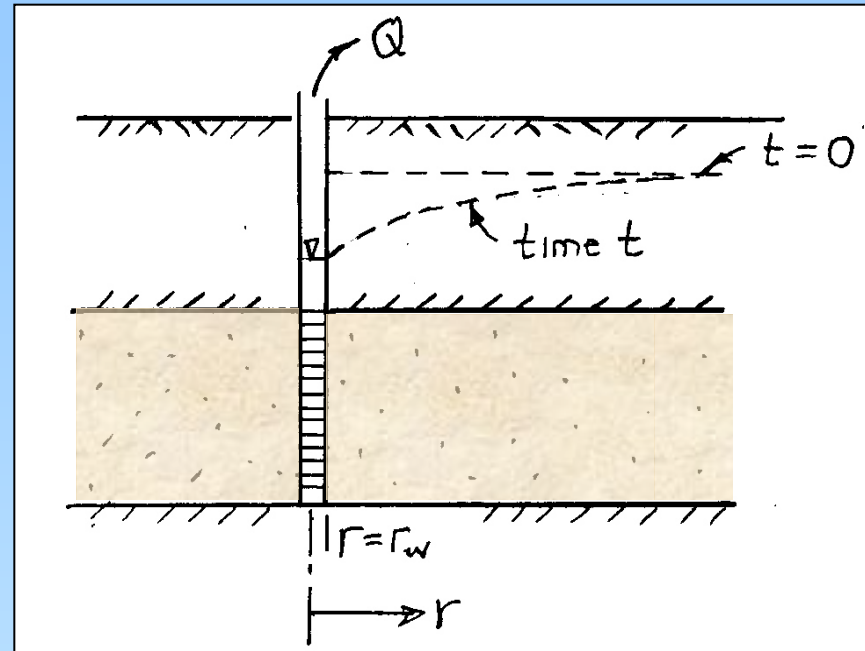


$$s_w(t) = s_a + s_t + s_s + s_e + s_c$$

## Analyses for an ideal well

$$S_w = S_{\text{formation}}$$

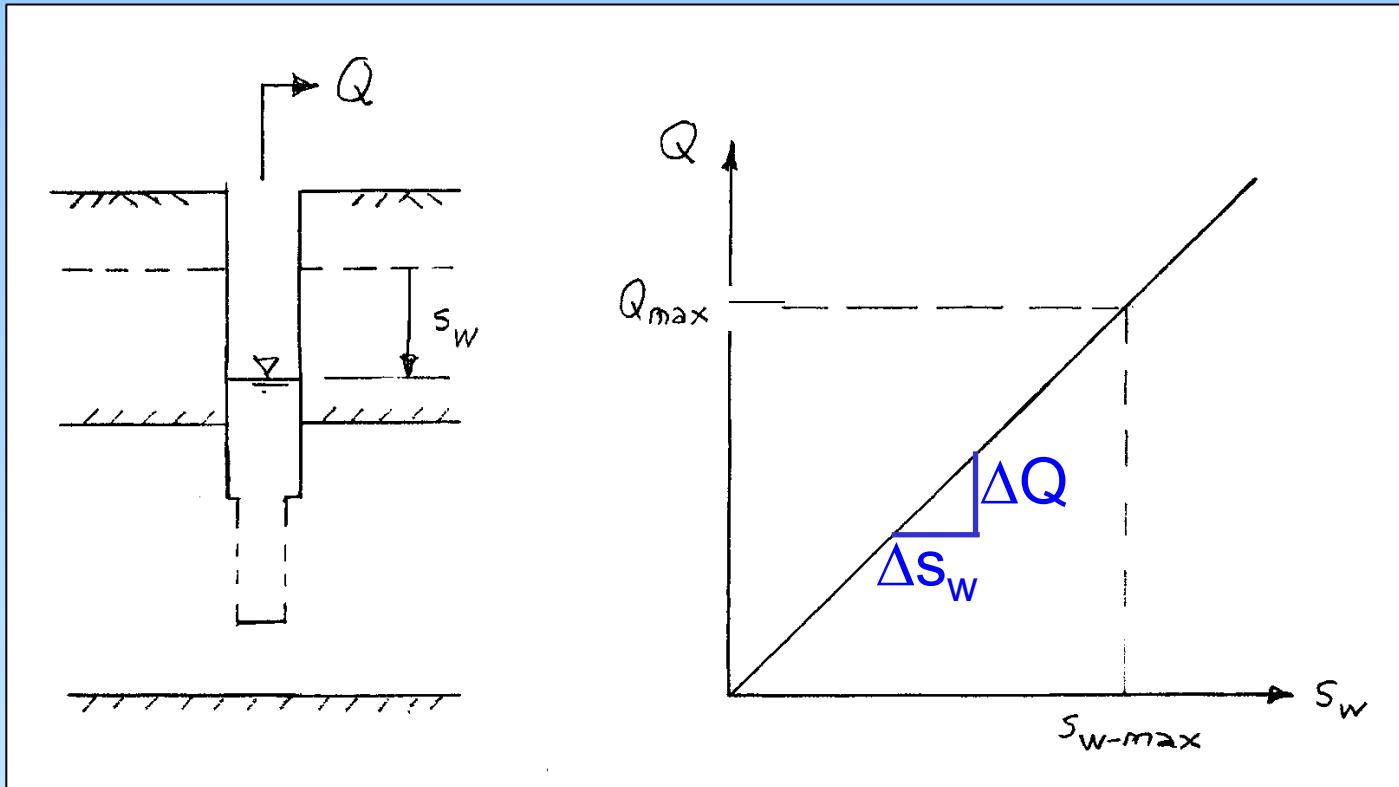
# 1. Drawdown in the formation, $S_{\text{formation}}$



$$S_{\text{formation}}(t) = Q \times F(r = r_w, t)$$

$F$  is any aquifer conceptual model

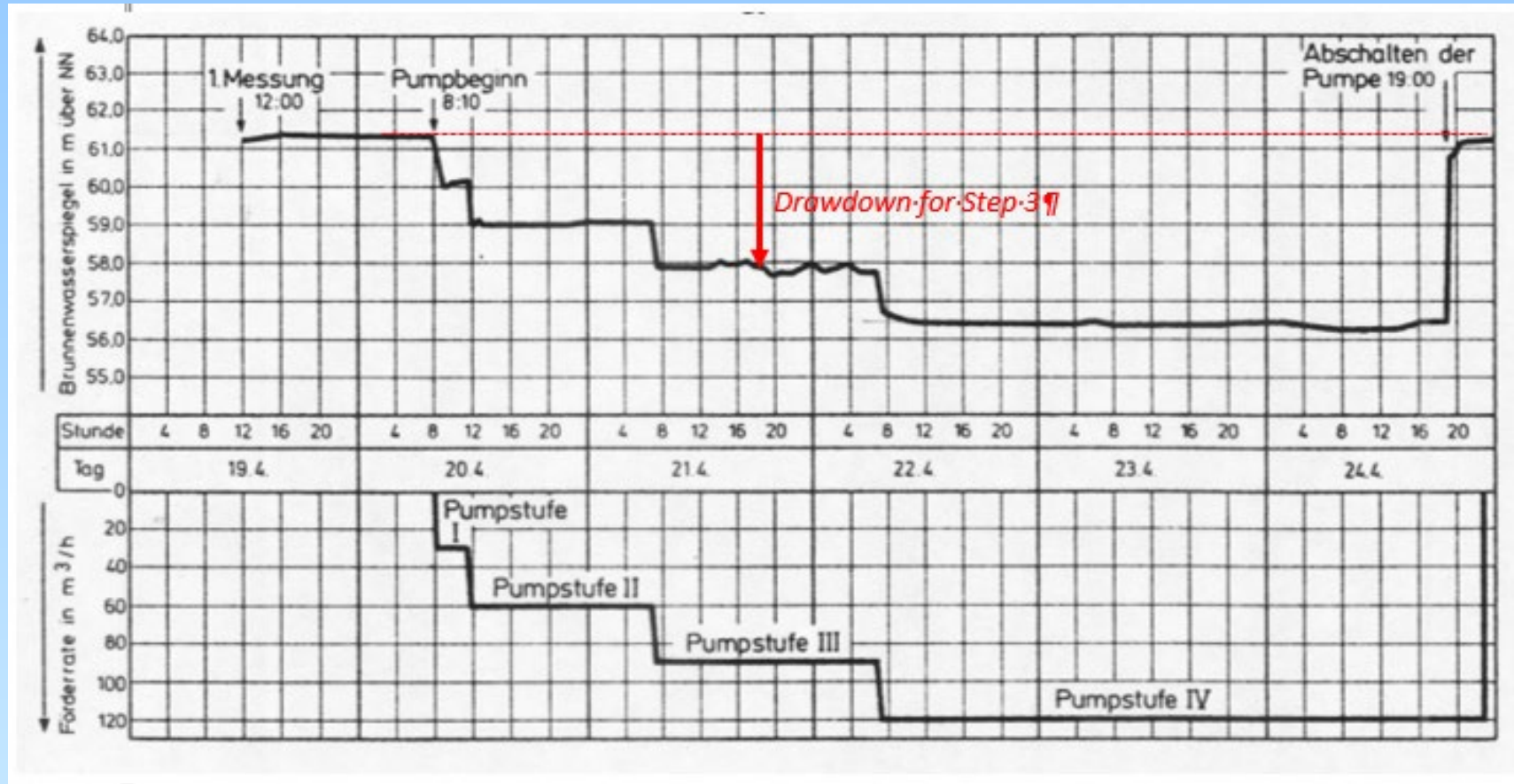
# 1. Drawdown in the formation: Ideal steady conditions

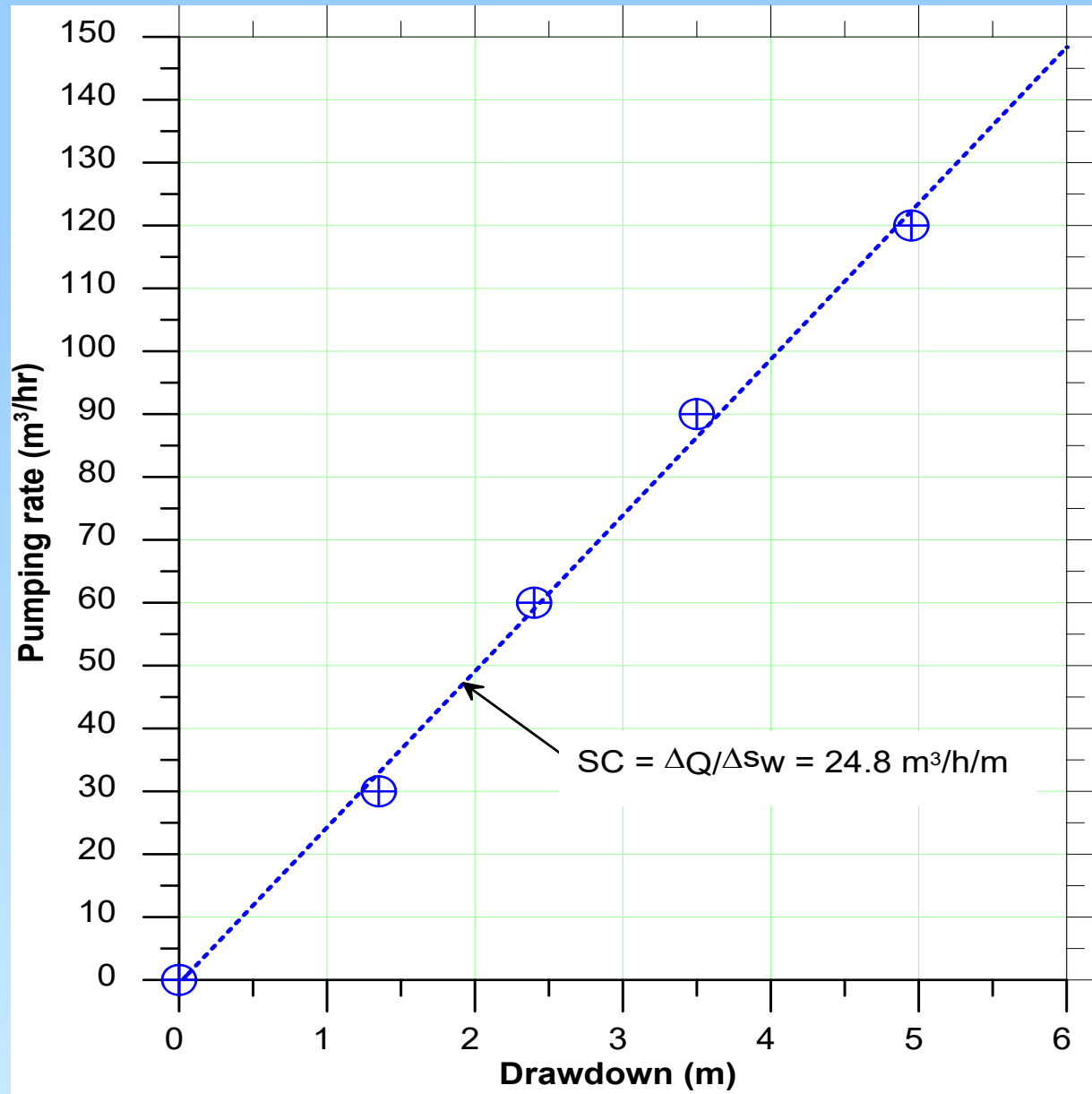


## Specific capacity

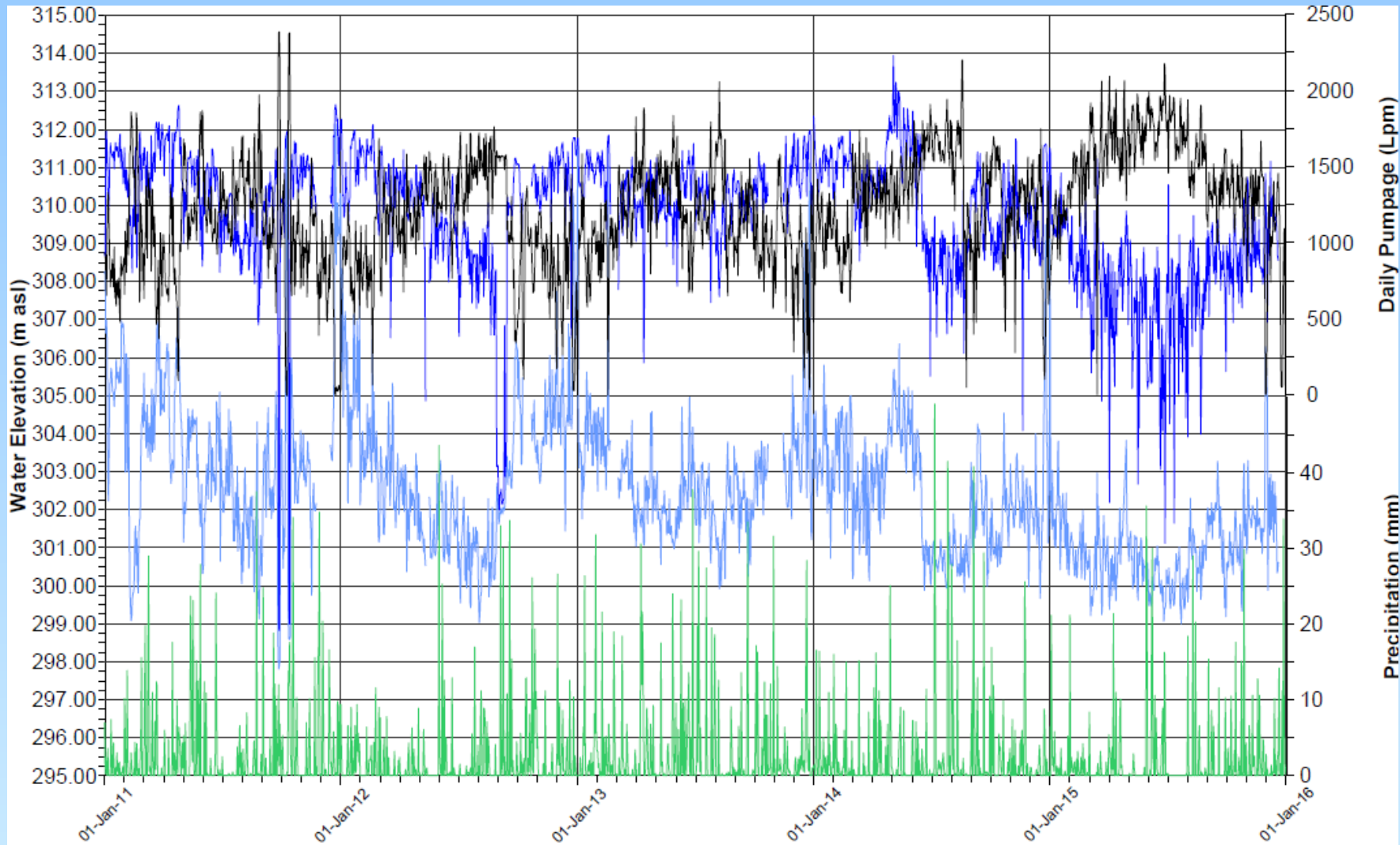
$$SC = \frac{Q}{s_w} = \frac{\Delta Q}{\Delta s_w}$$

# Example: Linnich, Germany



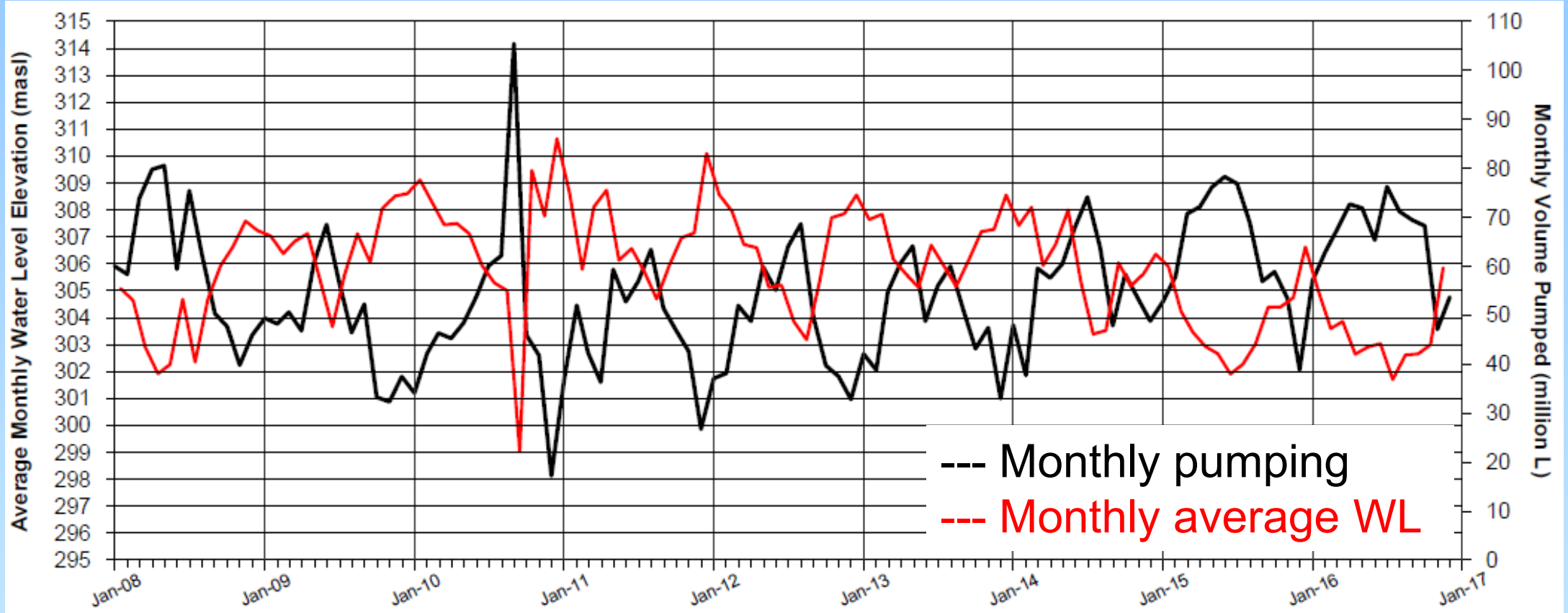


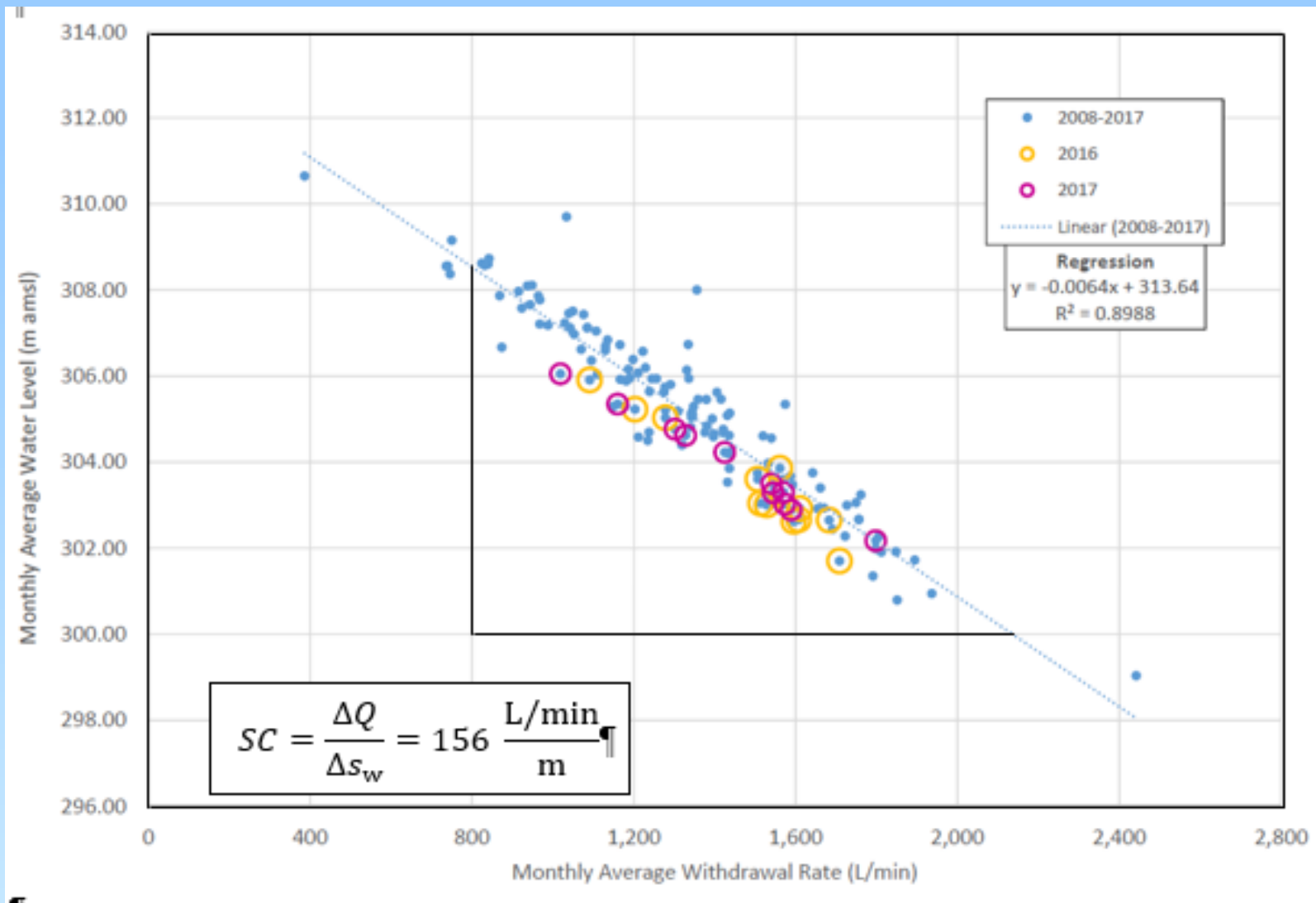
# Example: TW3-80



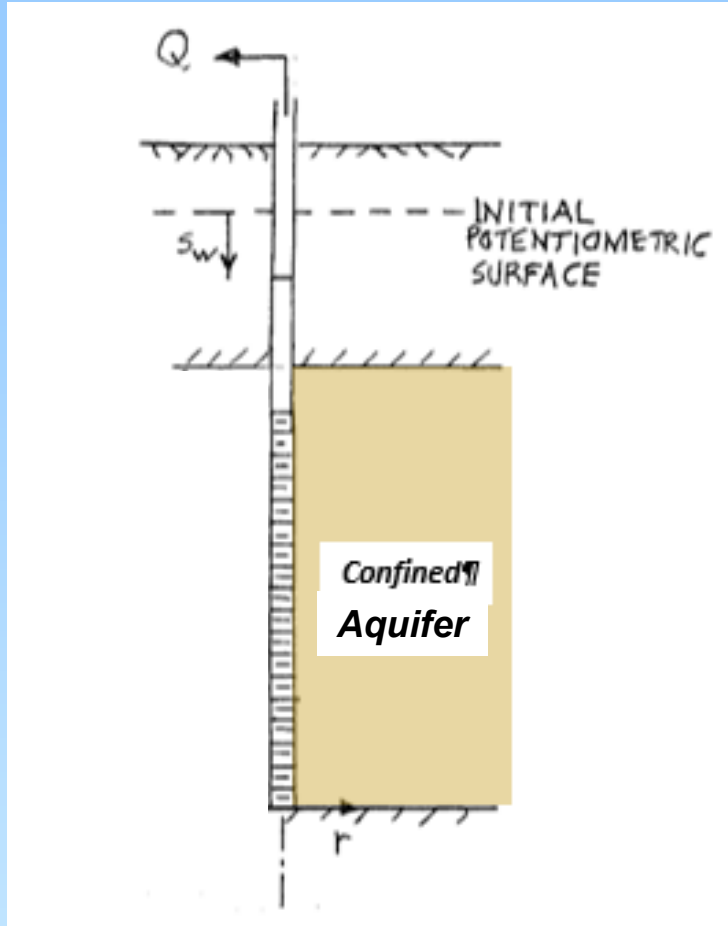
- Precipitation
- Daily pumping
- Daily max WL
- Daily min WL

# TW3-80 (2)





# Specific capacity for ideal steady conditions



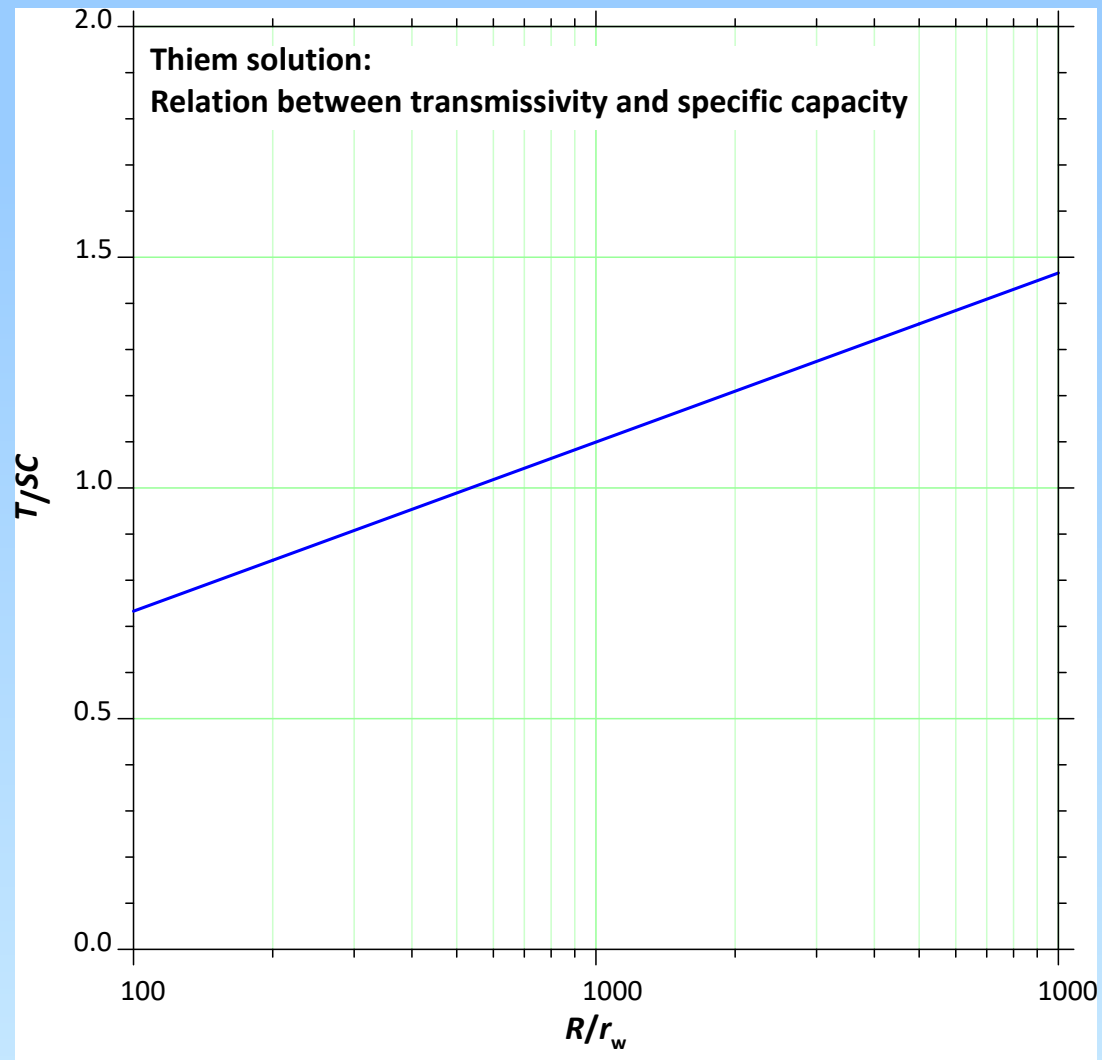
Thiem solution (steady conditions) for an "ideal" well:

$$Q = 2\pi T \frac{(h_R - h_w)}{\ln \left\{ \frac{R}{r_w} \right\}}$$

$$s_w = h_R - h_w = \frac{Q}{2\pi T} \ln \left\{ \frac{R}{r_w} \right\}$$

$$SC = \frac{Q}{s_w} = \frac{2\pi}{\ln \left\{ \frac{R}{r_w} \right\}} T$$

# Estimation of transmissivity for ideal steady conditions



$$\frac{T}{SC} = \frac{\ln \left\{ \frac{R}{r_w} \right\}}{2\pi}$$

Given the specific capacity, SC:

$$T \approx SC$$

## 2. Drawdown in the formation: Ideal transient conditions

One particular model: Theis (1935) evaluated at  $r_w$

$$s_{\text{formation}}(t) = \frac{Q}{4\pi T} W \left\{ \frac{r_w^2 S}{4Tt} \right\}$$

## Specific capacity for ideal transient conditions

$$S_{\text{formation}}(t) = \frac{Q}{4\pi T} W \left\{ \frac{r_w^2 S}{4Tt} \right\}$$

$$SC = \frac{Q}{S_{\text{formation}}(t)} = \frac{4\pi T}{W \left\{ \frac{r_w^2 S}{4Tt} \right\}}$$

## Estimation of the transmissivity from the specific capacity

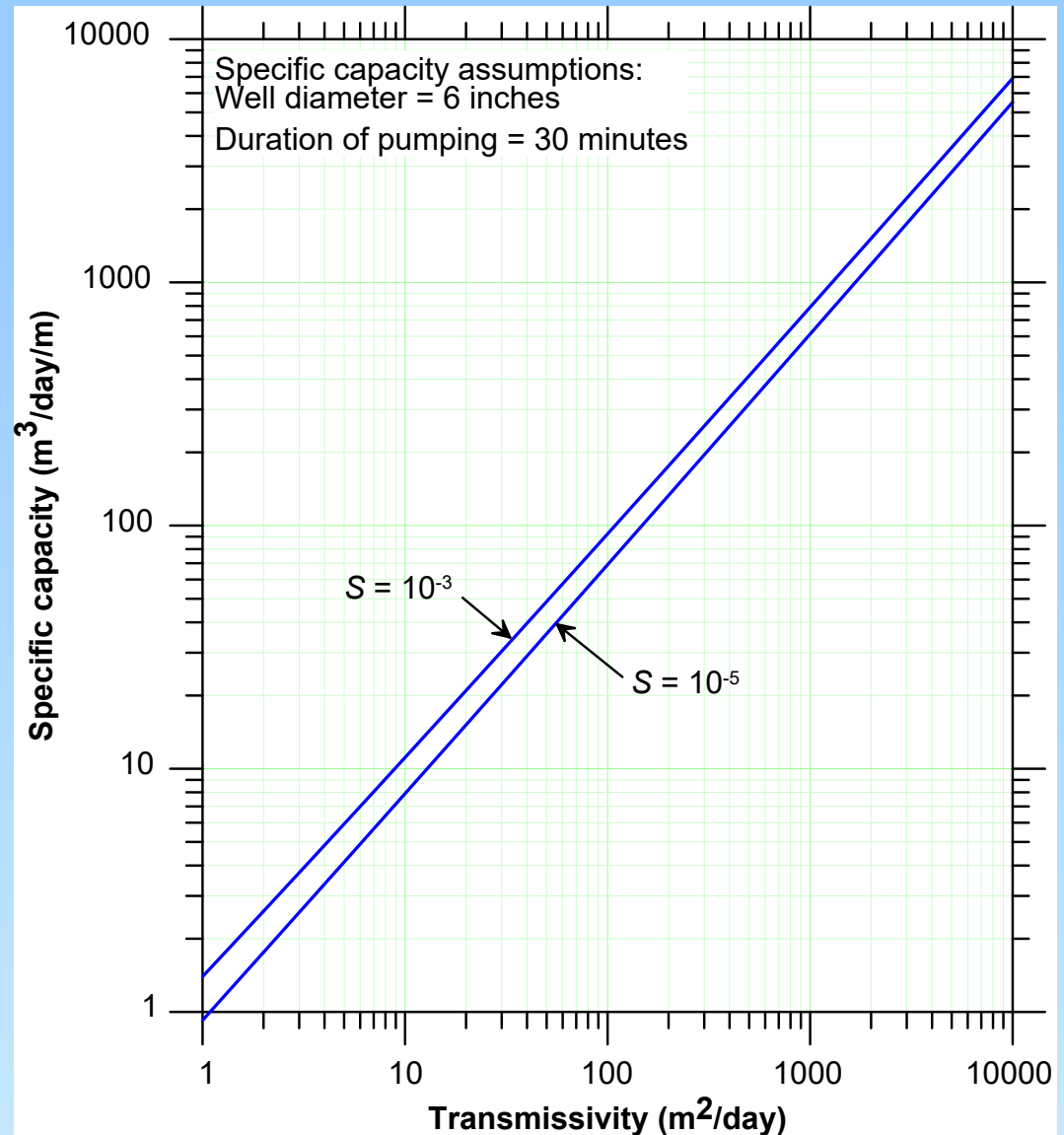
$$SC = \frac{Q}{S_{formation}(t)} = \frac{4\pi T}{W \left\{ \frac{r_w^2 S}{4Tt} \right\}}$$

We cannot solve for the transmissivity  $T$  directly. If we know the specific capacity, we can estimated  $T$  can be estimation (e.g., Excel Solver).

However, there is a simpler approach.

## A simple approach for estimating T for ideal transient conditions

- Specify  $r_w$  and  $t$
- Assume  $S$
- Calculate specific capacity for a range of transmissivities.

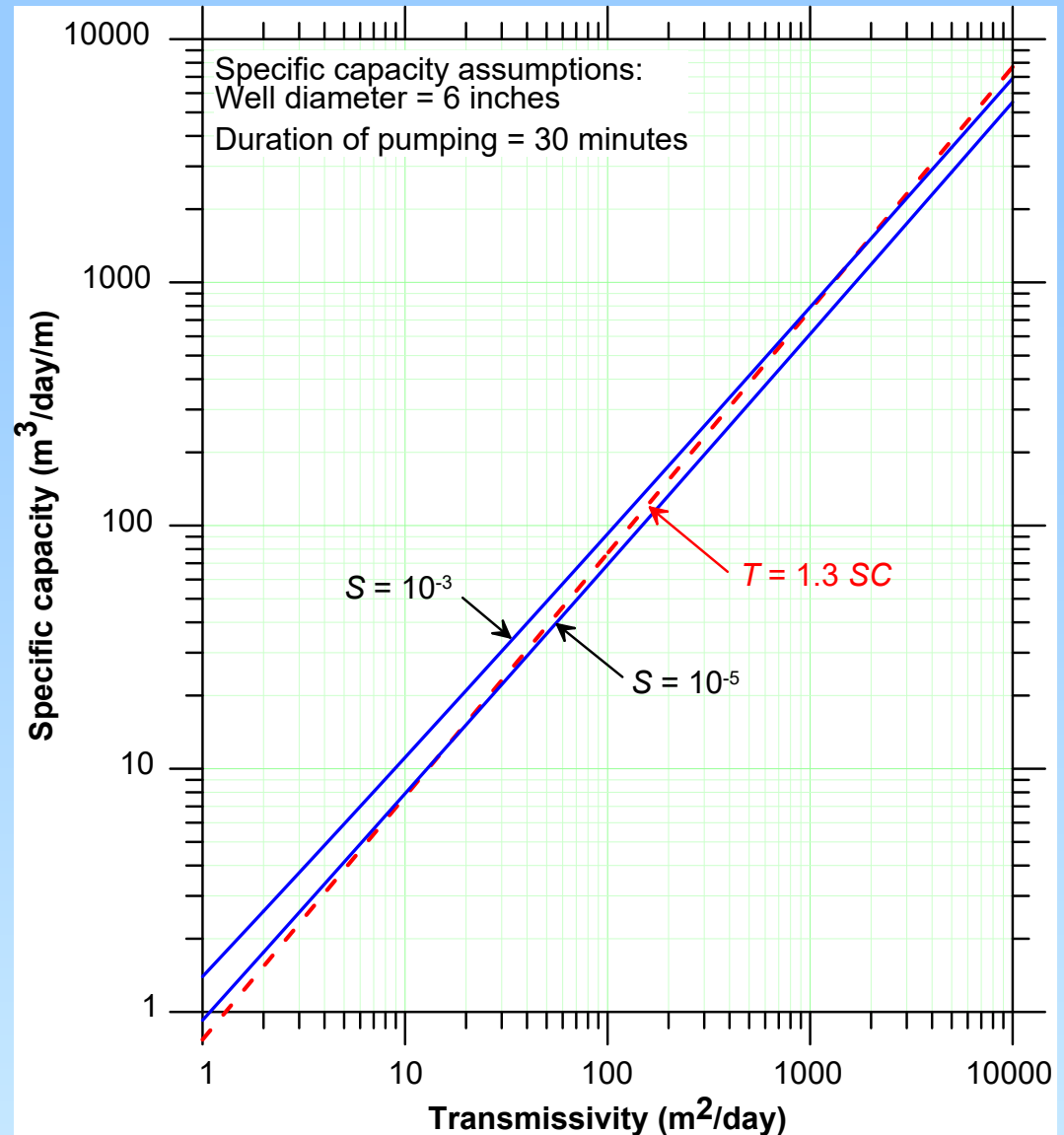


The leading coefficient is insensitive to the specified well diameter. The leading coefficient will vary a bit with the duration of pumping.

- 30 minutes: ~ 1.3
- 1 day: ~ 1.5

Since this calculation yields only a rough estimate of the transmissivity, it is appropriate to again write:

$$T \approx SC$$





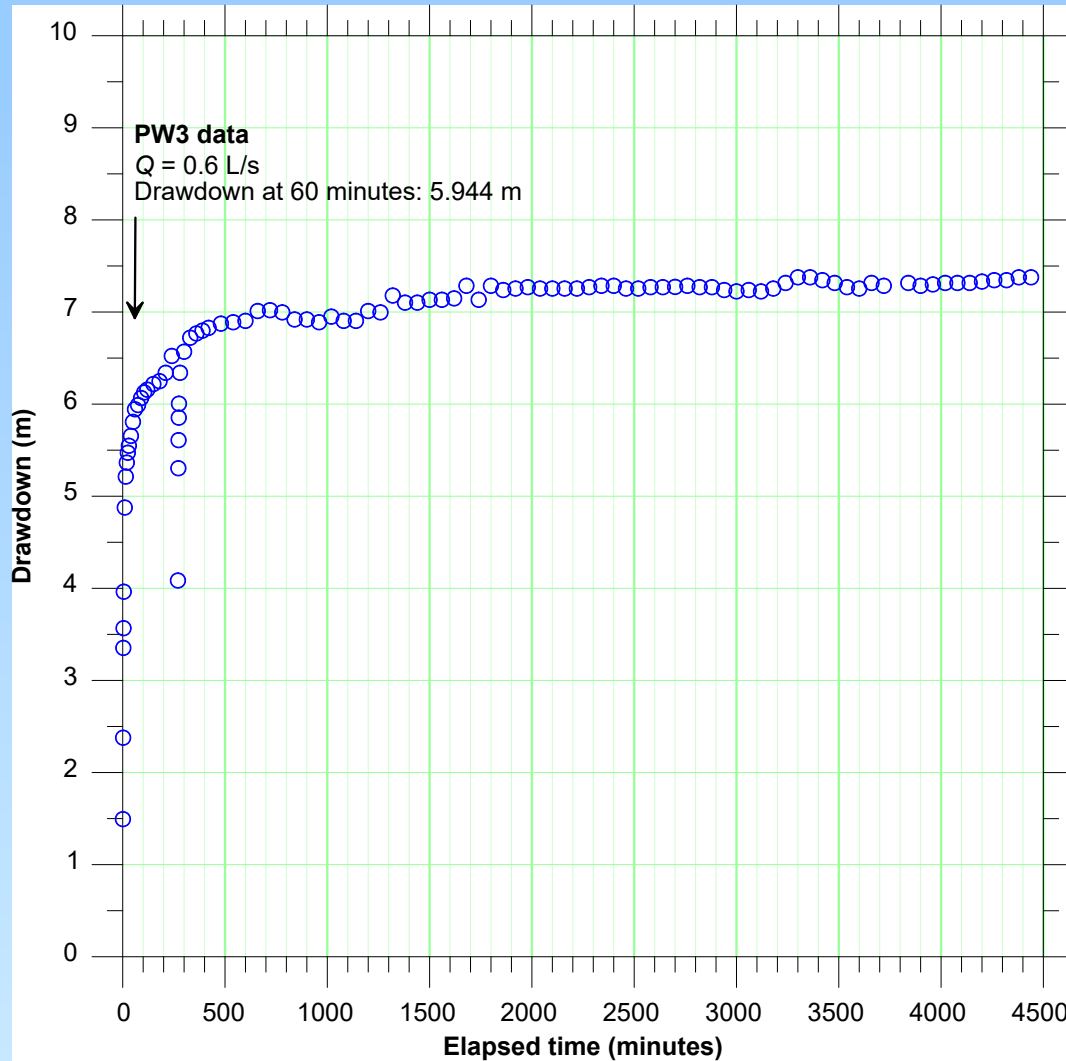
$$T \cong SC$$

... is handy

but ...

We have made the big assumption that the drawdown in the well is due solely to head losses in the formation. For this reason, we refer to this transmissivity estimate as a “first-cut” or *reconnaissance-level* estimate.

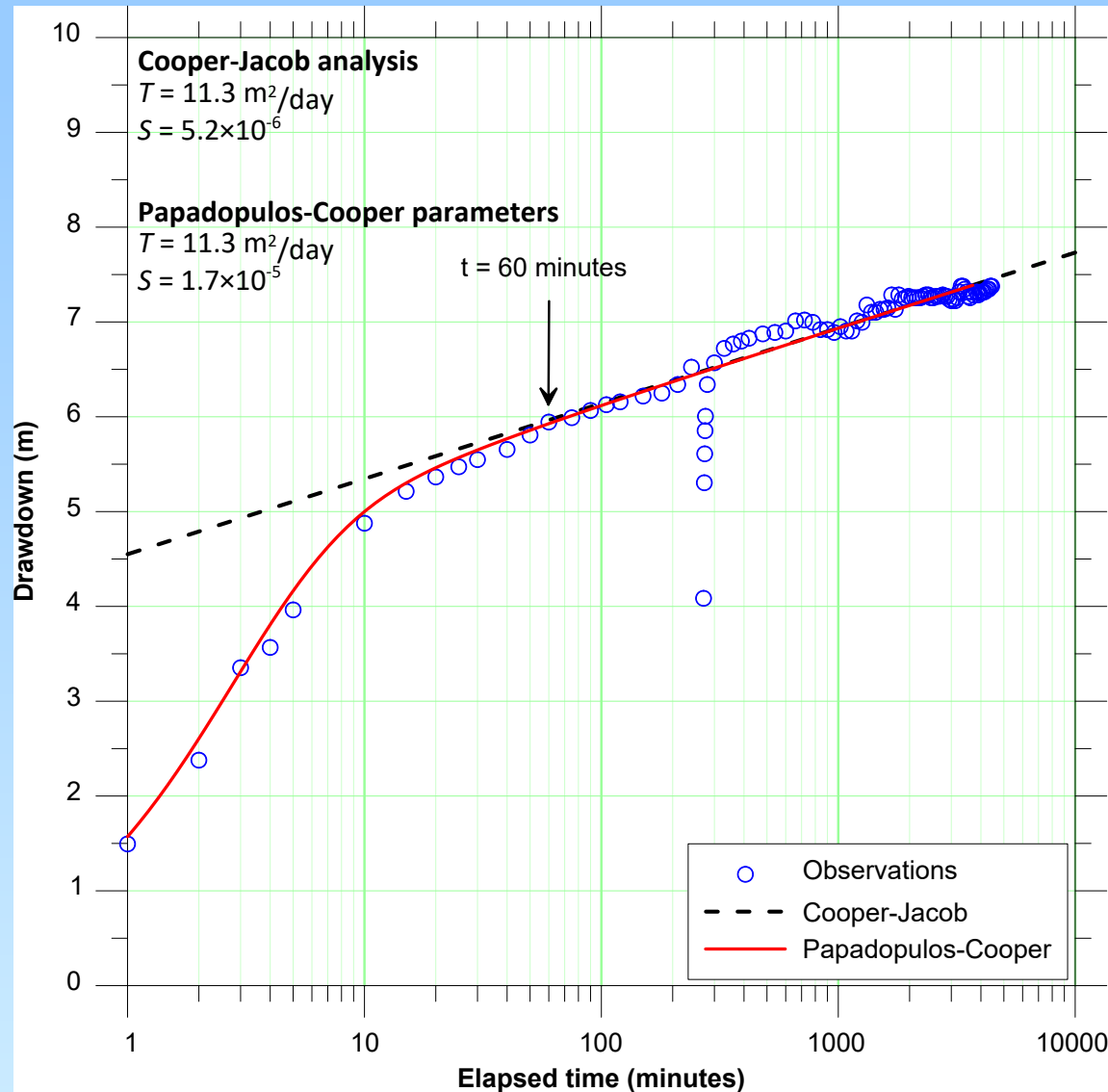
# Example: Rosemont, Ontario



$$SC = \frac{(51.8 \text{ m}^3/\text{d})}{(5.94 \text{ m})} = 8.7 \frac{\text{m}^2}{\text{d}}$$

$$T \approx 1.3 SC = 11.3 \text{ m}^2/\text{d}$$

# More rigorous analyses



In this case, the close match between the approximate and more rigorous estimates of transmissivity are not by accident.

1. The “instantaneous” drawdown is relatively small.
2. The specific capacity is estimated from the drawdown after wellbore storage effects have dissipated.
3. The drawdowns over the duration of the test are matched closely with the Theis model.

## Analyses for a non-ideal well

We consider a simplified model of total well drawdown:

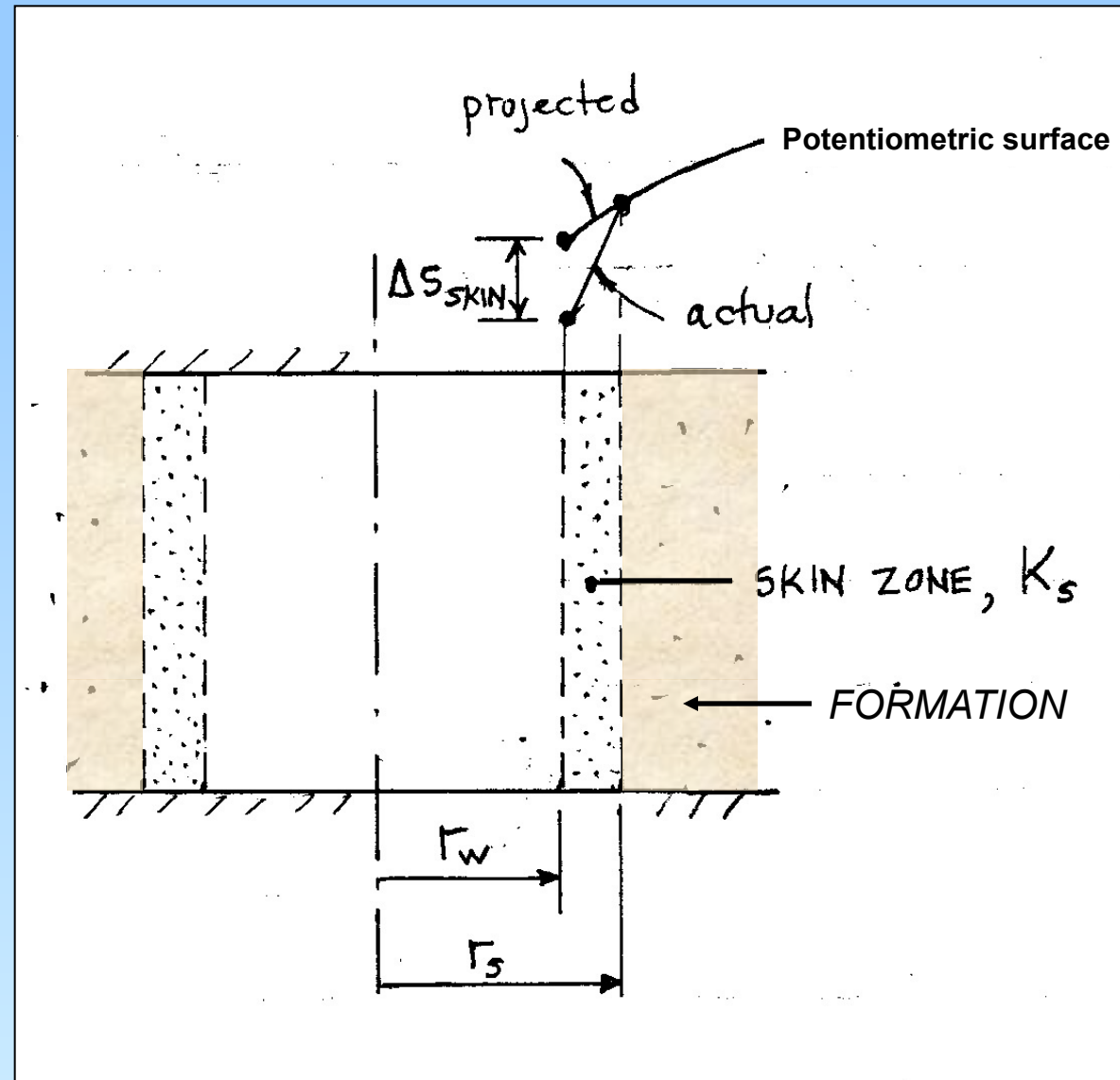
$$s_w = s_{\text{formation}} + \Delta s_{\text{skin}}$$

$$+ \Delta s_{\text{turbulence}}$$

← Linear,  $\alpha Q$

← Nonlinear,  $\alpha Q^2$

# Skin losses, $\Delta S_{\text{skin}}$



## Characteristics of skin losses

1. Established relatively early;
2. Constant through time; and
3. Directly proportional to the pumping rate,  $Q$ .

Ramey formulation:

$$\Delta s_{\text{skin}} = \frac{Q}{4\pi T} 2S_w$$

$S_w$  is the dimensionless skin factor

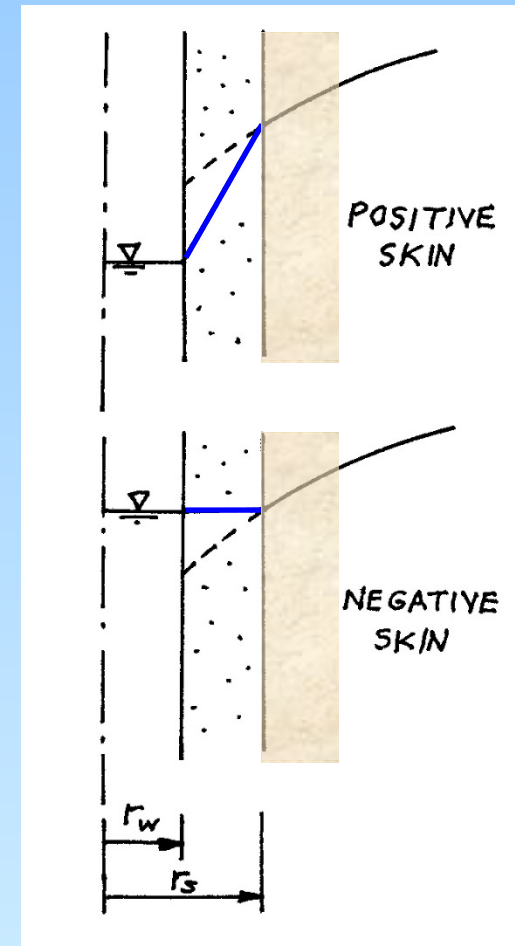
# Interpretation of the dimensionless skin factor

$$S_w = \left( \frac{T_{\text{formation}} - T_{\text{skin}}}{T_{\text{skin}}} \right) \ln \left\{ \frac{r_s}{r_w} \right\}$$

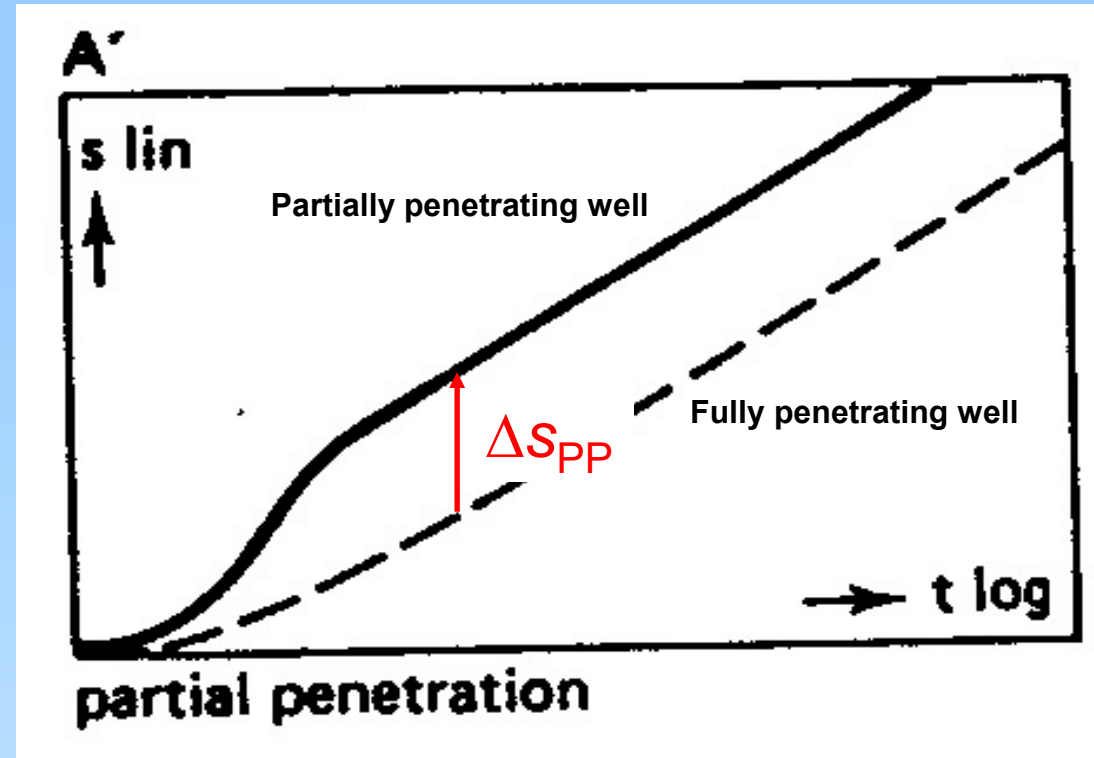
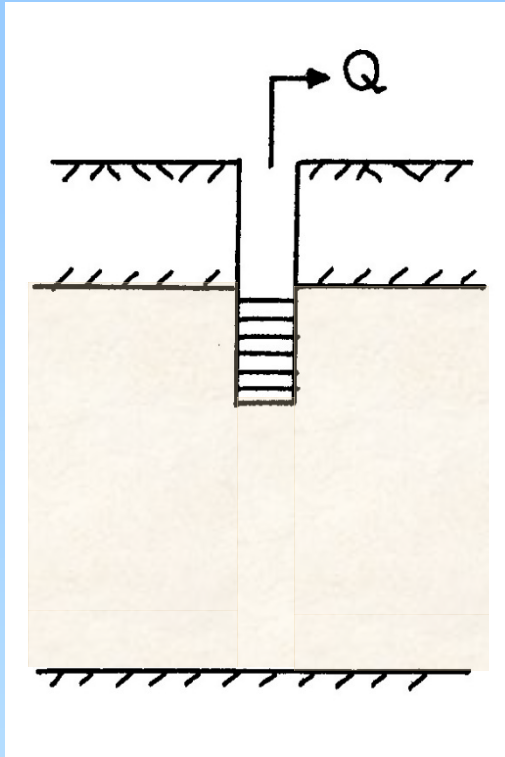
$$T_{\text{skin}} < T_{\text{formation}} \rightarrow S_w > 0$$

$$T_{\text{skin}} > T_{\text{formation}} \rightarrow S_w < 0$$

We can't know  $r_s$ , so  $S_w$  is treated as a lumped fitting parameter.



# Additional head losses caused by partial penetration



- Established relatively early;
  - Constant through time; and
  - Directly proportional to  $Q$ .
- Same characteristics as skin losses

Additional head losses caused by partial penetration can be accounted for with a 'pseudo' skin factor,  $S_{PP}$ :

$$\Delta S_{PP} = \frac{Q}{4\pi T} 2S_{PP}$$

Pseudo-skin factors,  $S_{PP}$ :

- Muskat (1932);
- Kozeny (1933); and
- Brons and Marting (1961)

## Nonlinear losses, $\Delta S_{\text{turbulence}}$

Jacob (1947) formulation:

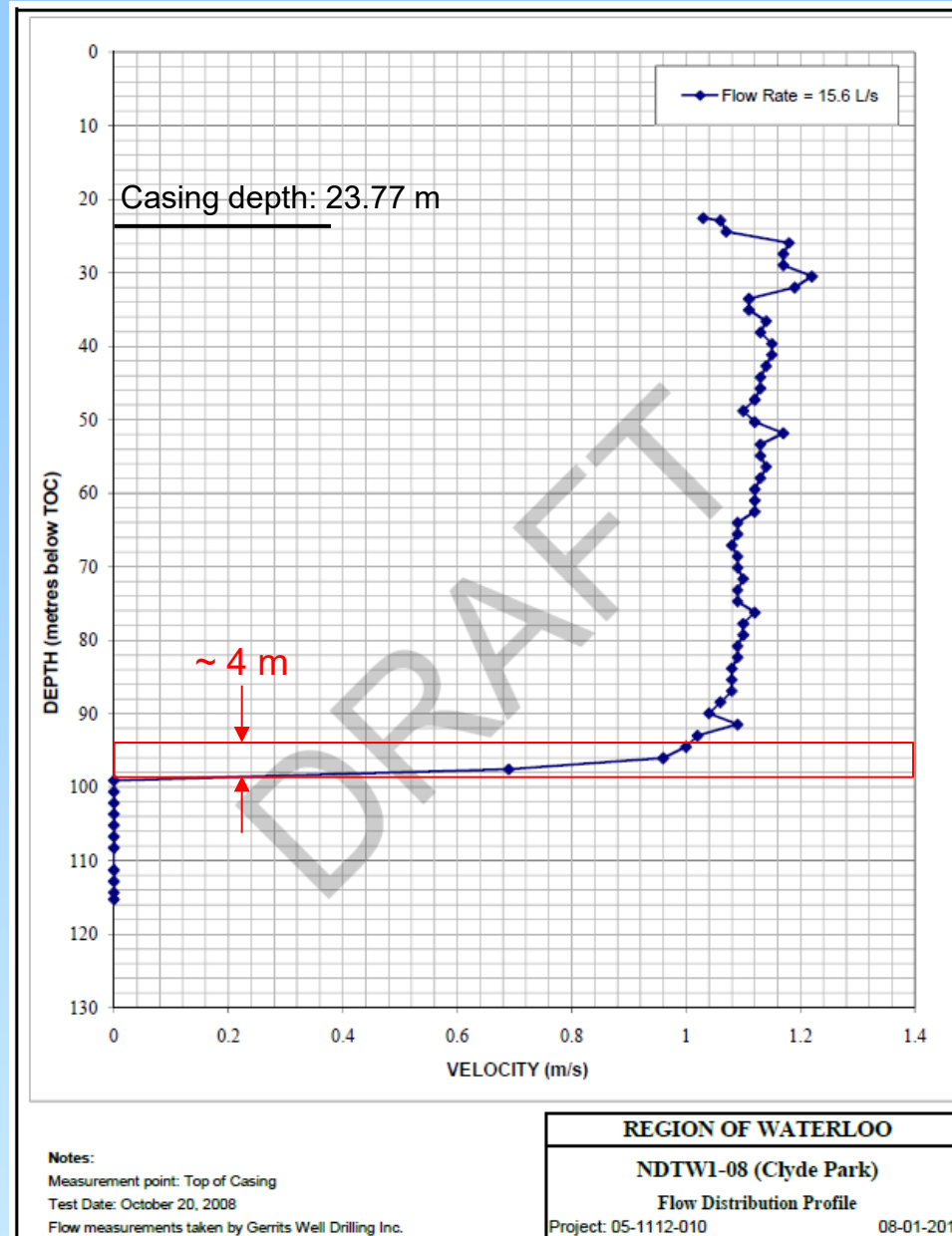
$$\Delta S_{\text{turbulence}} = CQ^2$$

Rorabaugh (1953) generalization:

$$\Delta S_{\text{turbulence}} = CQ^P$$

Turbulent head losses may occur in the well and/or the formation.

# Turbulence in the formation?



# Estimating the nonlinear well loss coefficient, $C$

## i. Rules-of-thumb: Walton (1962)

Condition of well	$C$ (sec <sup>2</sup> /ft <sup>5</sup> )	$C$ (day <sup>2</sup> /ft <sup>5</sup> )	$C$ (sec <sup>2</sup> /m <sup>5</sup> )
Properly designed and developed	$C < 5$	$C < 6.7 \times 10^{-10}$	$C < 1900$
Mild deterioration	$C < 10$	$C < 1.3 \times 10^{-9}$	$C < 3800$
Well beyond rehabilitation	$C > 10$	$C > 1.3 \times 10^{-9}$	$C > 3800$

**Watch units!**

## ii. Rigorous: Step tests

## A slightly improved first-cut estimation of transmissivity from the specific capacity

Adjust drawdown to remove additional well losses:

$$s_{w-adj} = s_{w-obs} - \Delta s_{skin} - \Delta s_{turbulence}$$

$$SC_{adj} = \frac{Q}{s_{w-adj}} \Rightarrow T \approx 1.3 SC_{adj}$$

See Bradbury and Rothschild (1985) for the application of  $SC_{adj}$

## Analysis of transient drawdowns (1): Constant-rate tests

The previous simplified analyses made use of only one drawdown at one time. We can develop more confidence in our analyses if we have a complete record of drawdowns in the pumping well.

General model to match the drawdowns:

$$s_w(t) = s_{\text{formation}}(r_w, t) + \Delta s_{\text{skin}} + \Delta s_{\text{turbulence}}$$

**“Extended Theis” model  
(AQTESOLV Theis step test model)**

$$s_w(t) = \frac{Q}{4\pi T} W \left\{ \frac{r_w^2 S}{4Tt} \right\} + \frac{Q}{4\pi T} 2S_w + CQ^P$$

## “Extended Theis” model (2)

$$\begin{aligned} s_w(t) &= \frac{Q}{4\pi T} \left[ -0.5772 - \ln \left\{ \frac{r_w^2 S}{4Tt} \right\} \right] + \frac{Q}{4\pi T} 2S_w + CQ^P \\ &= \frac{Q}{4\pi T} \left[ -0.5772 - \left( \ln \left\{ \frac{1}{t} \right\} + \ln \left\{ \frac{r_w^2 S}{4T} \right\} \right) \right] + \frac{Q}{4\pi T} 2S_w + CQ^P \\ &= \boxed{2.303 \frac{Q}{4\pi T} \left[ \log_{10} \left\{ 2.246 \frac{T}{r_w^2 S} \right\} \right] + \frac{Q}{4\pi T} 2S_w + CQ^P} \\ &\quad + 2.303 \frac{Q}{4\pi T} \log_{10} \{t\} \end{aligned}$$

# Example time-drawdown record

Specified parameters:

$$r_w = 0.05 \text{ m}$$

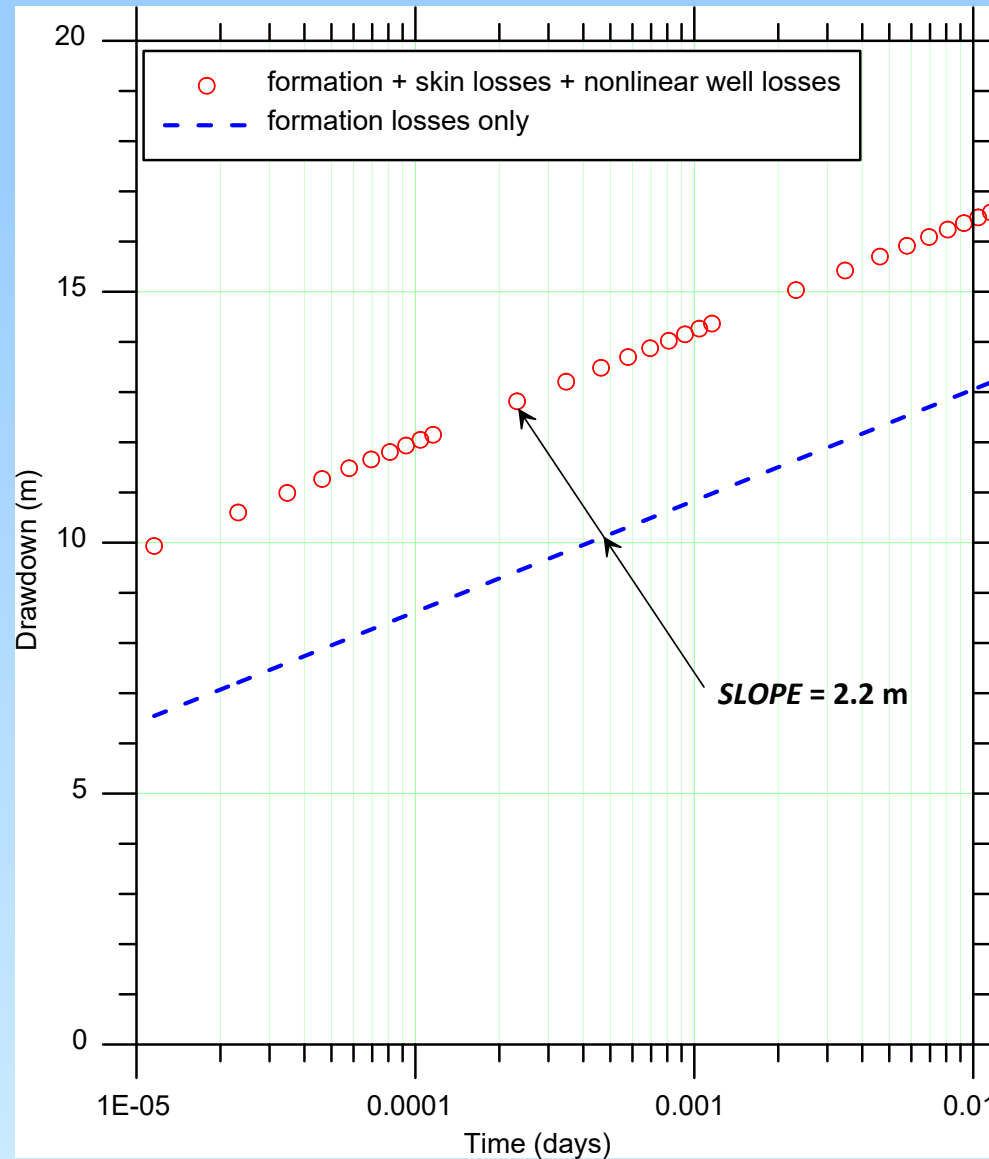
$$T = 8.6 \text{ m}^2/\text{d}$$

$$S = 1.0 \times 10^{-4}$$

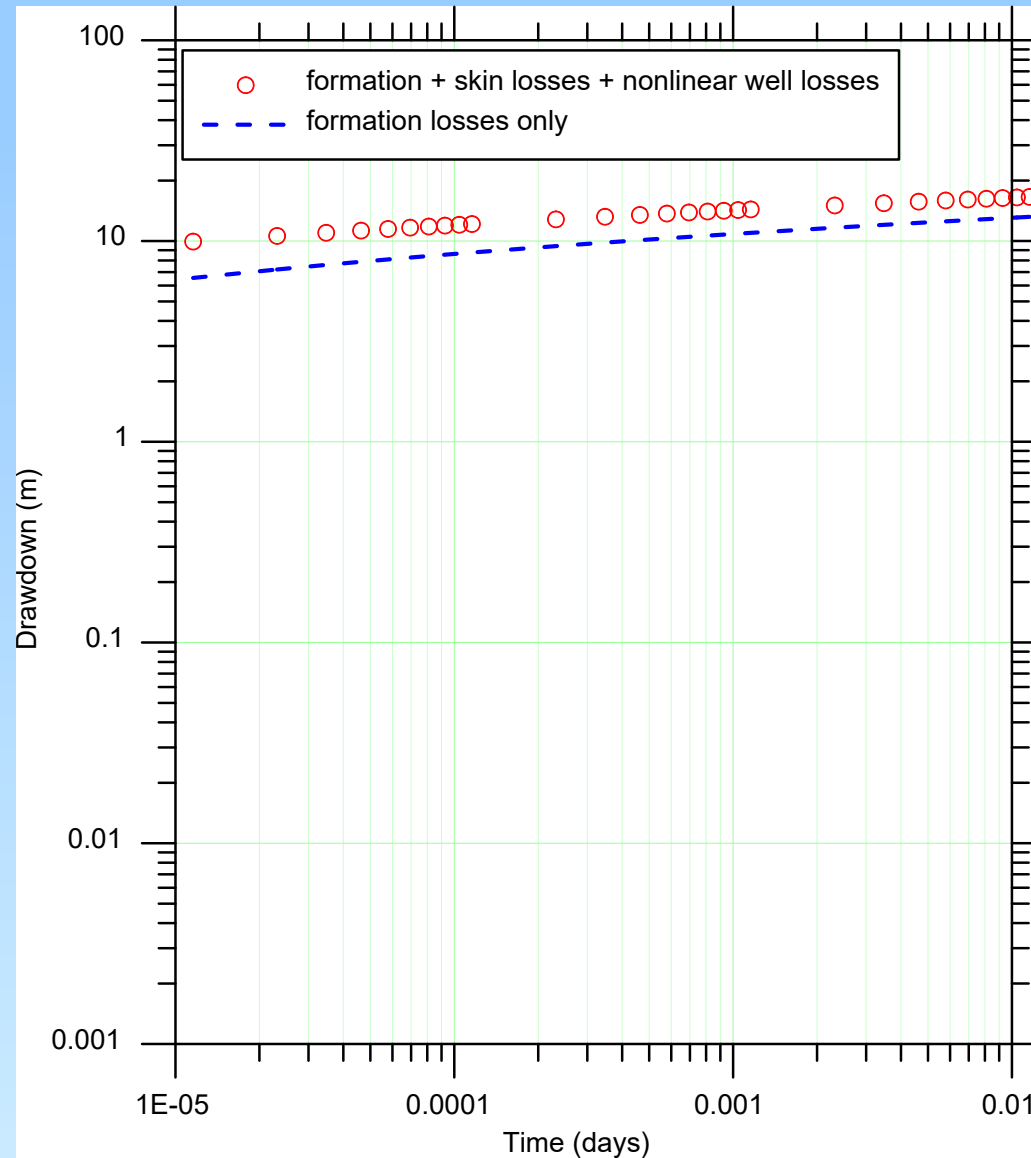
$$S_w = 0.52$$

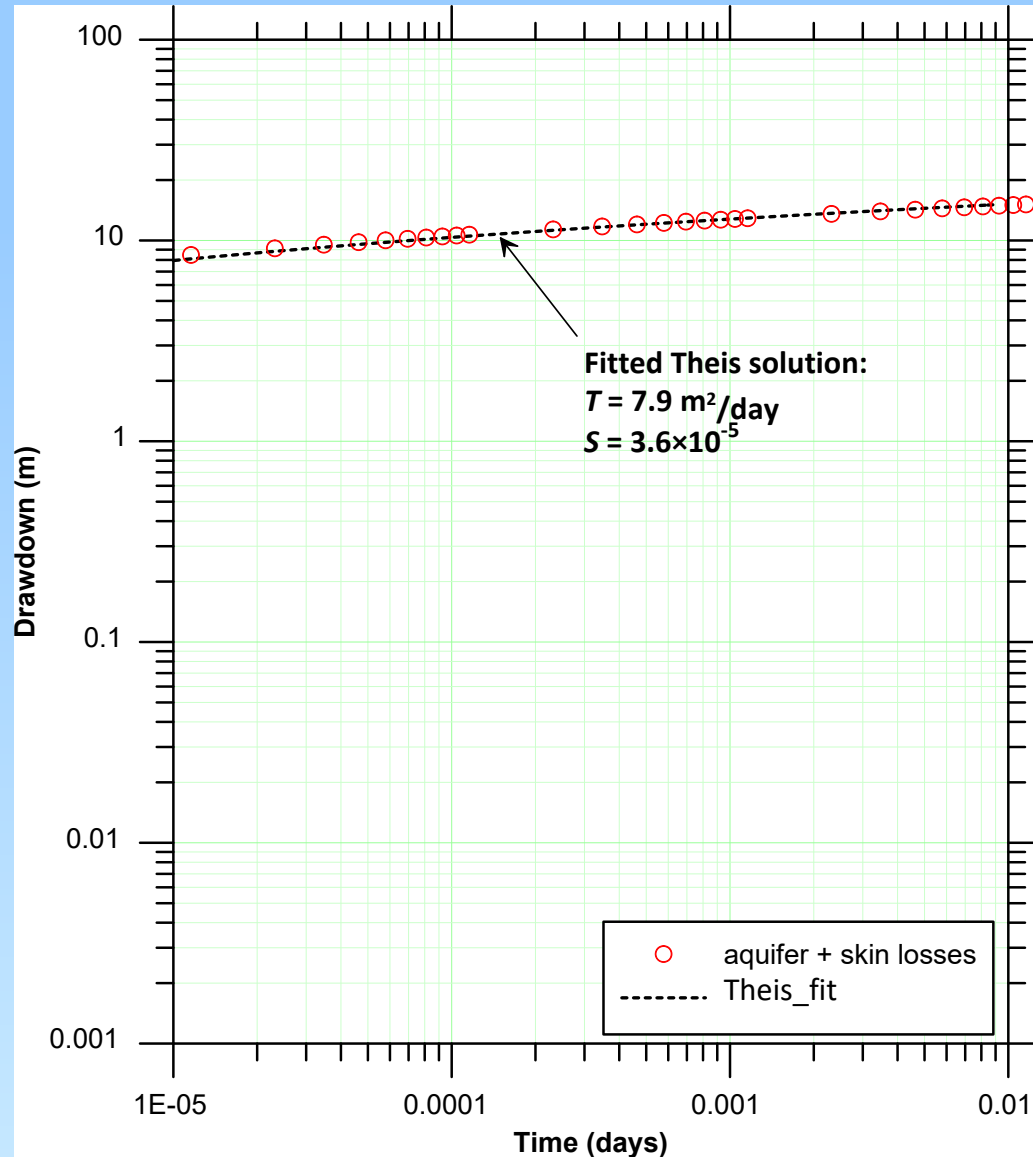
$$C = 1.34 \times 10^{-4} \text{ m}^{-5}\text{d}^2$$

$$Q = 104.5 \text{ m}^3/\text{d}$$



# Diagnosis of additional well losses: Log-log plot?





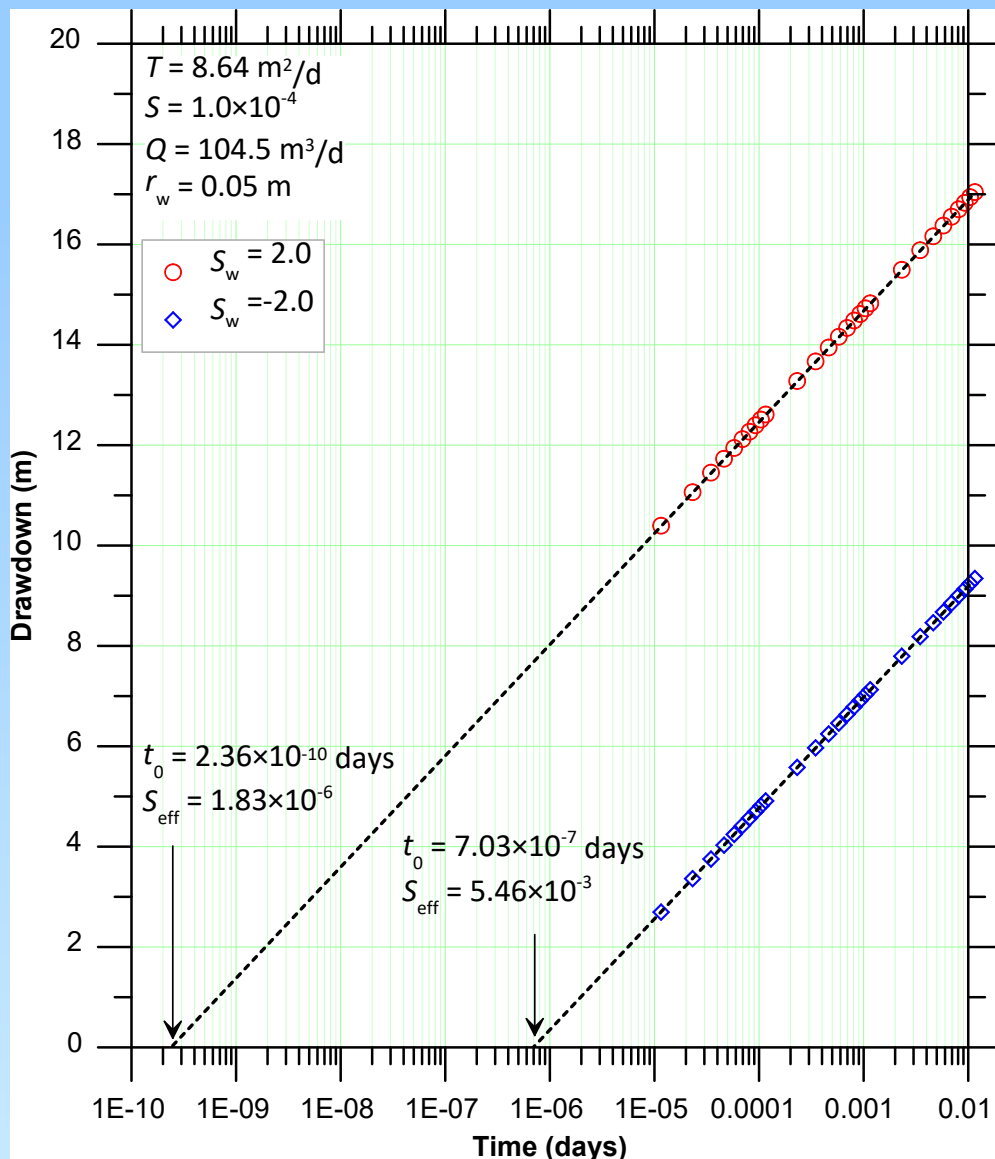
Recall:  
 $T = 8.6 \text{ m}^2/\text{d}$   
 $S = 1.0 \times 10^{-4}$

## Further thoughts on the apparent storage coefficient

$$\begin{aligned} s_w(t) &= \frac{Q}{4\pi T} \left[ -0.5772 - \ln \left\{ \frac{r_w^2 S}{4Tt} \right\} \right] + \frac{Q}{4\pi T} 2S_w \\ &= \frac{Q}{4\pi T} \left[ -0.5772 - \ln \left\{ \frac{r_w^2 S}{4Tt} \right\} \right] + \frac{Q}{4\pi T} \ln \{ \text{EXP} \{ 2S_w \} \} \end{aligned}$$

$$s_w(t) = \frac{Q}{4\pi T} \left[ -0.5772 - \ln \left\{ \frac{r_w^2 (\text{SEXP} \{ -2S_w \})}{4Tt} \right\} \right]$$

# Diagnosis of skin effects



$$S_{\text{eff}} = 2.246 \frac{T t_0}{r_w^2}$$

$$= S \times \text{EXP}\{-2S_w\}$$

## Checks:

$$S_w = +2.0$$

$$S_{\text{eff}} = 1.8 \times 10^{-6}$$

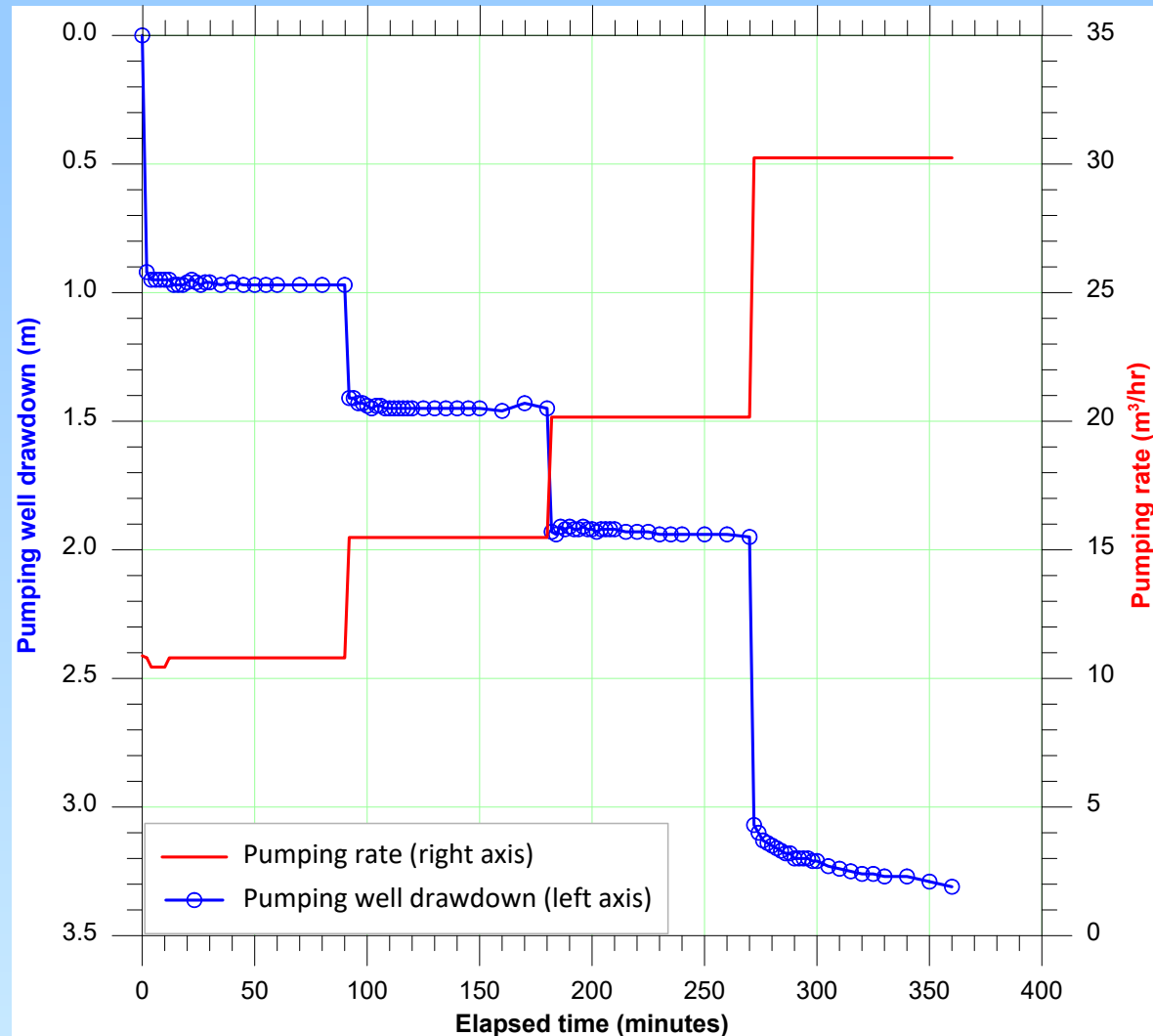
$$S_w = -2.0$$

$$S_{\text{eff}} = 5.5 \times 10^{-3}$$

## Take-home points (1)

1. Transmissivity estimates derived from Cooper-Jacob analyses are not affected by additional losses, but the results of Theis analyses are.
2. A “strange” estimate of the storage coefficient derived from a Cooper-Jacob analysis points to something missing in the analysis.
3. If we want to refine our interpretation of the additional losses, we require data from more than one pumping rate.

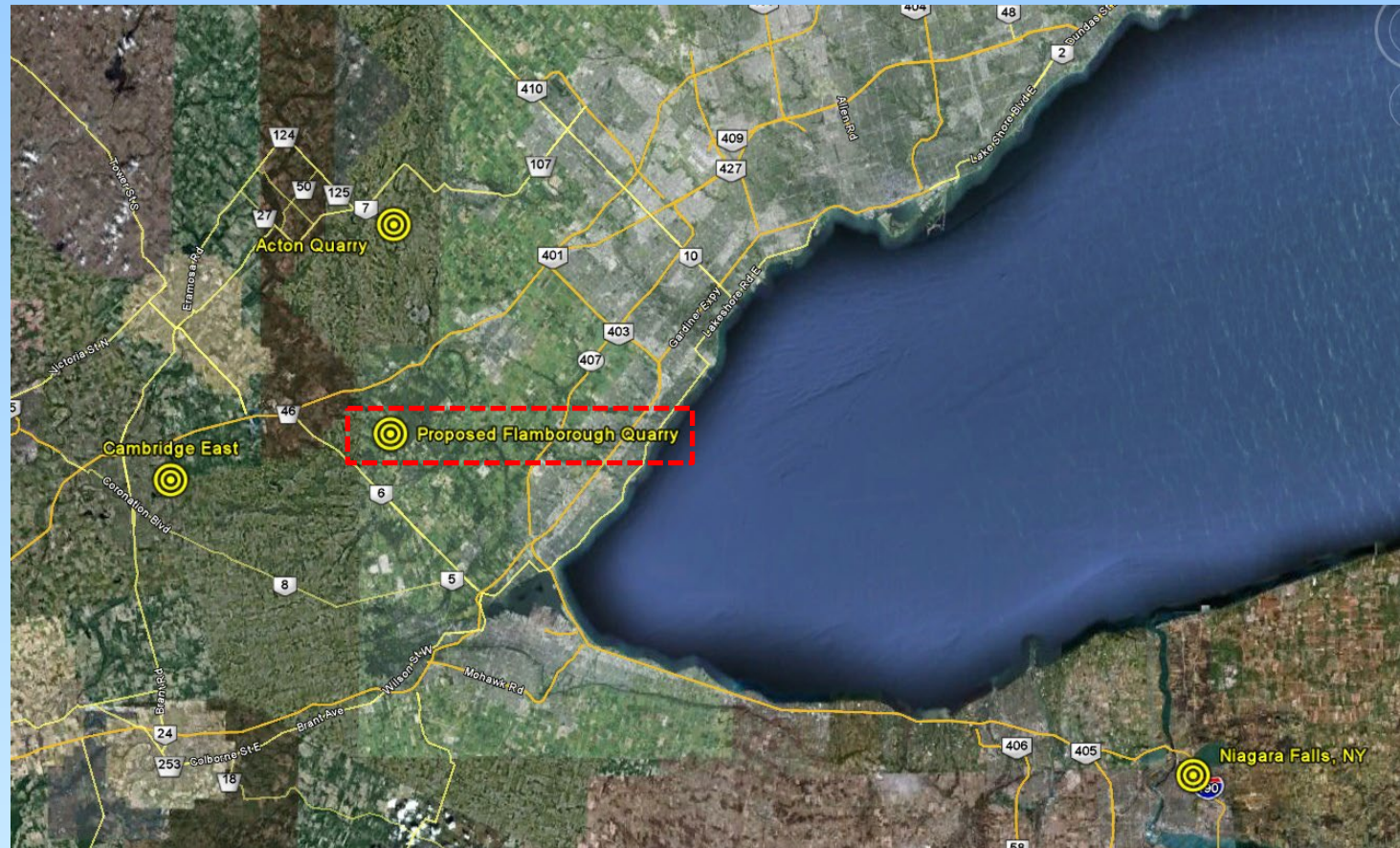
# Analysis of transient drawdowns (2): Step tests



## Why conduct a step test?

1. Step tests are an essential part of the design of constant-rate pumping tests.
2. Step test are important for understanding the performance of production wells.
3. We can use the results of step tests to “correct” the pumping well drawdowns so that they can be analyzed in conjunction with the data from observation wells.

# Case study: TW14, Flamborough Quarry



## TW-14 Hydraulic testing plan

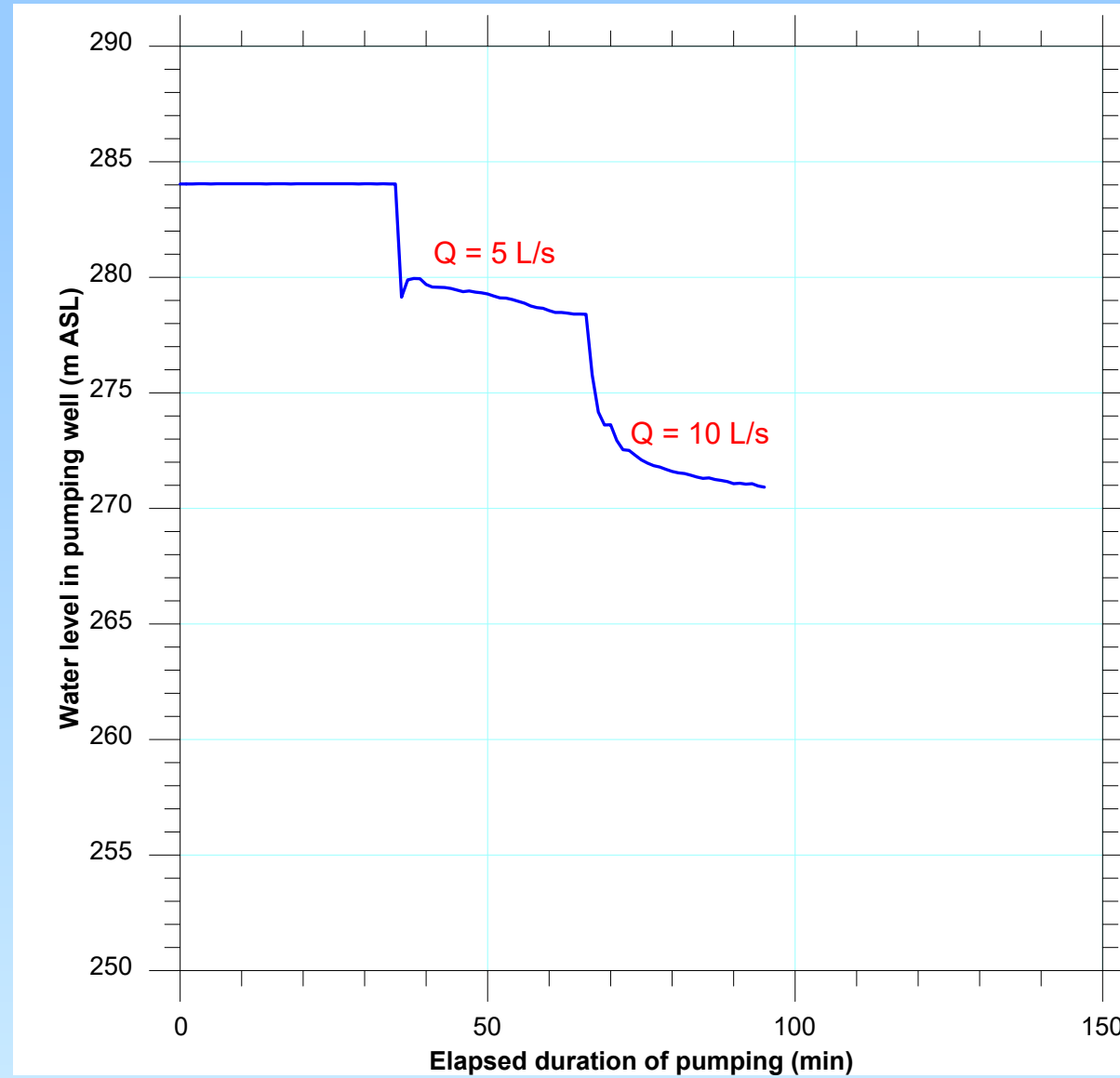
Based on testing elsewhere at the site, a constant-rate pumping test was planned with pumping at 20 L/s for 8 days.

But first, a step test was conducted to confirm that the well could actually be pumped at 20 L/s.

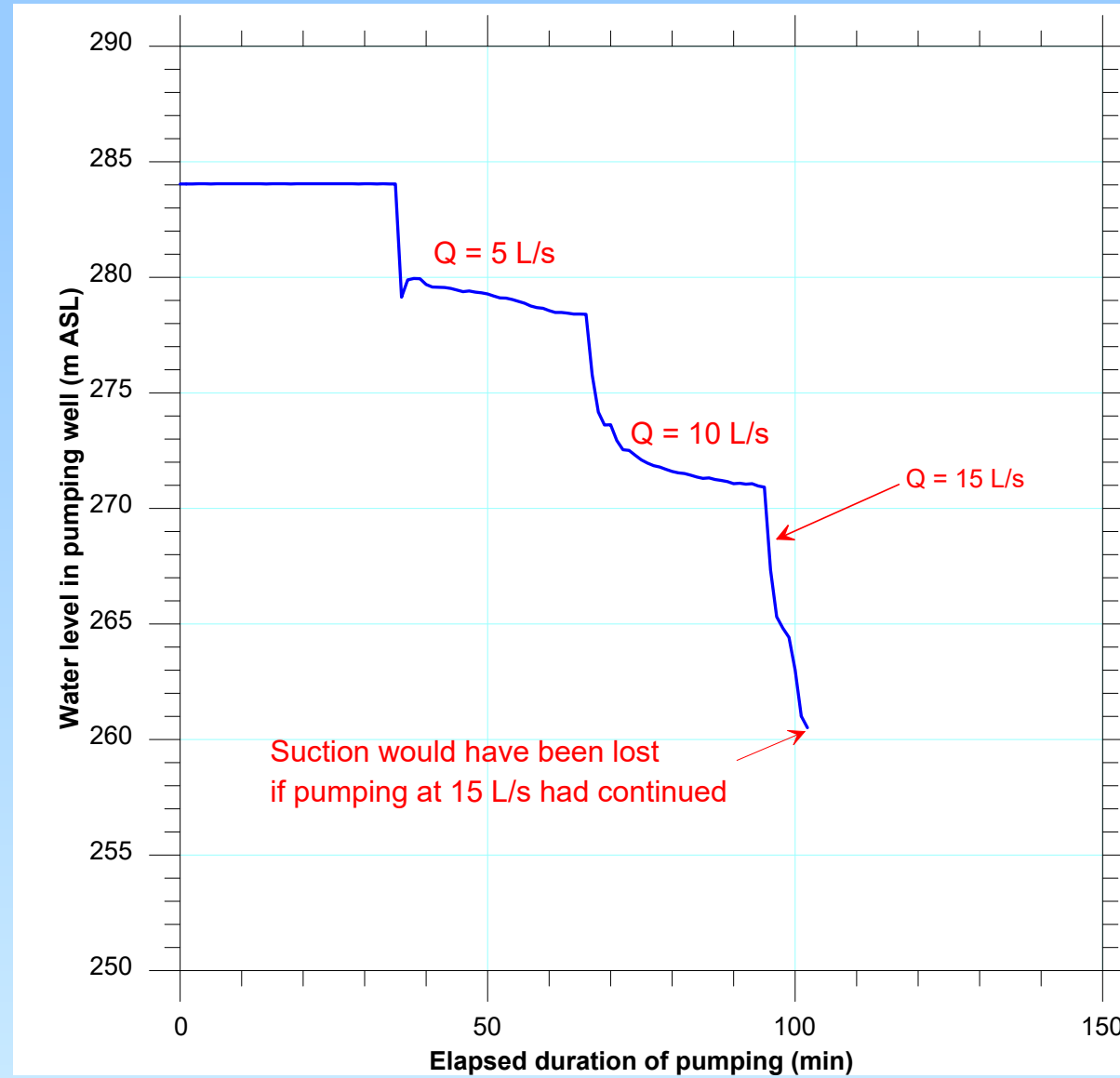
### Step test design 5 30-minute steps

Step	Pumping rate (L/s)
1	5
2	10
3	15
4	20
5	25

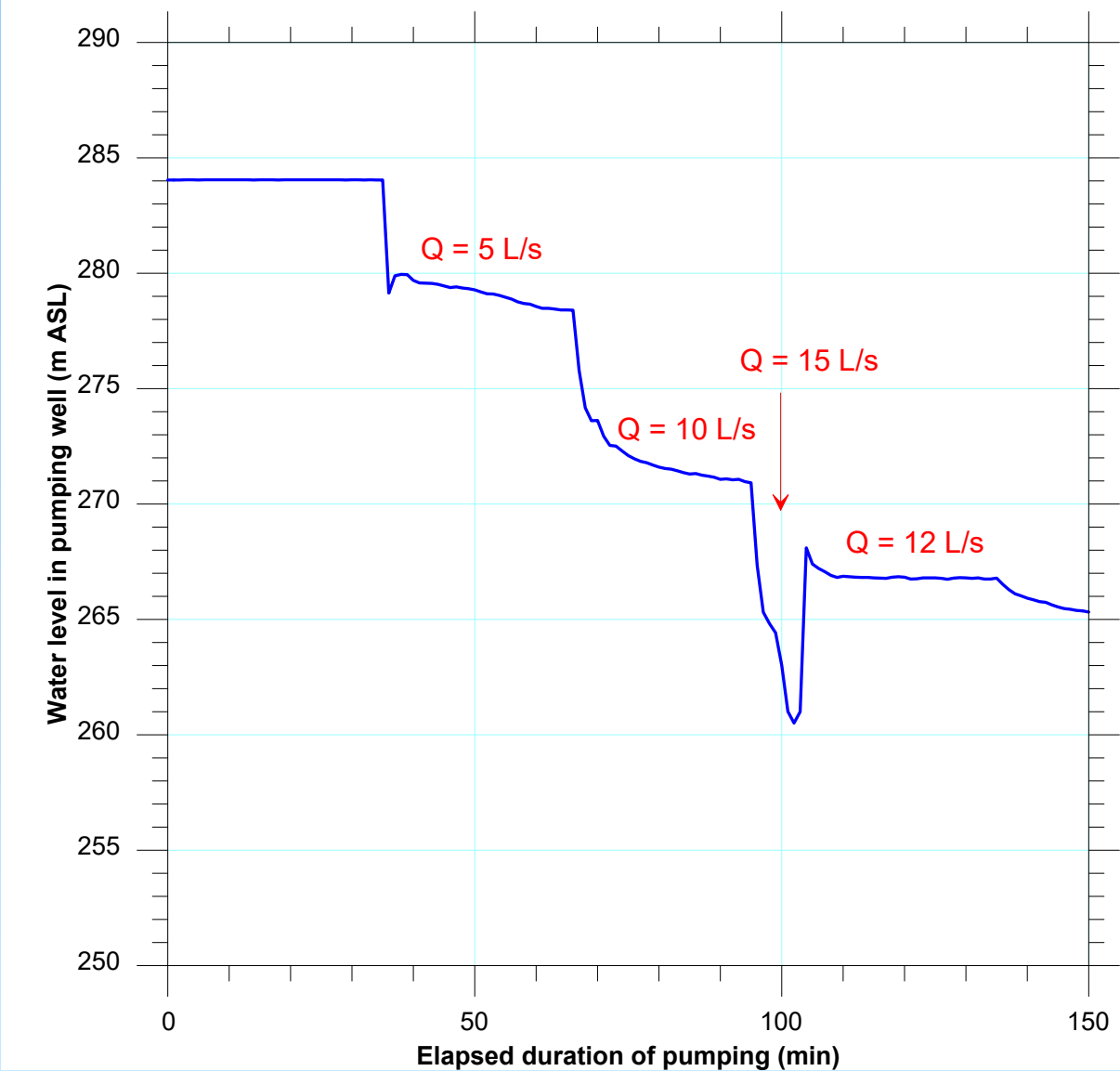
# Steps 1 and 2



# Step 3



# Step 4



# What went wrong?



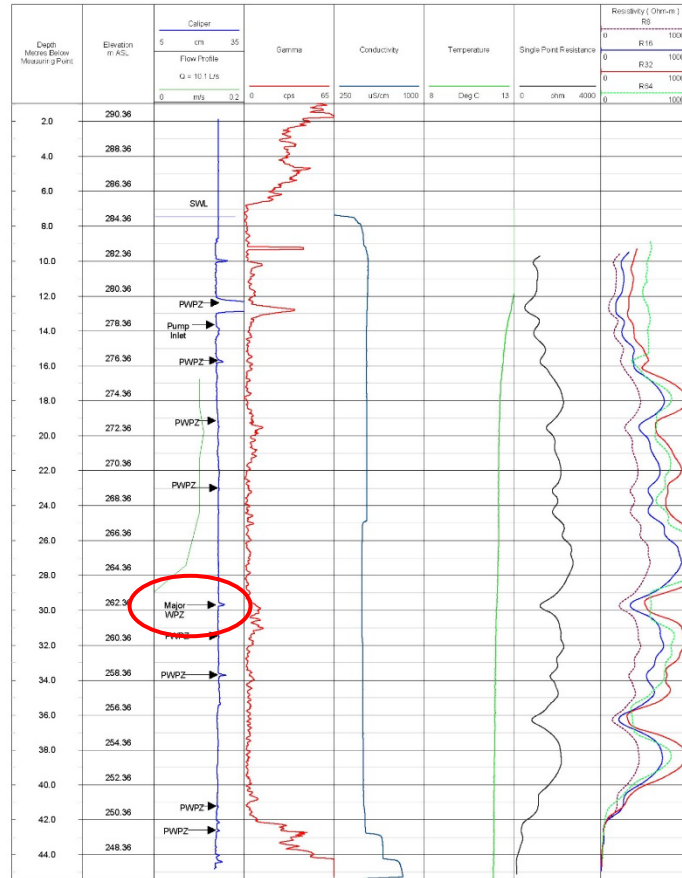
# Geophysical logging



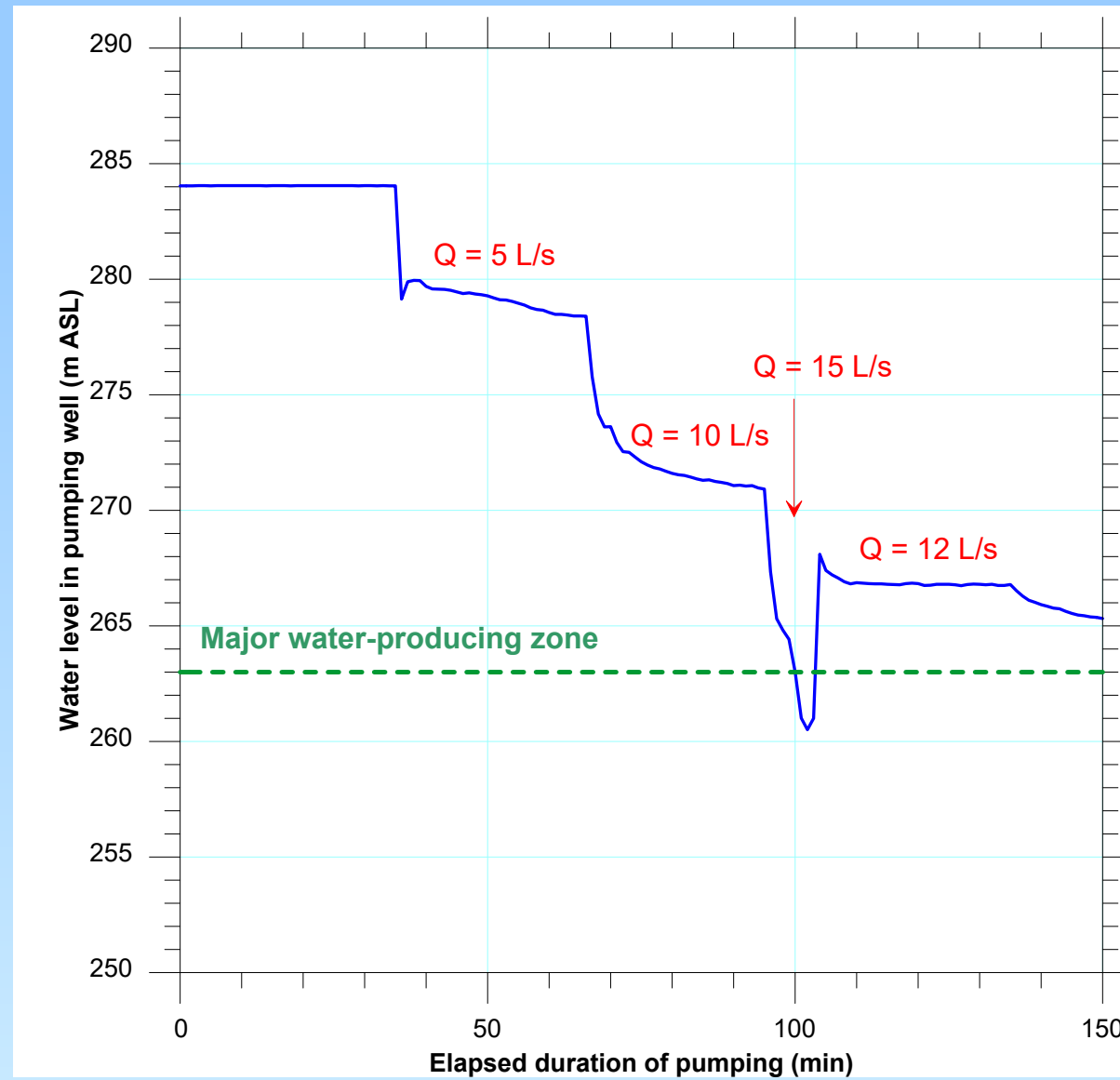
Client: CBM - St. Marys Cement  
 Well Name: TW14  
 Location: Flamborough Quarry  
 Project No: 147-009

Measuring Point: Top of Casing (0.47 m ags)  
 Measuring Point Elev: 252.36 m ASL  
 Logged By: J. Dion  
 Logging Date: Fall 2006 - Winter 2007

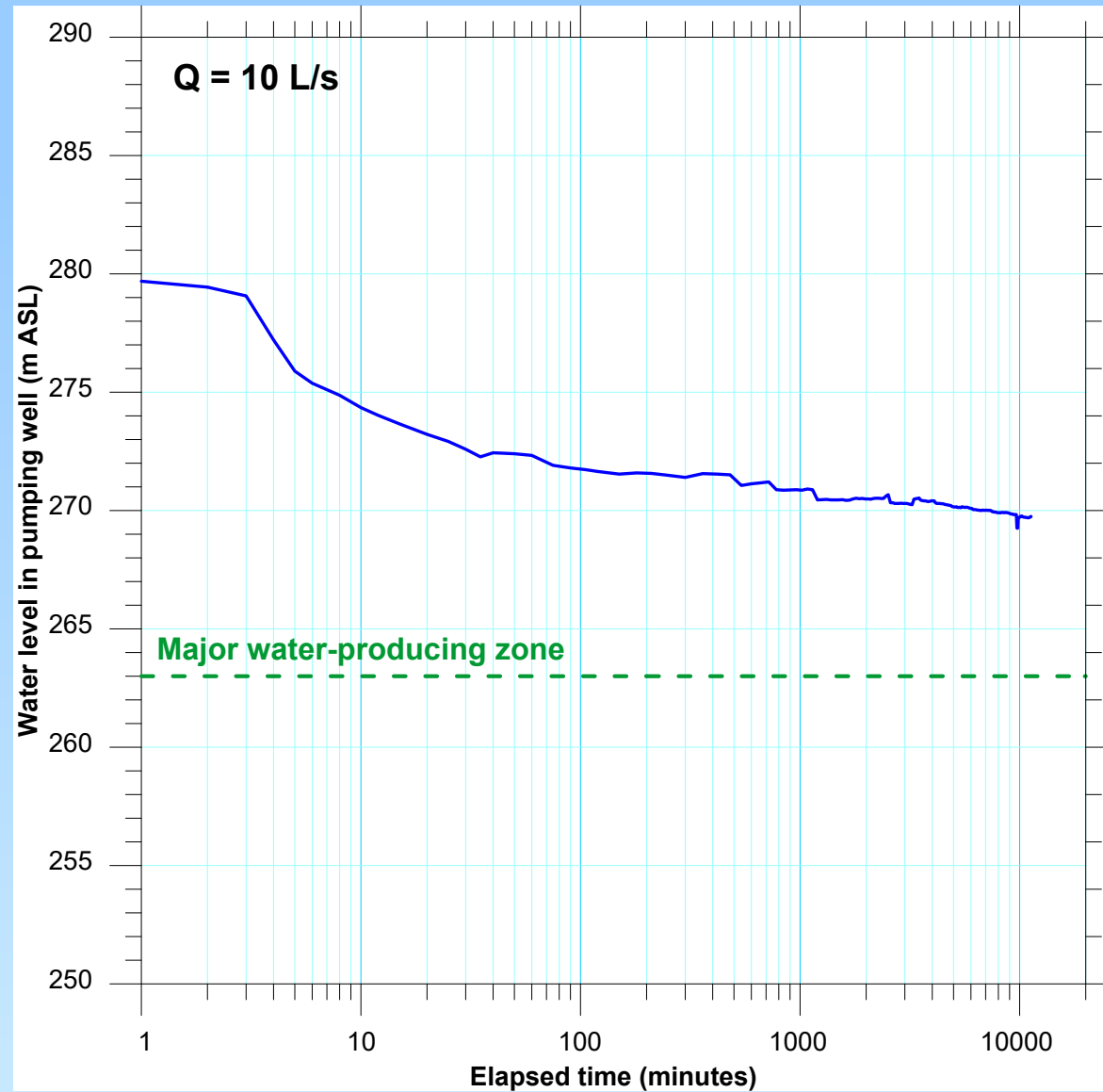
Notes: \_\_\_\_\_ **Caliper** \_\_\_\_\_ **Resistivity**



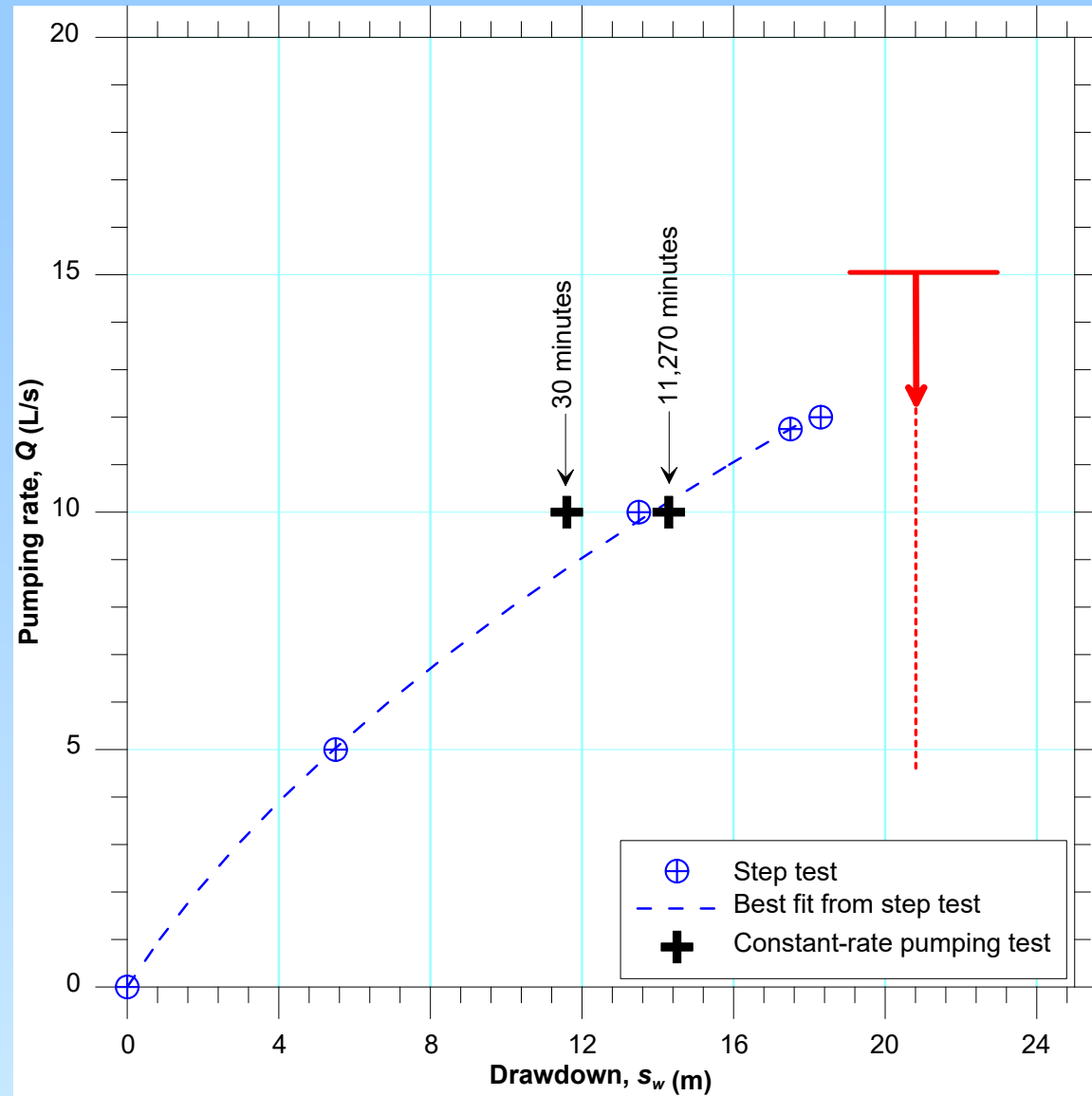
“Major WPZ”



# Constant-rate pumping test



# Summary of well performance



# **Interpretation of step tests**

# Diagnosis of nonlinear well losses: Hantush-Bierschenk analysis

Assume stabilized conditions, with turbulent head losses given by the Jacob (1947) formulation:

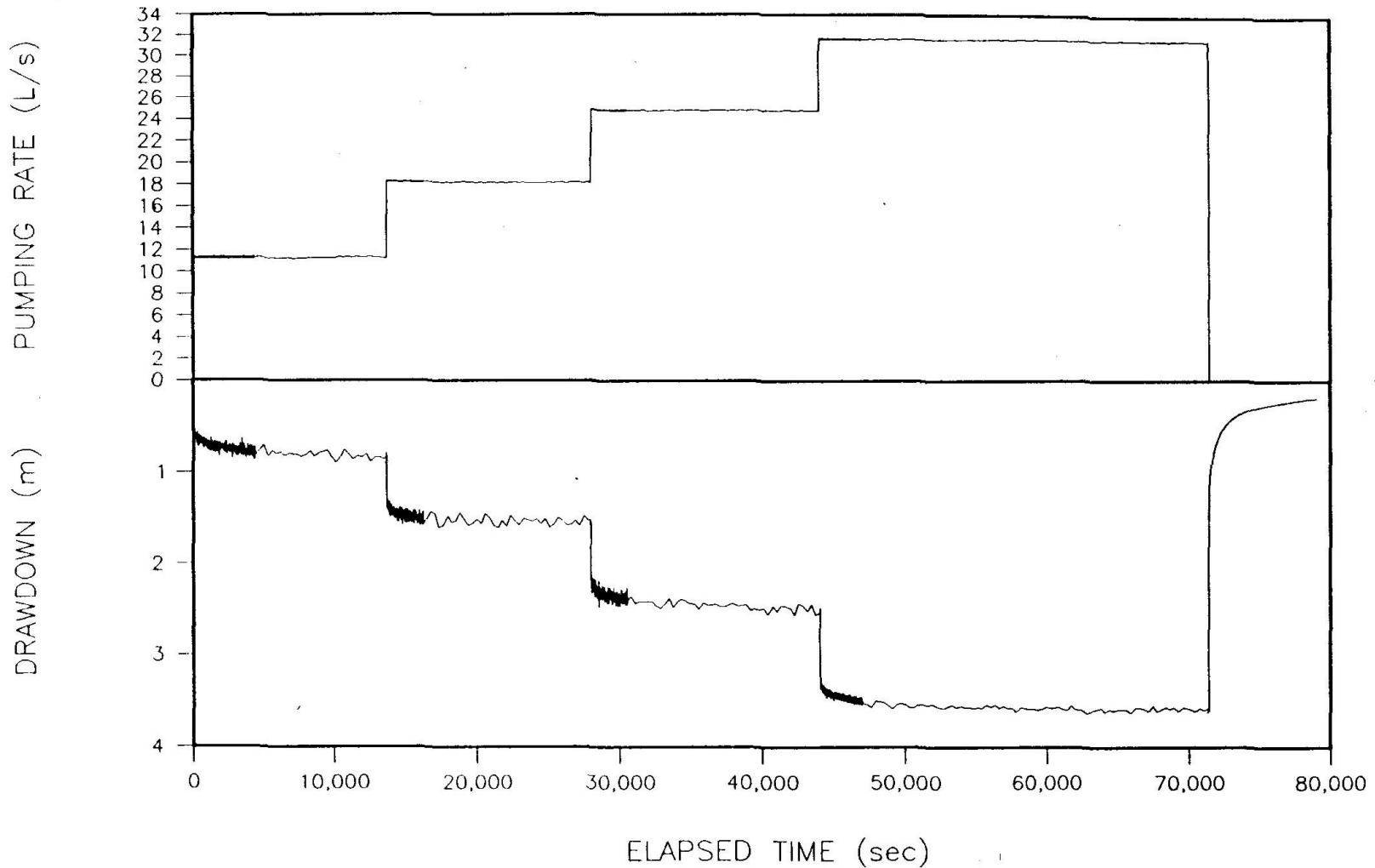
$$s_w = BQ + CQ^2$$

**Specific drawdown:**

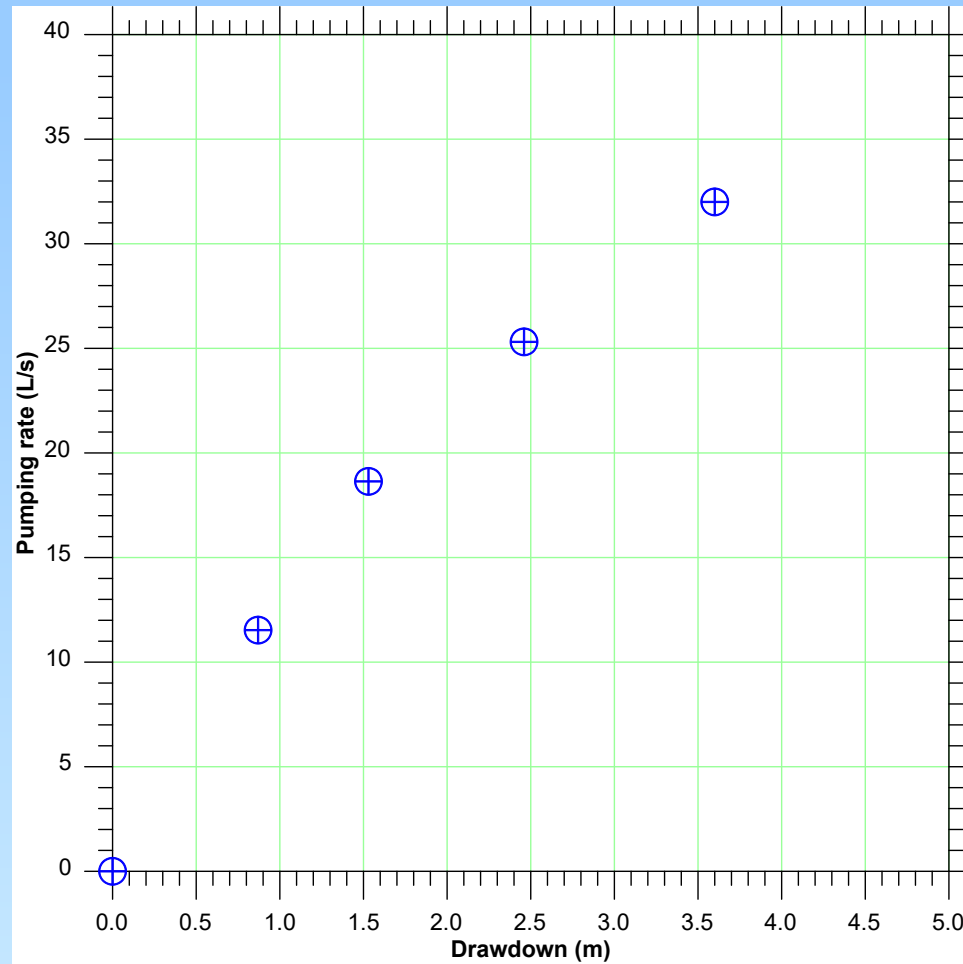
$$\frac{s_w}{Q} = \frac{1}{SC}$$

$$\rightarrow \frac{s_w}{Q} = B + CQ$$

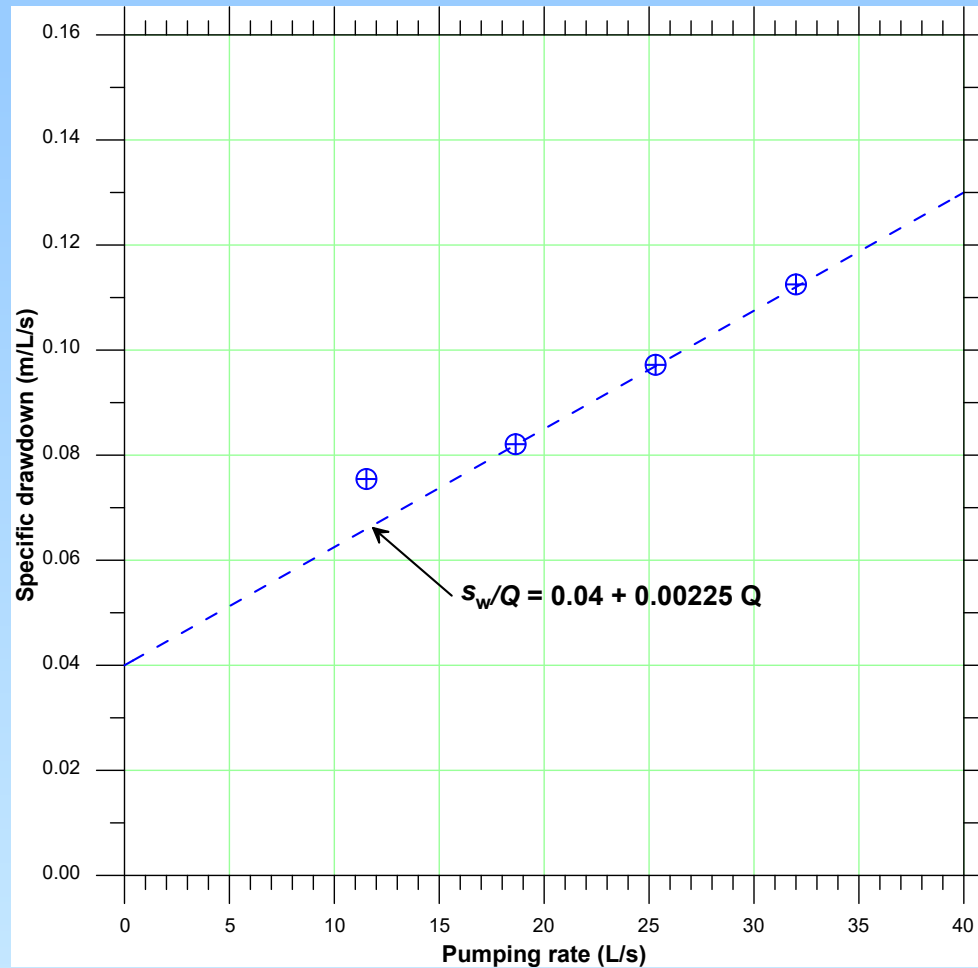
# City of Guelph PW06-03



# Specific capacity plot: $Q$ vs. $s_w$

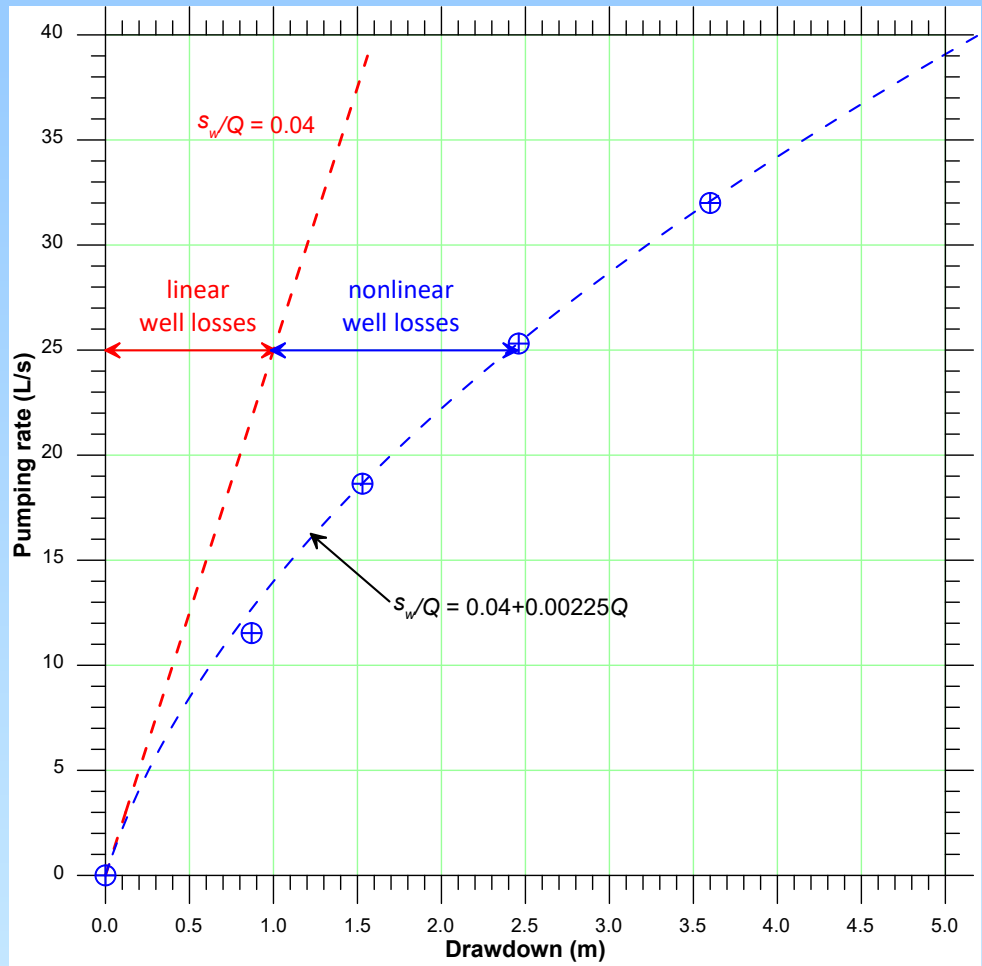


# Hantush-Bierschenk plot: $s_w/Q$ vs. $Q$

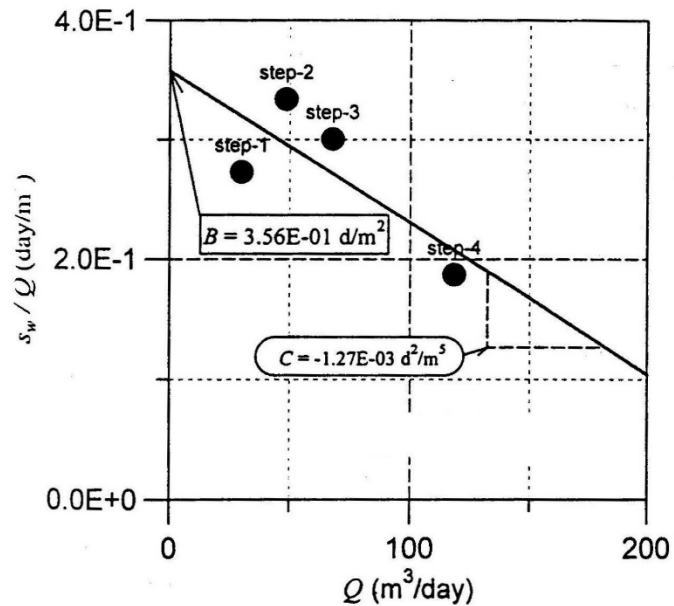
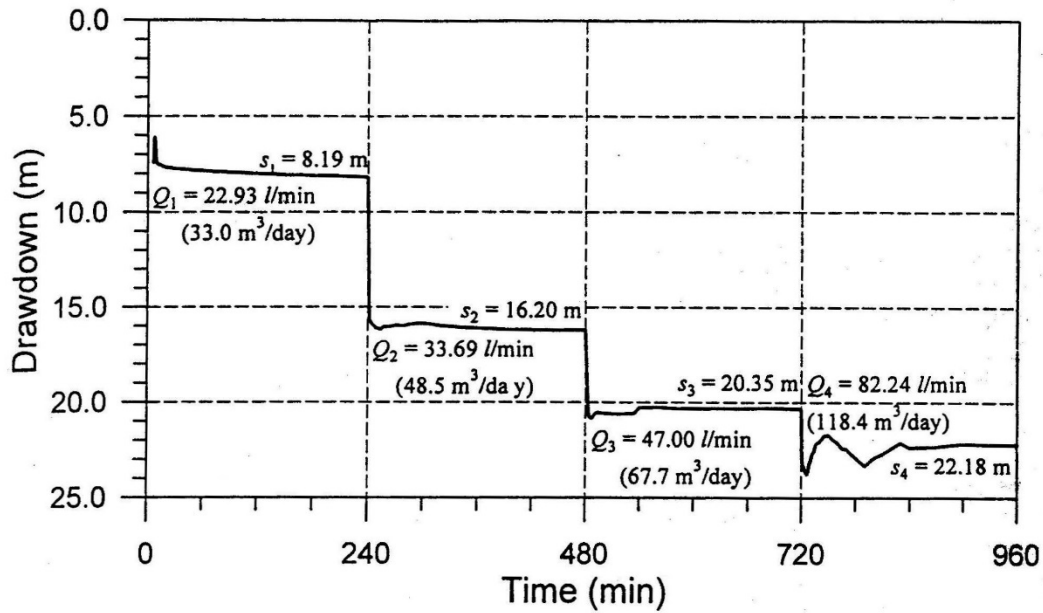


$$B = 0.04 \text{ m/(L/s)}$$
$$C = 2.25 \times 10^{-3} \text{ m/(L/s)}^2$$

# Inference of linear and nonlinear well losses



# BH199



Step	Q (m <sup>3</sup> /day)	s <sub>w</sub> (m)	s <sub>w</sub> /Q (m/m <sup>3</sup> /day)
1	33.0	8.19	0.25
2	48.5	16.20	0.33
3	67.7	20.35	0.30
4	118.4	22.18	0.19

## Significance of the parameter $B$

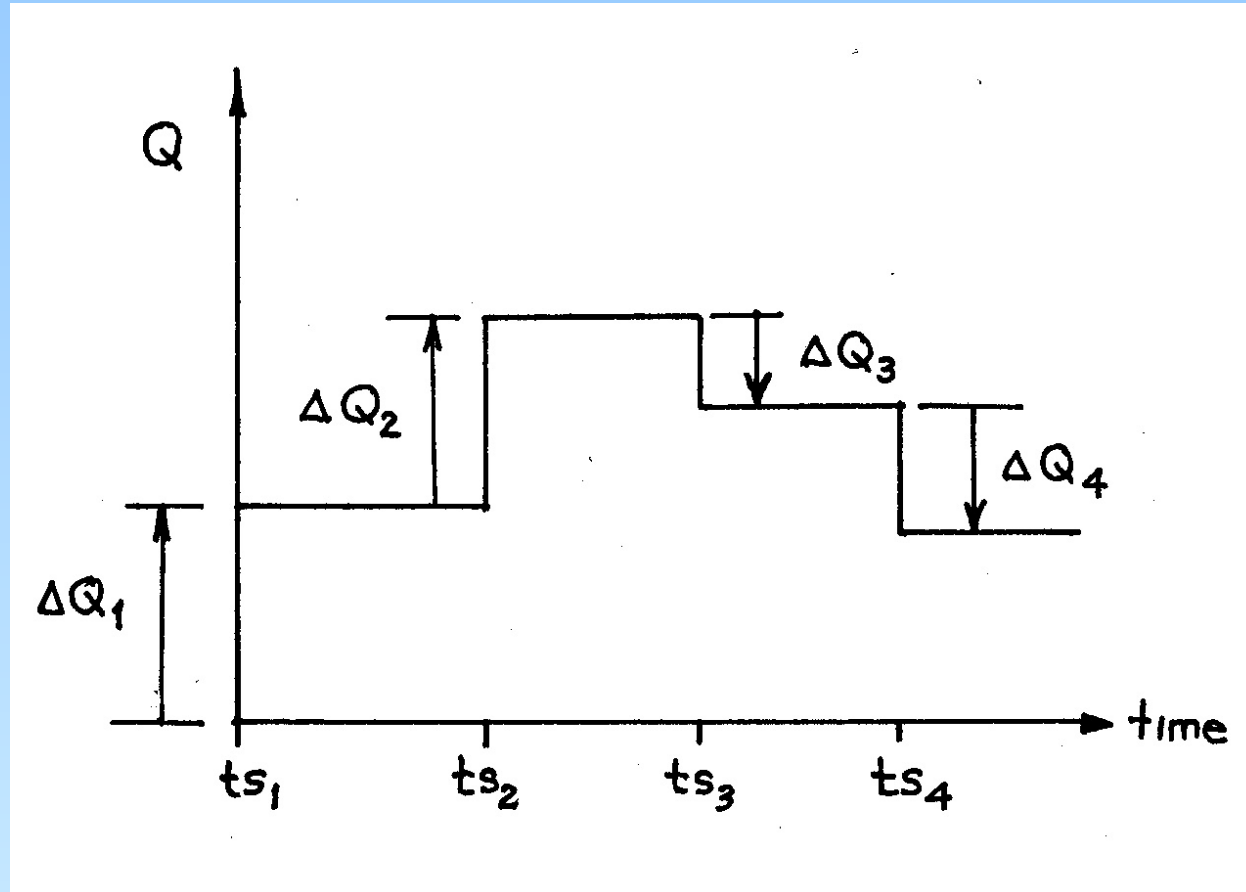
The parameter  $B$  represents the reciprocal of the specific capacity with the nonlinear well losses removed:

$$SC_{\text{adj}} = \frac{1}{B} = \frac{1}{(0.04 \text{ m}/(\text{L}/\text{s}))} = 25 \text{ (L/s)/m}$$

$$T \sim 1.3 \times SC_{\text{adj}} = 1.3 \times 25(\text{L/s})/\text{m} \left| \frac{86.4 \text{ m}^3/\text{d}}{\text{L/s}} \right|$$

$$\sim 3000 \text{ m}^2/\text{d}$$

# Interpretation of the transient drawdown record: Superposition



## Generalization of the Theis model

$$s_w(t) = \sum_{n=1}^{NP(t)} \frac{\Delta Q_n}{4\pi T} \left[ -0.5772 - \ln \left\{ \frac{r_w^2 S}{4T(t - t_{S_n})} \right\} \right] \\ + \frac{Q(t)}{4\pi T} 2S_w + C(Q(t))^2$$

$$Q(t) = \sum_{n=1}^{NP(t)} \Delta Q_n$$

# Fitting the generalized Theis model

## Parameters:

1. Transmissivity,  $T$
2. Storage coefficient,  $S$
3. Dimensionless skin factor,  $S_w$
4. Nonlinear well loss coefficient,  $C$
5. Well loss exponent,  $P$

# Example analysis

## Specified parameter values:

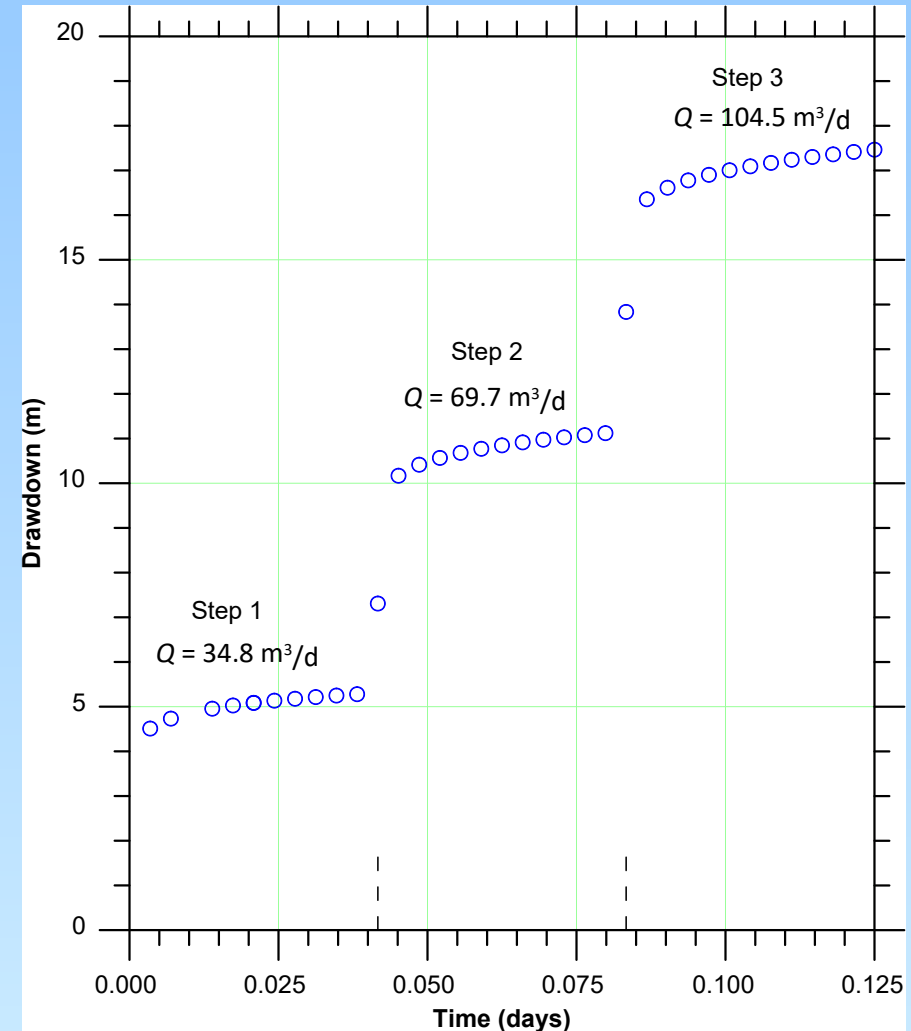
Transmissivity,  $T$  : 8.64 m<sup>2</sup>/d

Storage coefficient,  $S$  : 1.0×10<sup>-4</sup>

Dimensionless skin factor,  $S_w$  : 0.5193

Nonlinear well loss coefficient,  $C$  : 1.34×10<sup>-4</sup> m<sup>-5</sup>d<sup>2</sup>

Well loss exponent,  $P$  : 2.0



# Automatic fit

## Fitted parameter values:

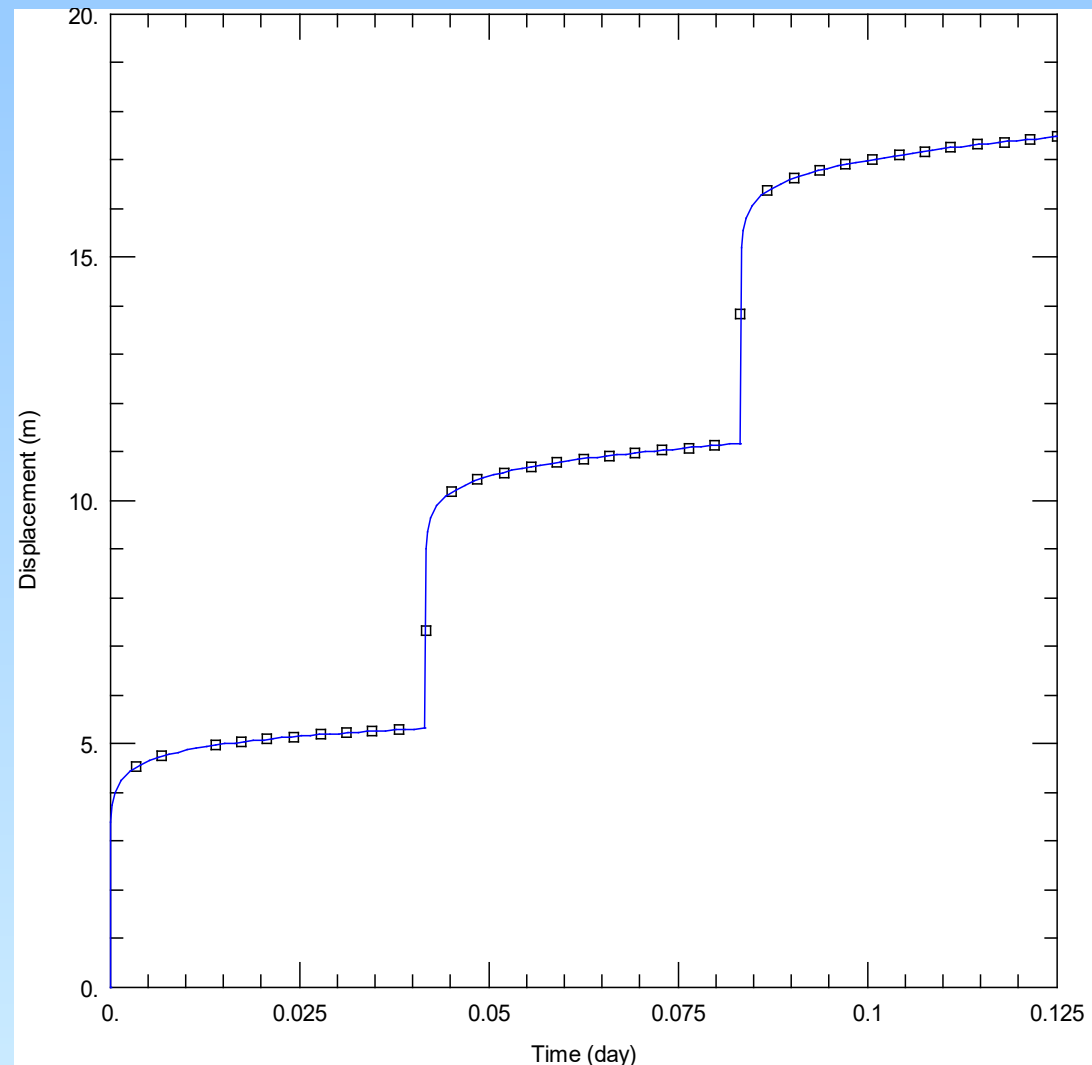
Transmissivity,  $T$  : 8.65 m<sup>2</sup>/d

Storage coefficient,  $S$  :  $5.55 \times 10^{-5}$

Dimensionless skin factor,  $S_w$  : 0.2379

Nonlinear well loss coefficient,  $C$  :  $1.33 \times 10^{-4}$  m<sup>-5</sup>d<sup>2</sup>

Well loss exponent,  $P$  : 2.0



# Specified vs. fitted parameter values

Parameter	Specified value	Fitted value
Transmissivity, $T$	8.64 m <sup>2</sup> /d	8.65 m <sup>2</sup> /d
Storage coefficient, $S$	1.0×10 <sup>-4</sup>	5.55×10 <sup>-5</sup>
Dimensionless skin factor, $S_w$	0.52	0.24
Nonlinear well loss coefficient, $C$	1.34×10 <sup>-4</sup> m <sup>-5</sup> d <sup>2</sup>	1.33×10 <sup>-4</sup> m <sup>-5</sup> d <sup>2</sup>
Well loss exponent, $P$	2.0	2.0



**Nonuniqueness:**

Multiple parameter sets yield the same match

## DIAGNOSTICS REPORT

### Diagnostic Statistics

Estimation complete! Parameter change criterion (ETOL) reached.

Aquifer Model: Confined  
Solution Method: Theis (Step Test)

### Estimated Parameters

Parameter	Estimate	Std. Error	Approx. C.I.	t-Ratio	
T	8.649	0.004118	+/- 0.008397	2100.2	m <sup>2</sup> /day
S	5.554E-5	4.83E-5	+/- 9.848E-5	1.15	
Sw	0.2379	0.4298	+/- 0.8763	0.5536	
C	0.0001325	1.319E-7	+/- 2.689E-7	1004.7	day <sup>2</sup> /m <sup>5</sup>
P	2.	not estimated			

C.I. is approximate 95% confidence interval for parameter  
t-ratio = estimate/std. error  
No estimation window

$K = T/b = 0.8649$  m/day (0.001001 cm/sec)  
 $S_s = S/b = 5.554E-6$  1/m

### Parameter Correlations

	T	S	Sw	C
T	1.00	-0.85	-0.85	0.31
S	-0.85	1.00	1.00	-0.21
Sw	-0.85	1.00	1.00	-0.21
C	0.31	-0.21	-0.21	1.00

### Residual Statistics

for weighted residuals

Sum of Squares .... 4.392E-5 m<sup>2</sup>  
Variance ..... 1.417E-6 m<sup>2</sup>  
Std. Deviation..... 0.00119 m  
Mean ..... -0.0001331 m  
No. of Residuals .... 35  
No. of Estimates .... 4

The storage coefficient and skin factor are perfectly correlated.

Why are the storage coefficient ( $S$ ) and the skin factor ( $S_w$ ) perfectly correlated?

Let's go back to the Cooper-Jacob solution, with additional skin losses:

$$s_w \cong \frac{Q}{4\pi T} \left[ \left( -0.5772 - \ln \left\{ \frac{r_w^2 S}{4Tt} \right\} \right) + 2S_w \right]$$

We can expand this as:

$$s_w = \frac{Q}{4\pi T} \left[ -0.5772 - \ln \left\{ \frac{r_w^2 S}{4Tt} \text{EXP}\{-2S_w\} \right\} \right]$$

In other words, we obtain the same drawdown from:

$$s_w = \frac{Q}{4\pi T} \left[ \left( -0.5772 - \ln \left\{ \frac{r_w^2 S}{4Tt} \right\} \right) + 2s_w \right]$$

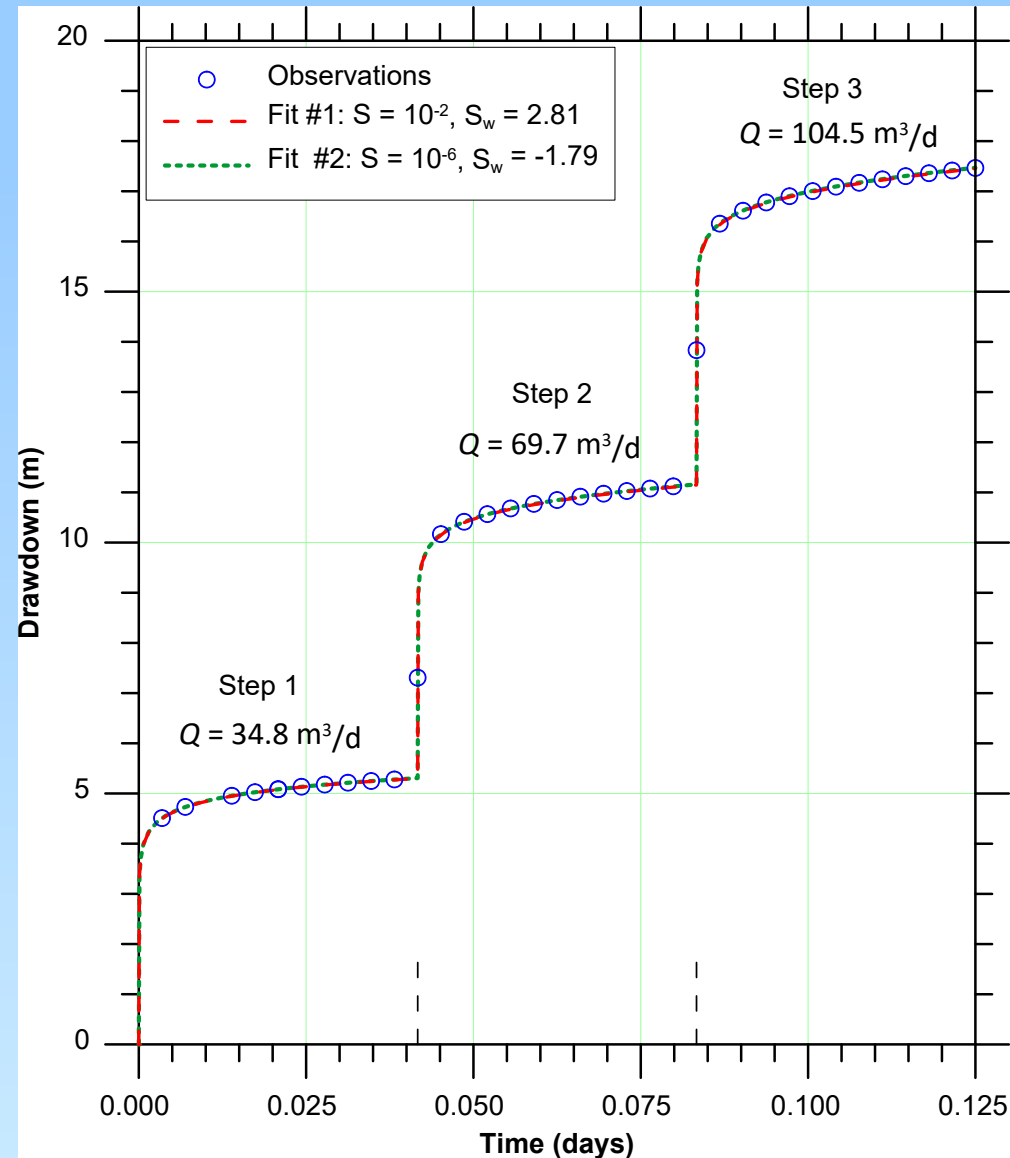
as we do from:

$$s_w = \frac{Q}{4\pi T} \left[ -0.5772 - \ln \left\{ \frac{r_w^2 S_E}{4Tt} \right\} \right]$$

with:

$$S_E = S \text{ EXP}\{-2s_w\}$$

# Step test: Fits for $S = 1 \times 10^{-2}$ and $1 \times 10^{-6}$



## Results of multiple fits

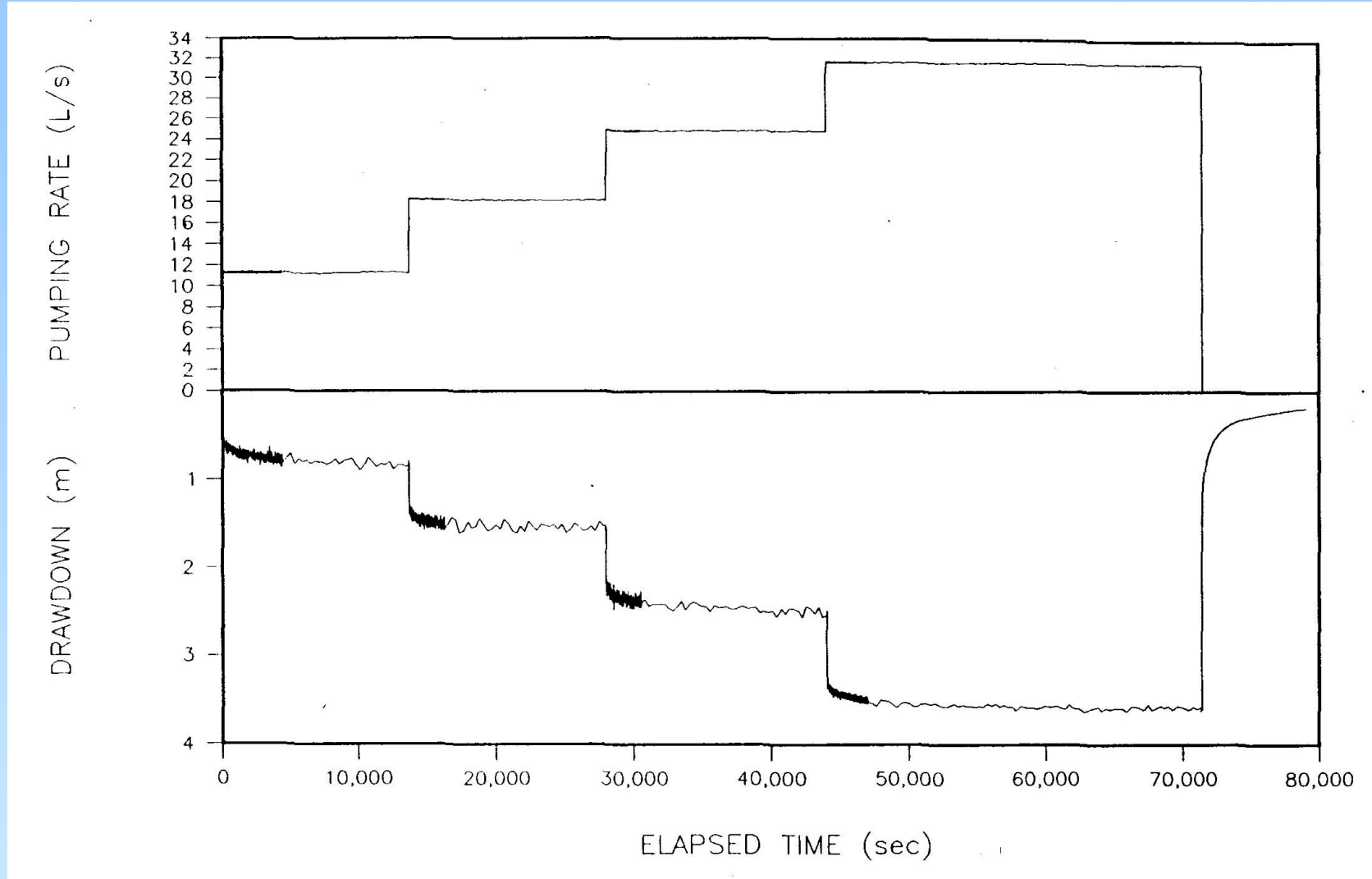
Fixed $S$	Fitted $S_w$	$S \text{ EXP}\{-2S_w\}$
$1 \times 10^{-6}$	-1.785	$3.55 \times 10^{-5}$
$1 \times 10^{-5}$	-0.634	$3.55 \times 10^{-5}$
$1 \times 10^{-4}$	0.517	$3.55 \times 10^{-5}$
$1 \times 10^{-3}$	1.667	$3.55 \times 10^{-5}$
$1 \times 10^{-2}$	2.810	$3.63 \times 10^{-5}$

We cannot estimate the storage coefficient and skin factor separately.

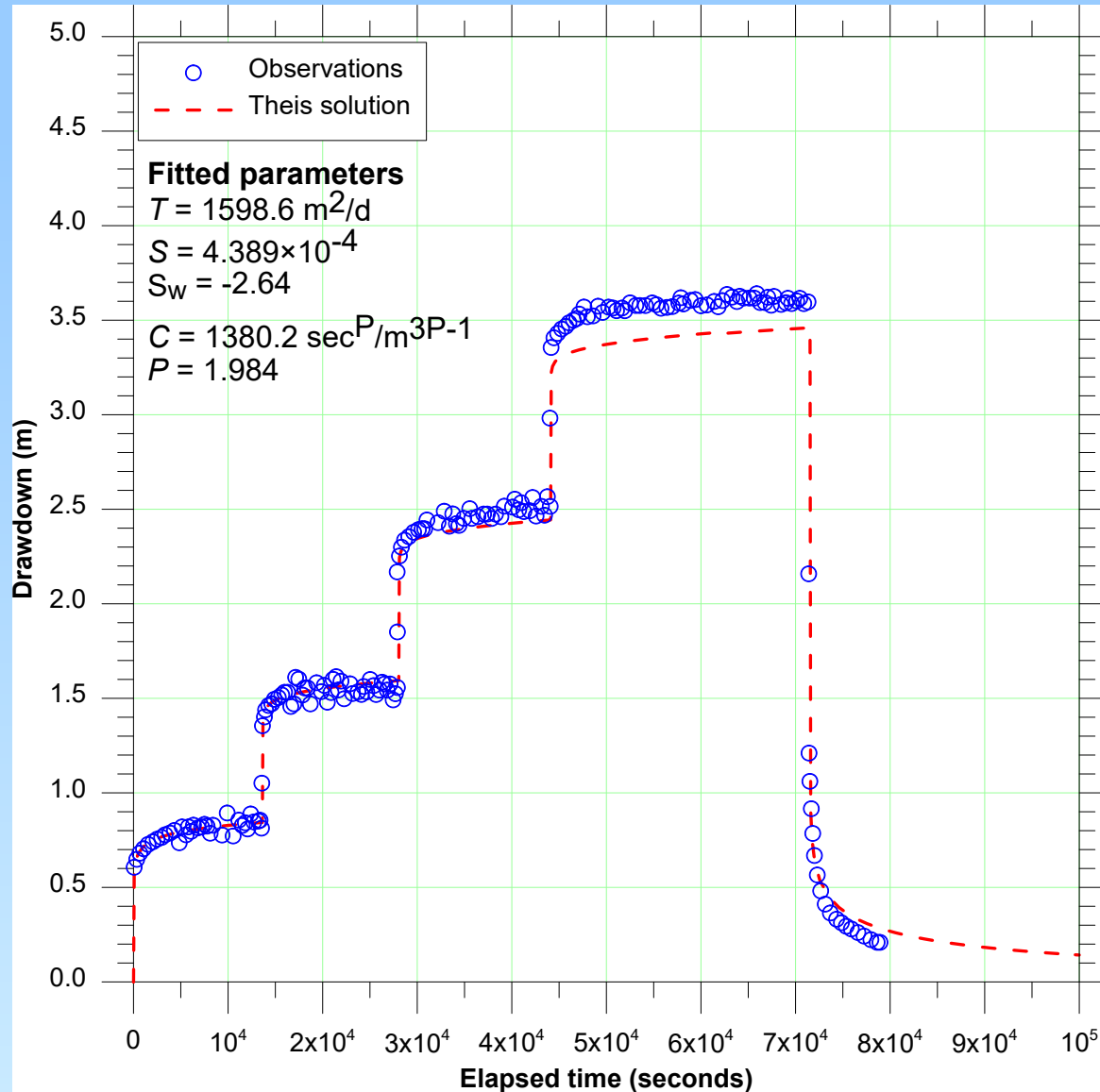
## **CJN preferred analysis approach: “Constrained” fitting**

1. Fix  $S$  at a realistic value.
2. Neglect skin losses [unless there is a good reason to include them],  $S_w = 0.0$
3. Fix  $C$  from Hantush-Bierschenk analysis
4. Fix  $P = 2.0$
5. Assess the significance of  $S$  with respect to the estimation of transmissivity

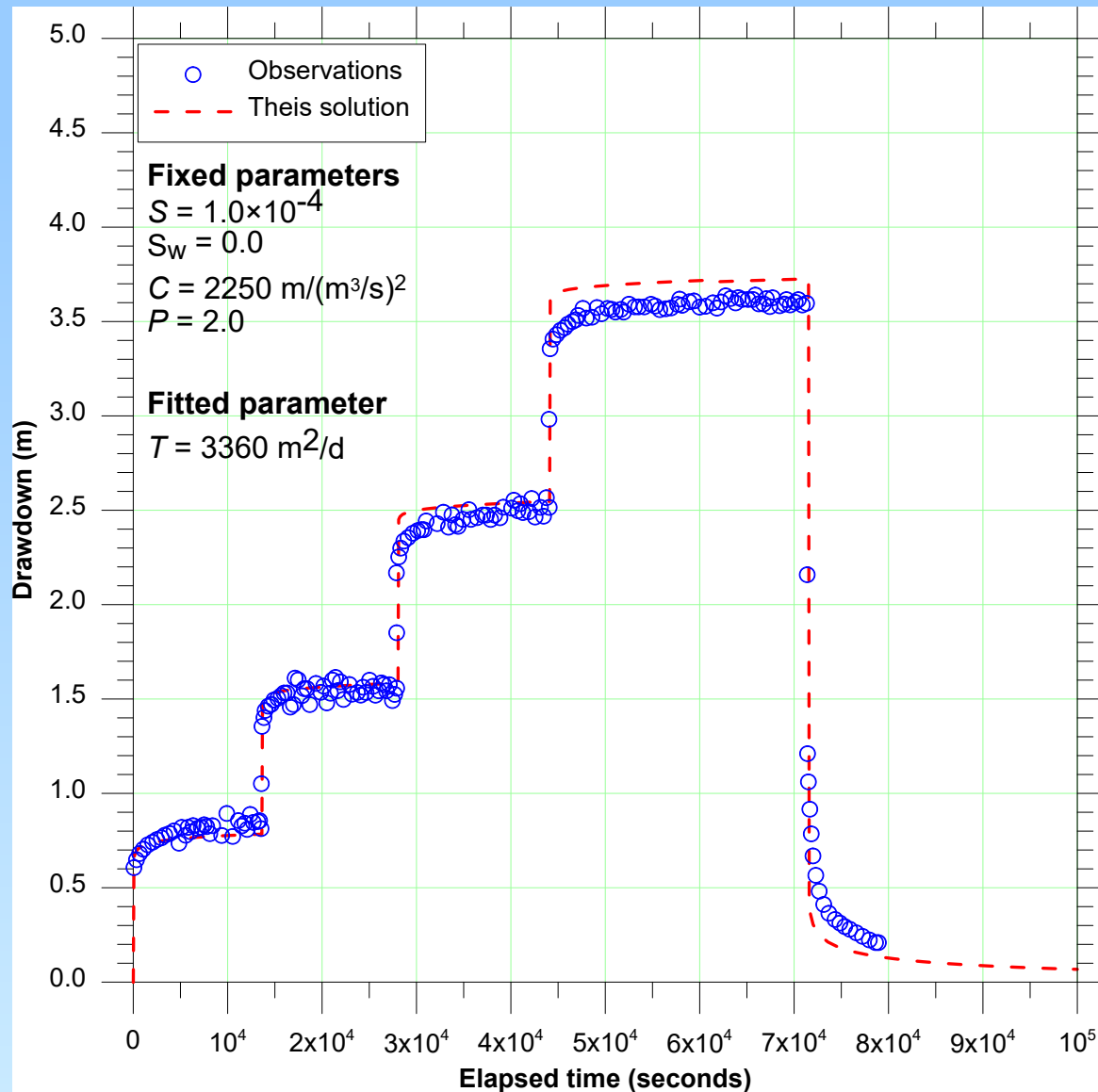
# City of Guelph PW06-03 (2)



# Analysis #1: Automatic with all parameters adjustable

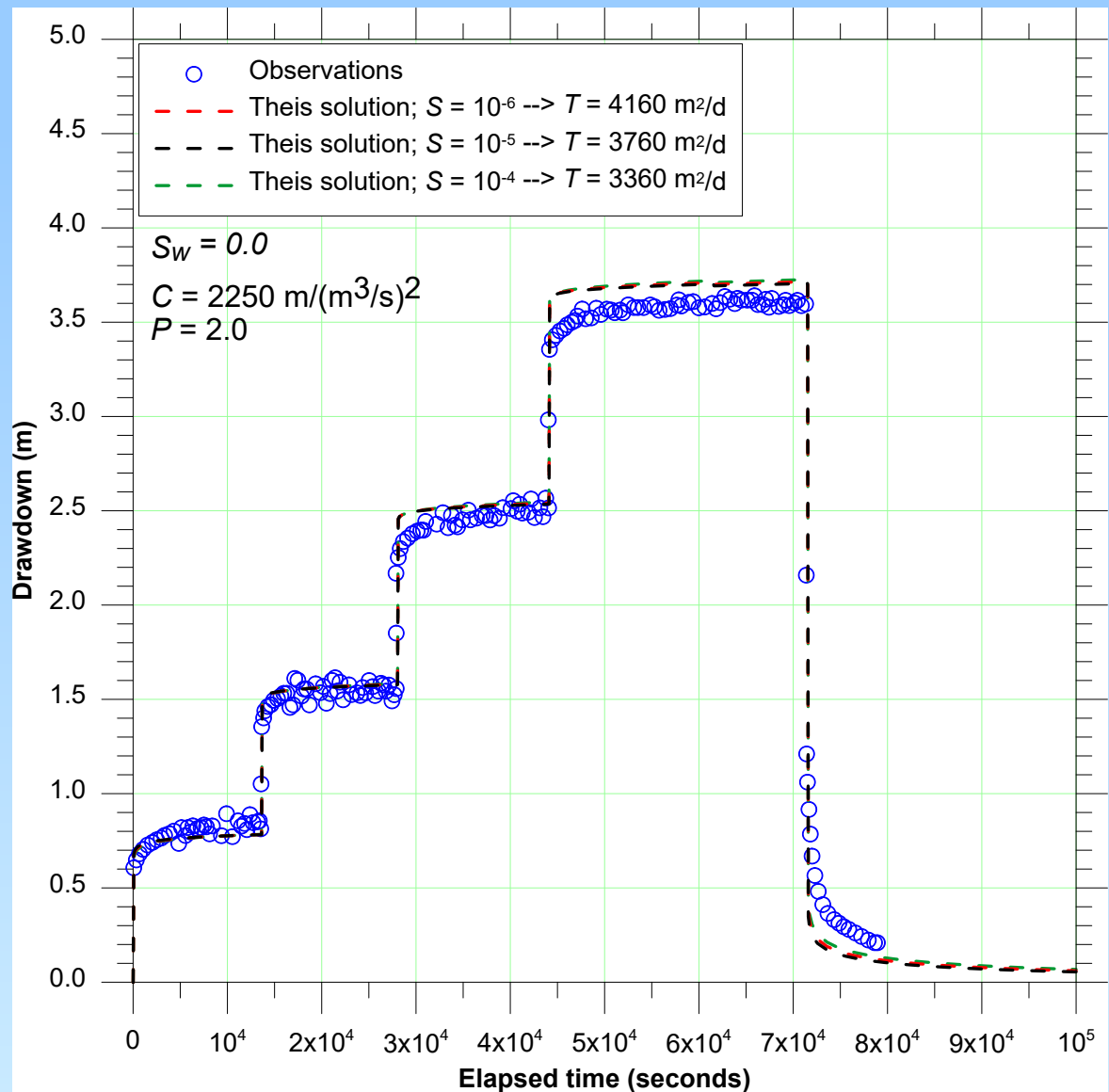


## Analysis #2: “Constrained fit”



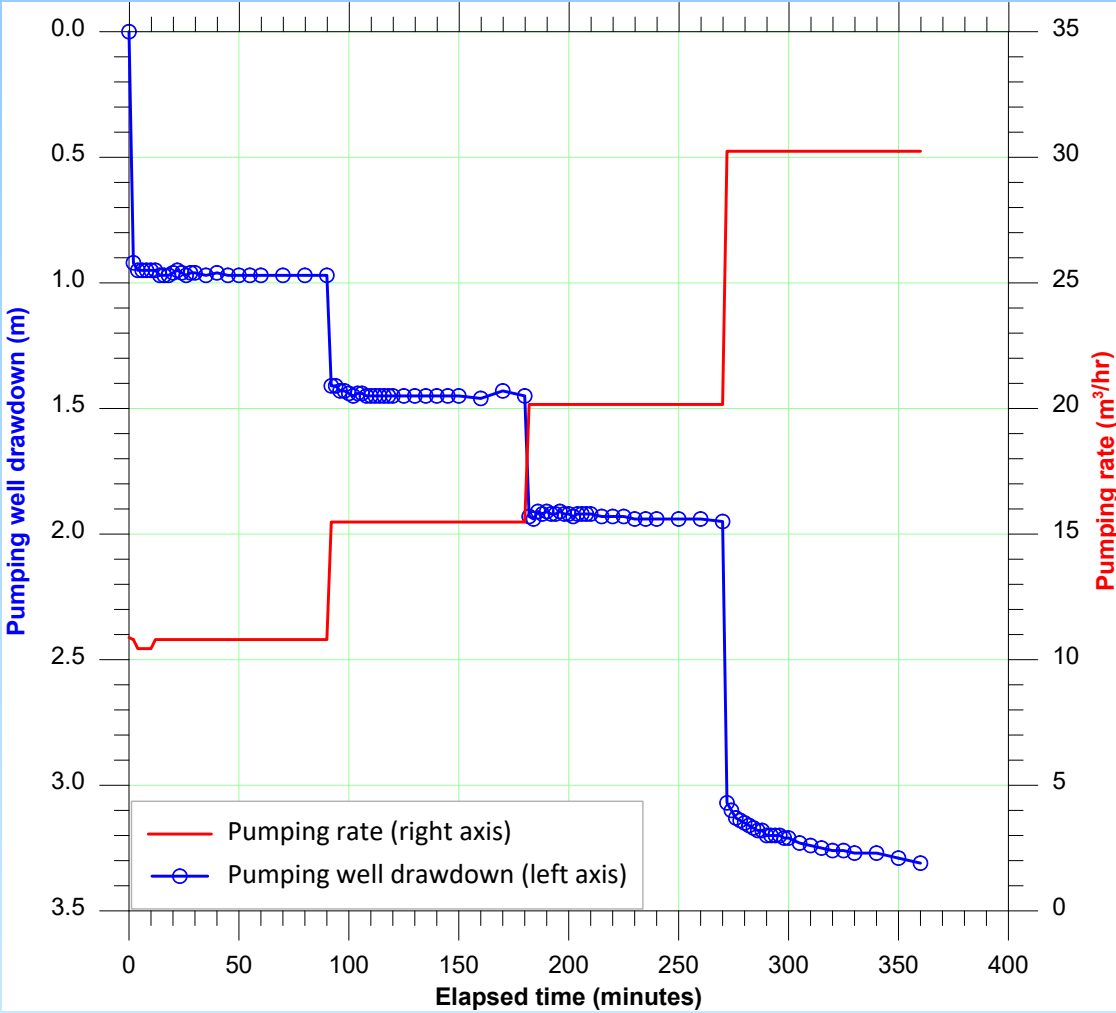
Recall:  
 $T$  specific capacity  $\sim 3,000 \text{ m}^2/\text{d}$

# Significance of the storativity $S$

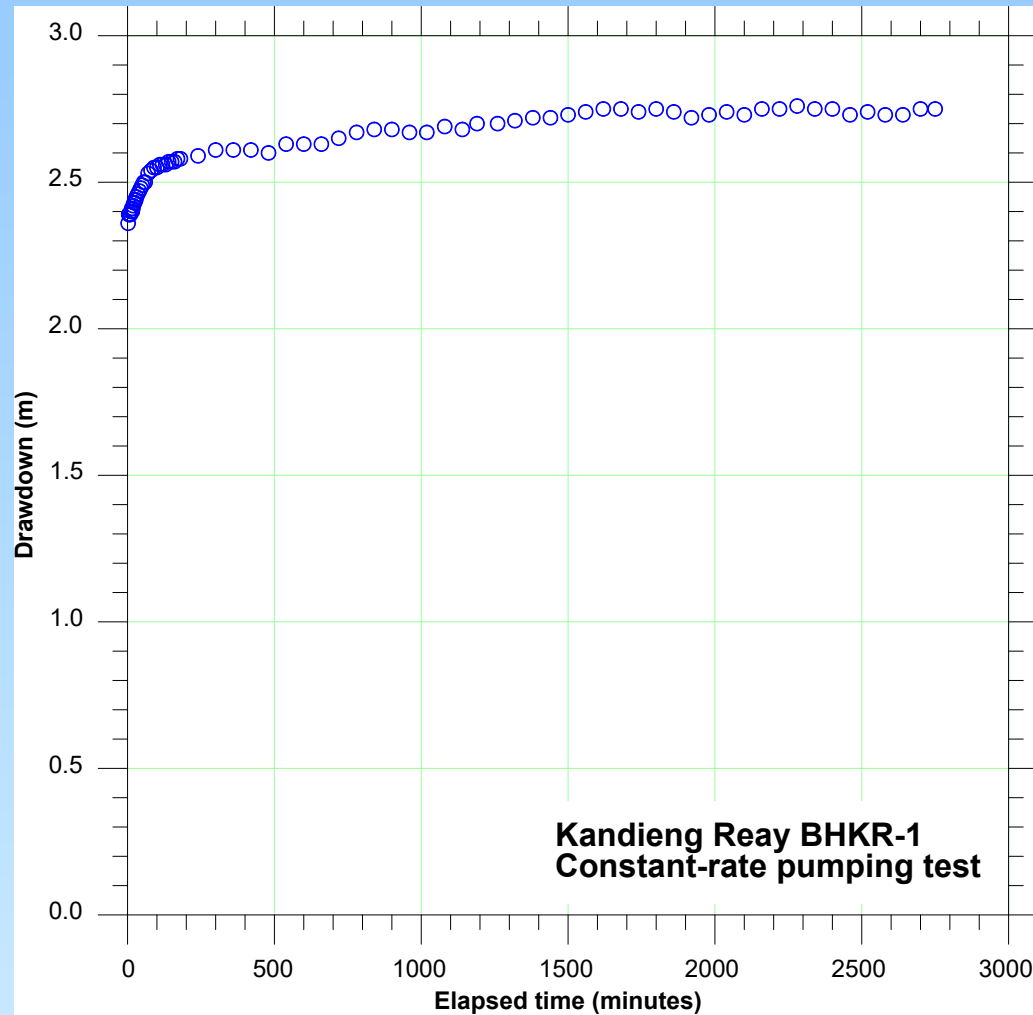


**Case study:**  
**Kandieng Reay, Cambodia**  
**Well BHKR-1**

# 1. Step test



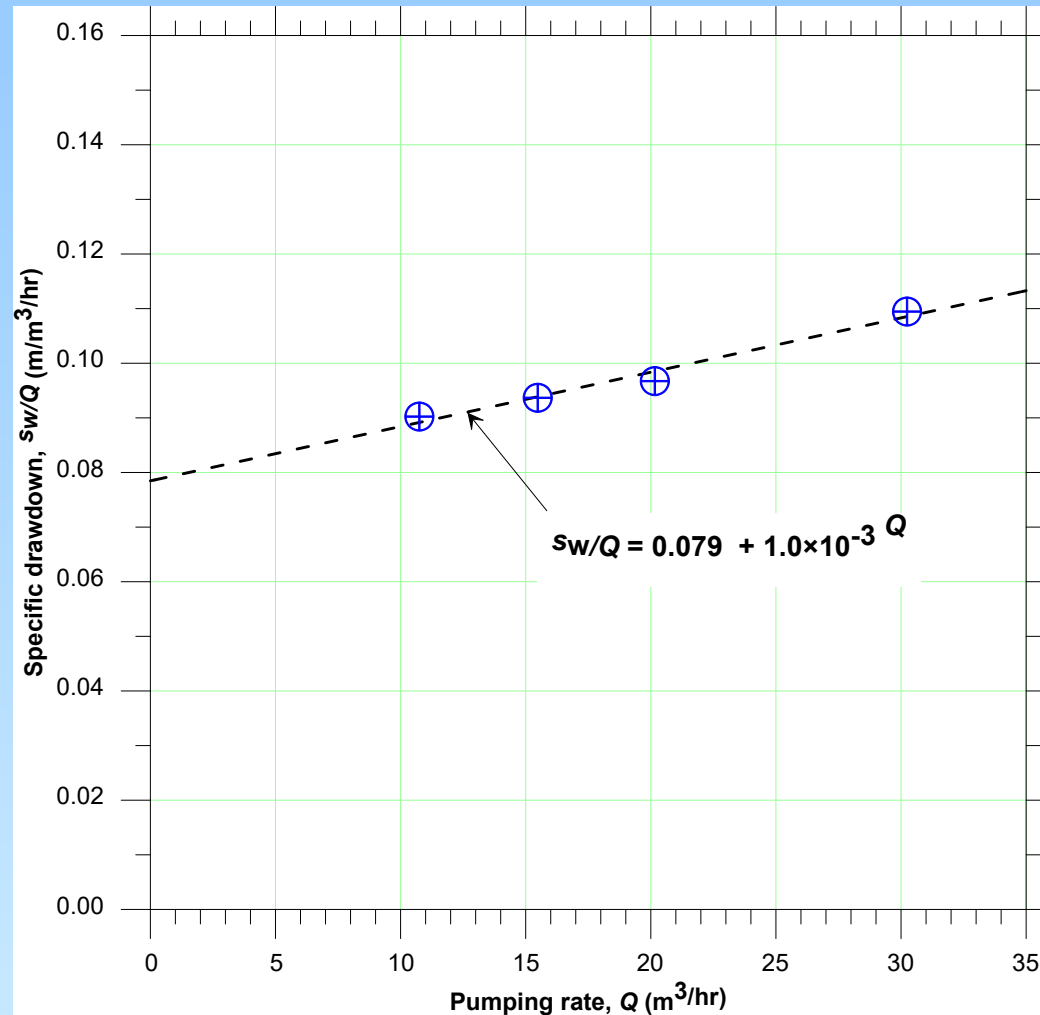
## 2. Constant-rate test



46 hours of pumping

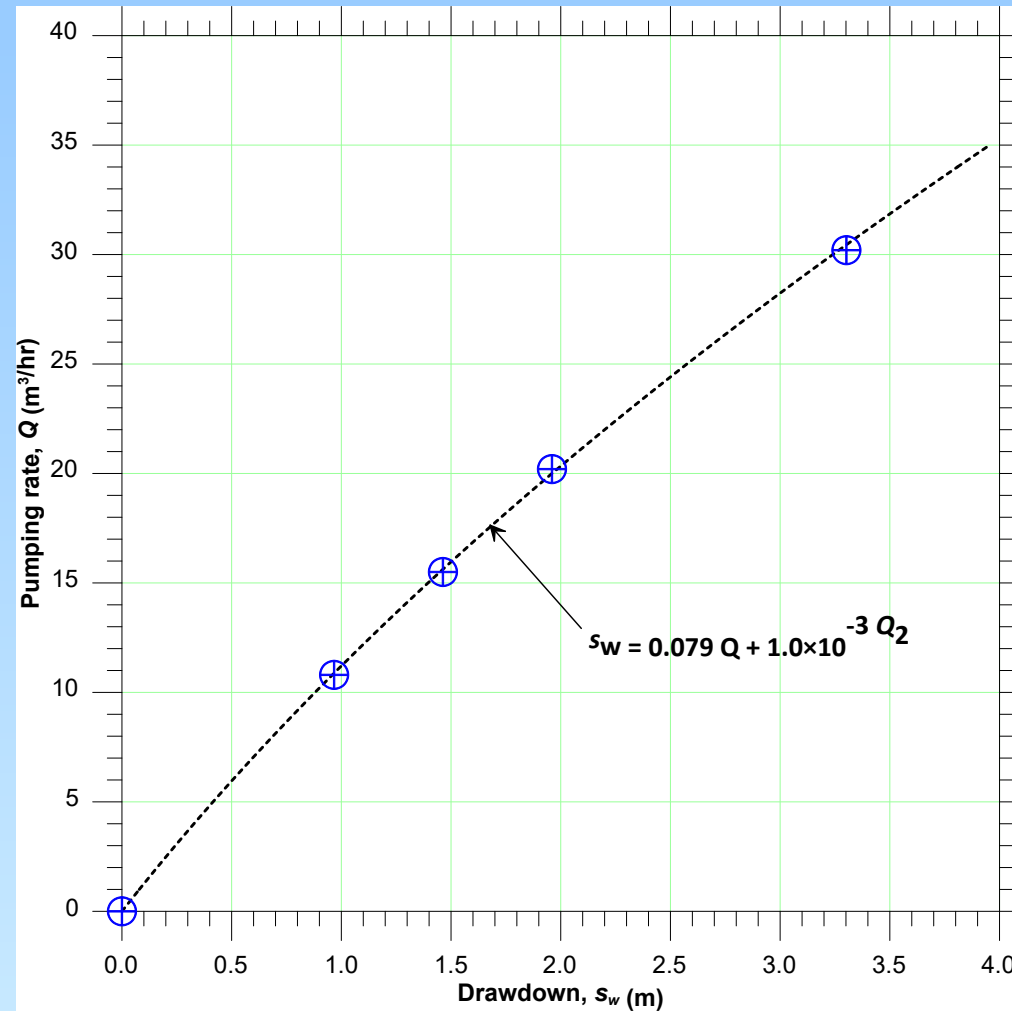
$$Q_{\text{avg}} = 25.2 \text{ m}^3/\text{hr}$$

# Estimation of nonlinear well losses

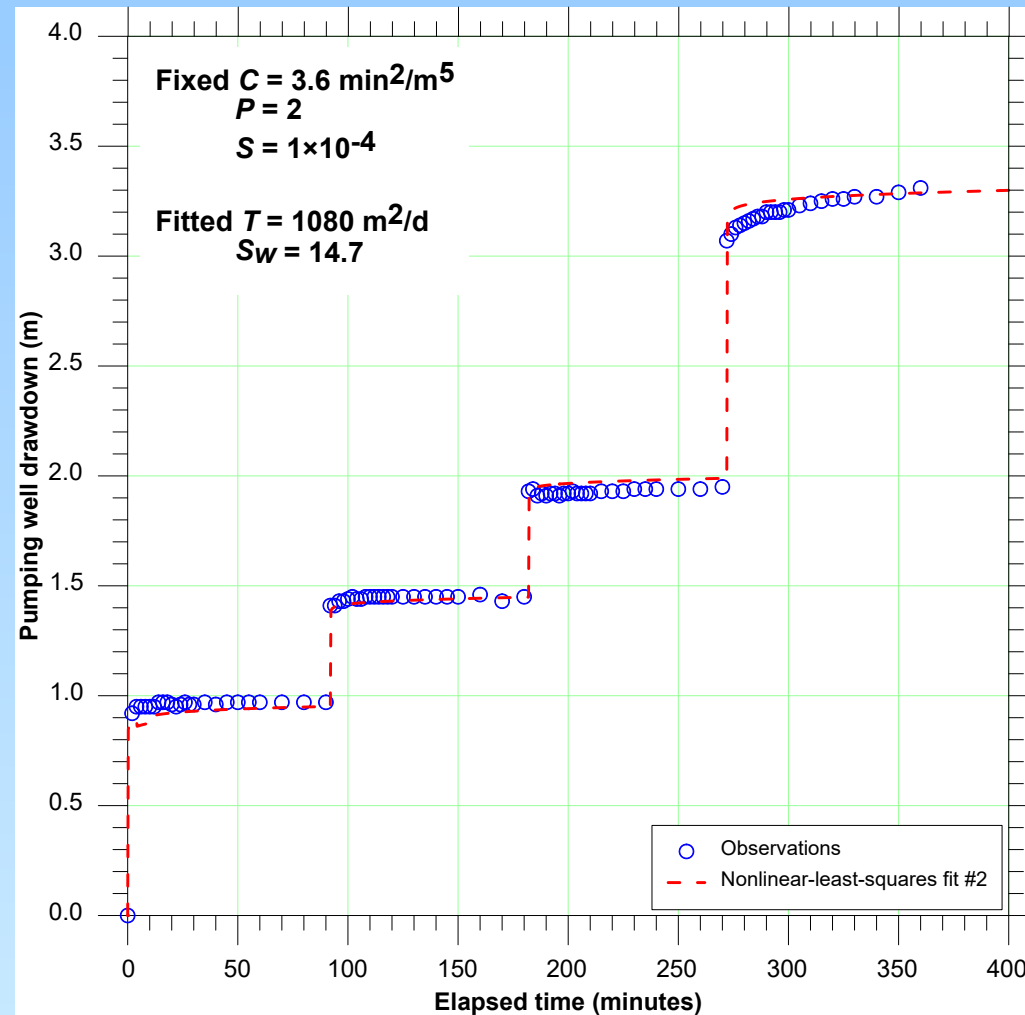


Hantush-Bierschenk plot:  
 $C = 1.0 \times 10^{-3} \text{ m}/(\text{m}^3/\text{hr})^2$

# Check on the Hantush-Bierschenk analysis

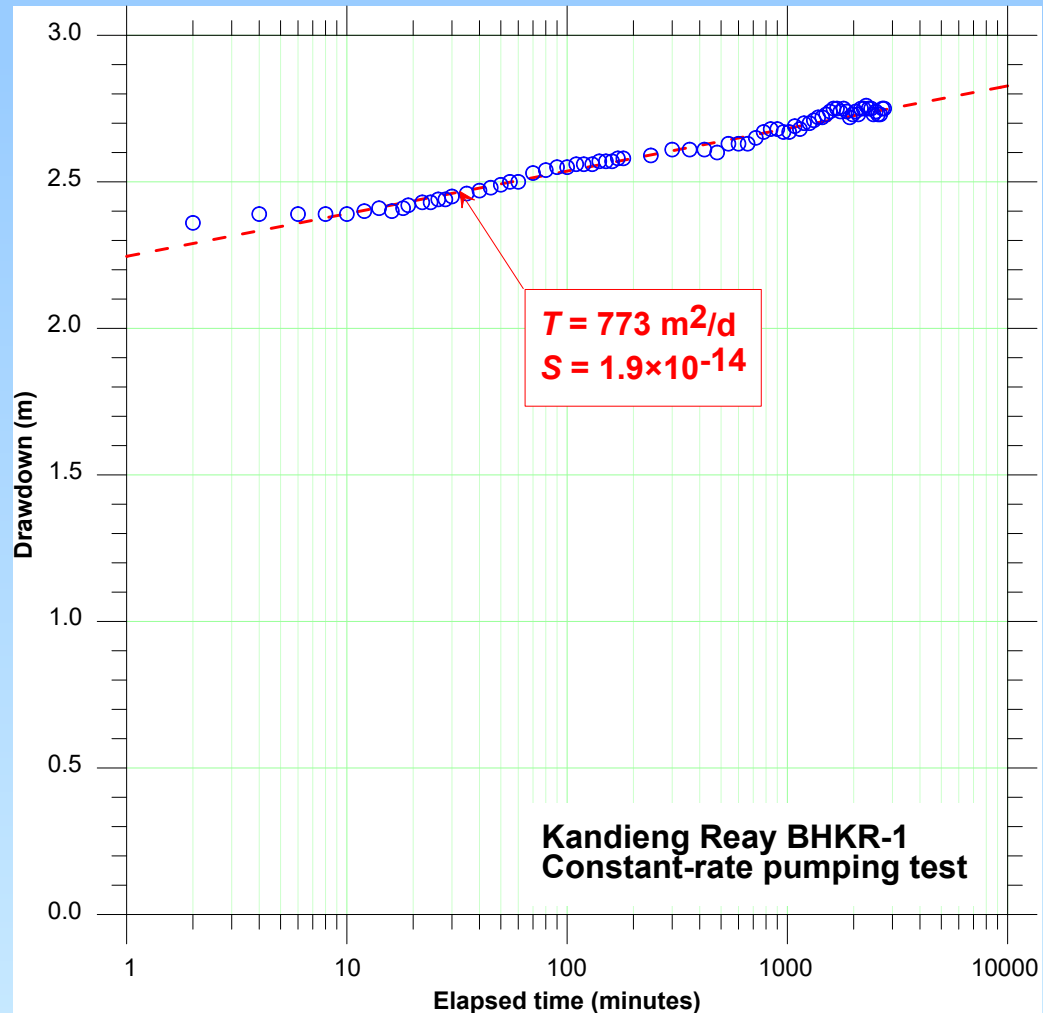


# Constrained step test analysis



Conversion:  
 $C = 1.0 \times 10^{-3} \text{ m}/(\text{m}^3/\text{hr})^2$   
 $= 3.6 \text{ m}/(\text{m}^3/\text{min})^2$

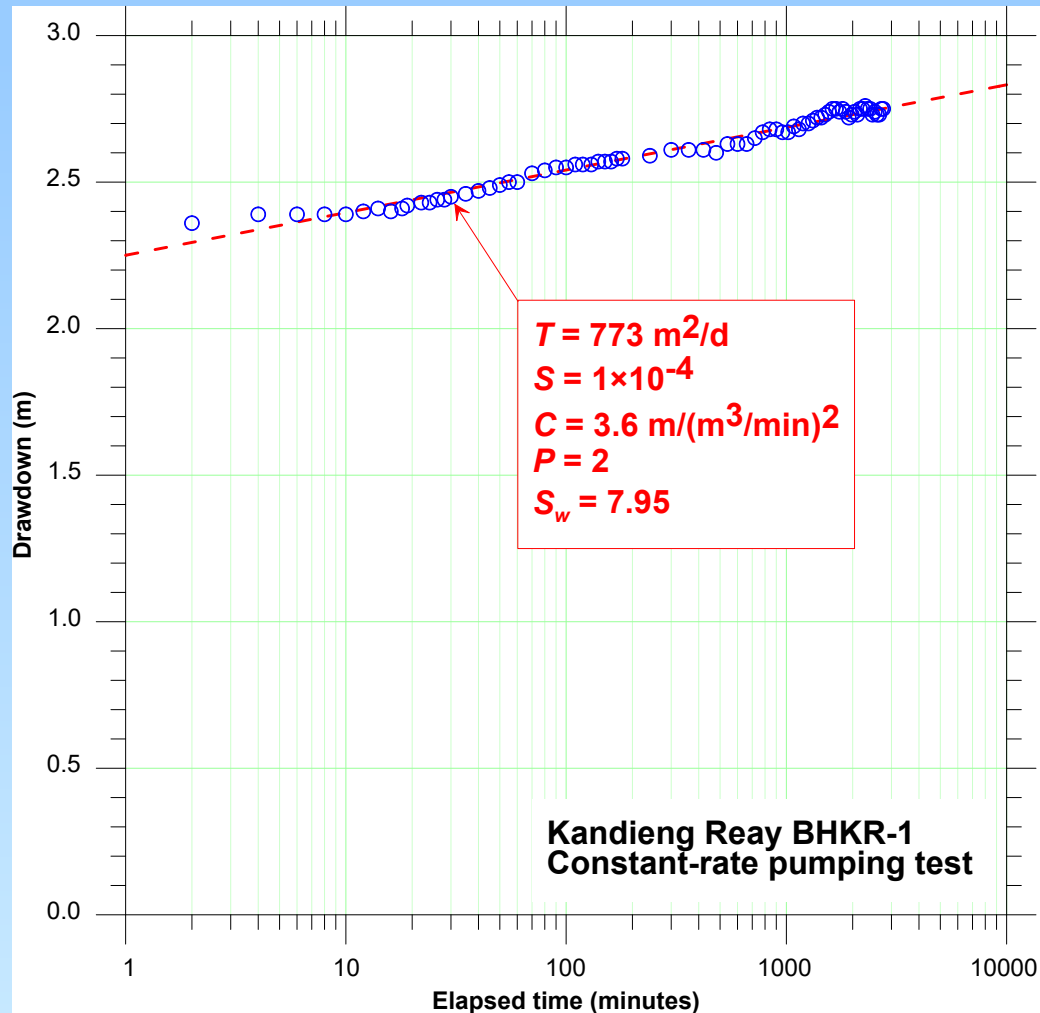
# Estimation of the transmissivity



Re: transmissivity estimate from the step test analysis:  $1080 \text{ m}^2/\text{day}$

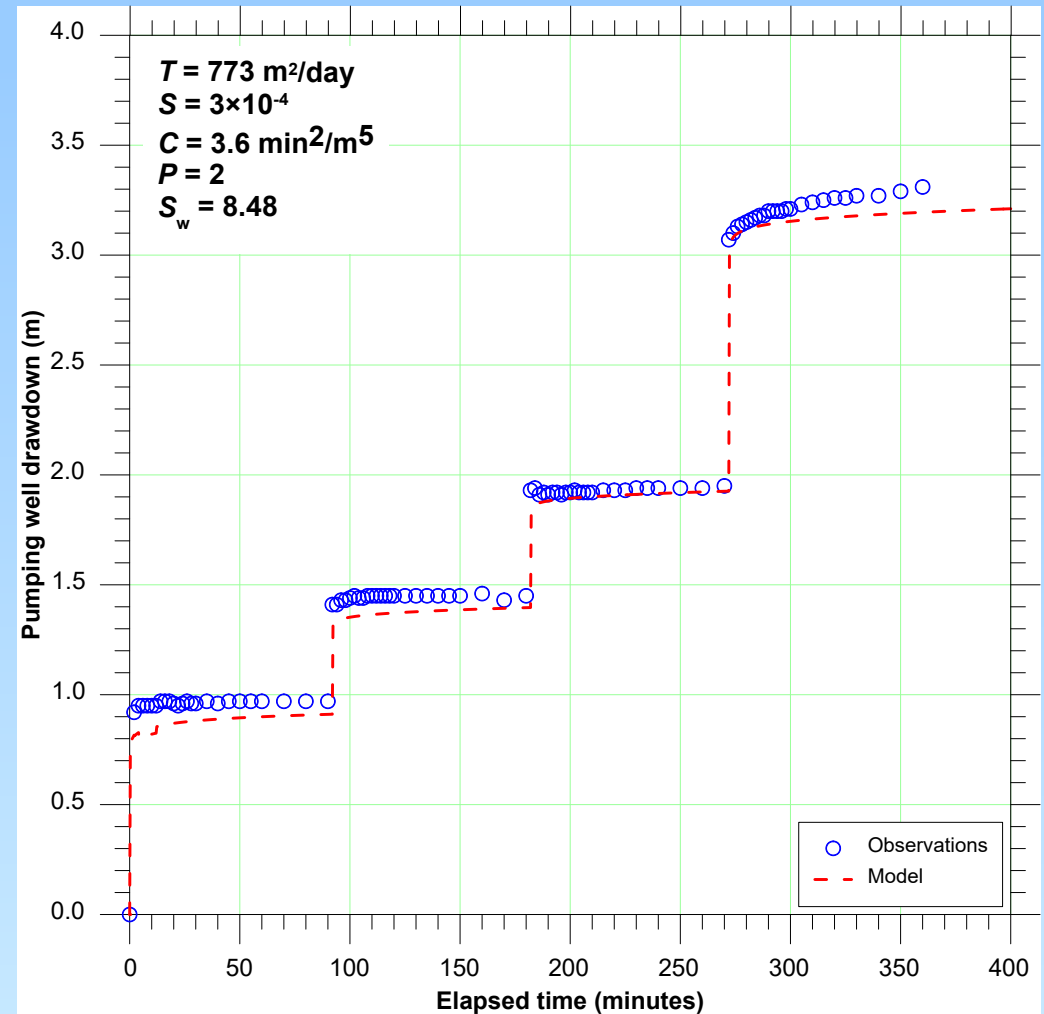
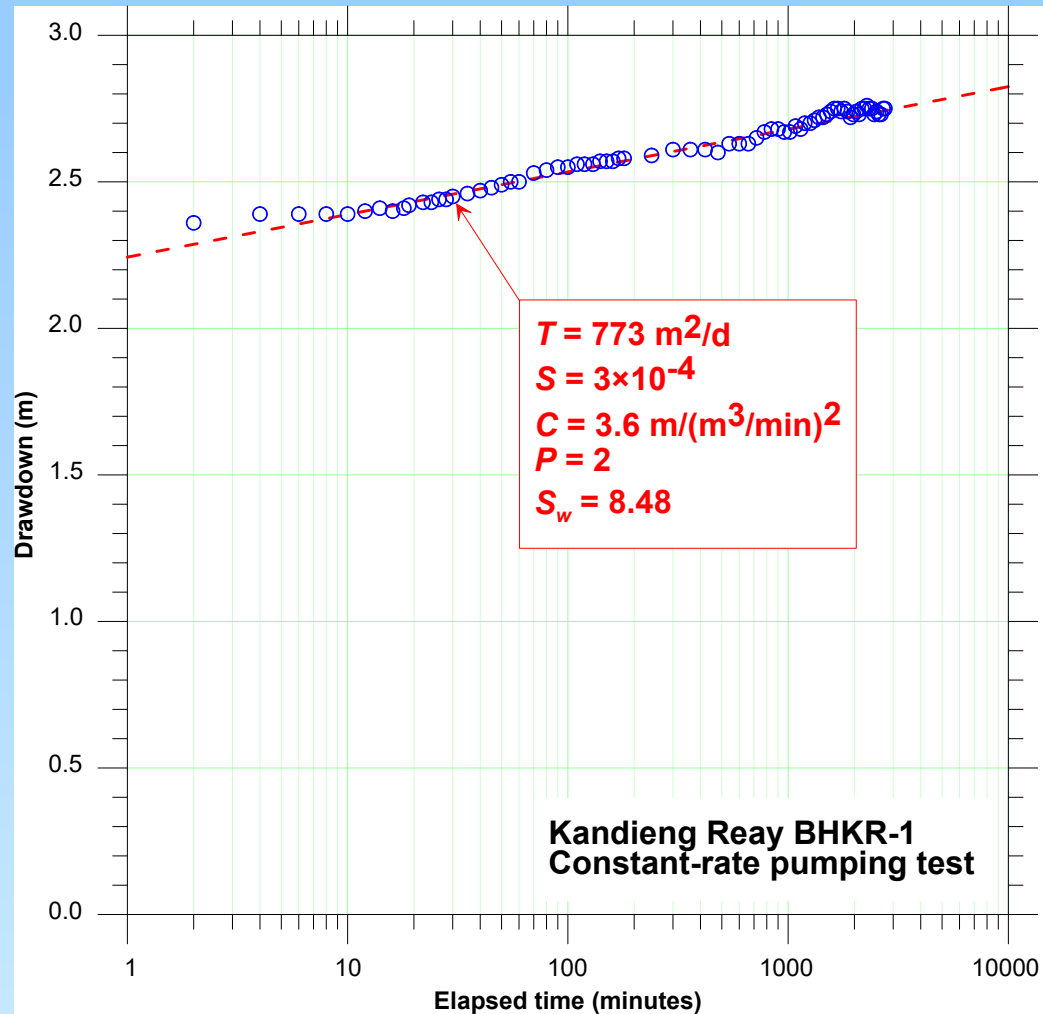
Note the non-physical storativity estimate

# Cooper-Jacob analysis #2



The storativity is fixed to estimate the dimensionless skin factor.

# One final iteration



## Take-Home Points (2)

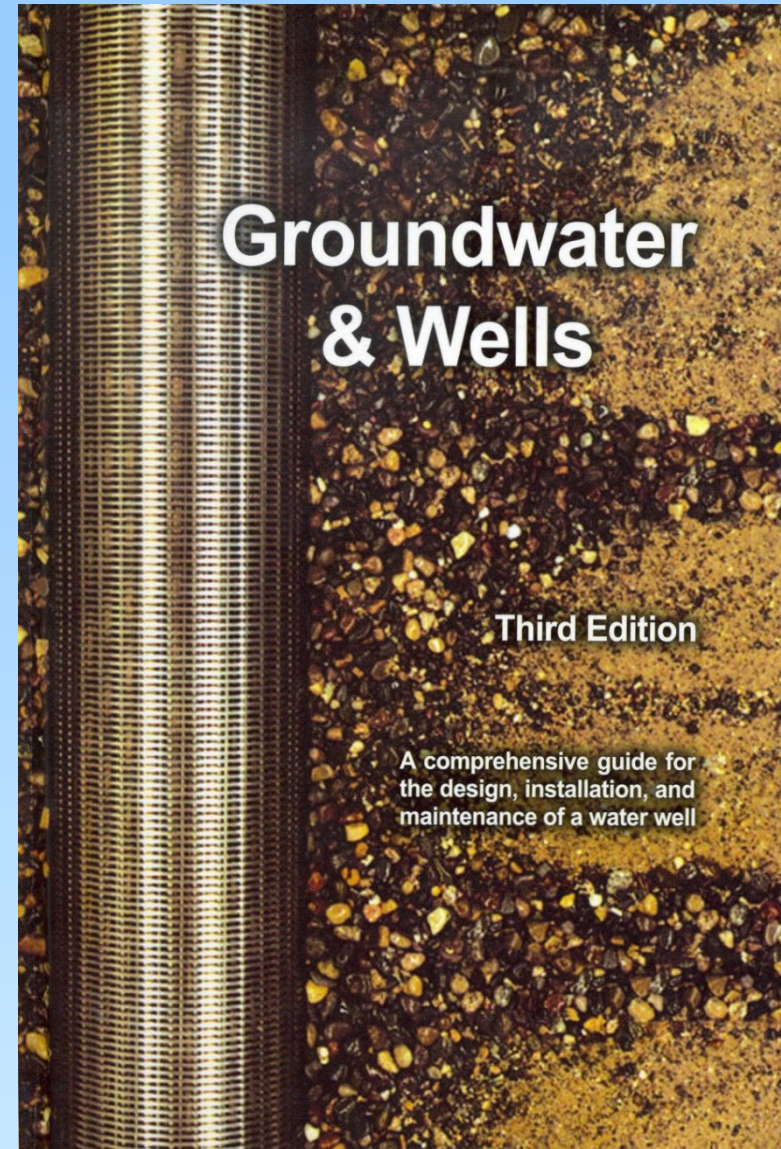
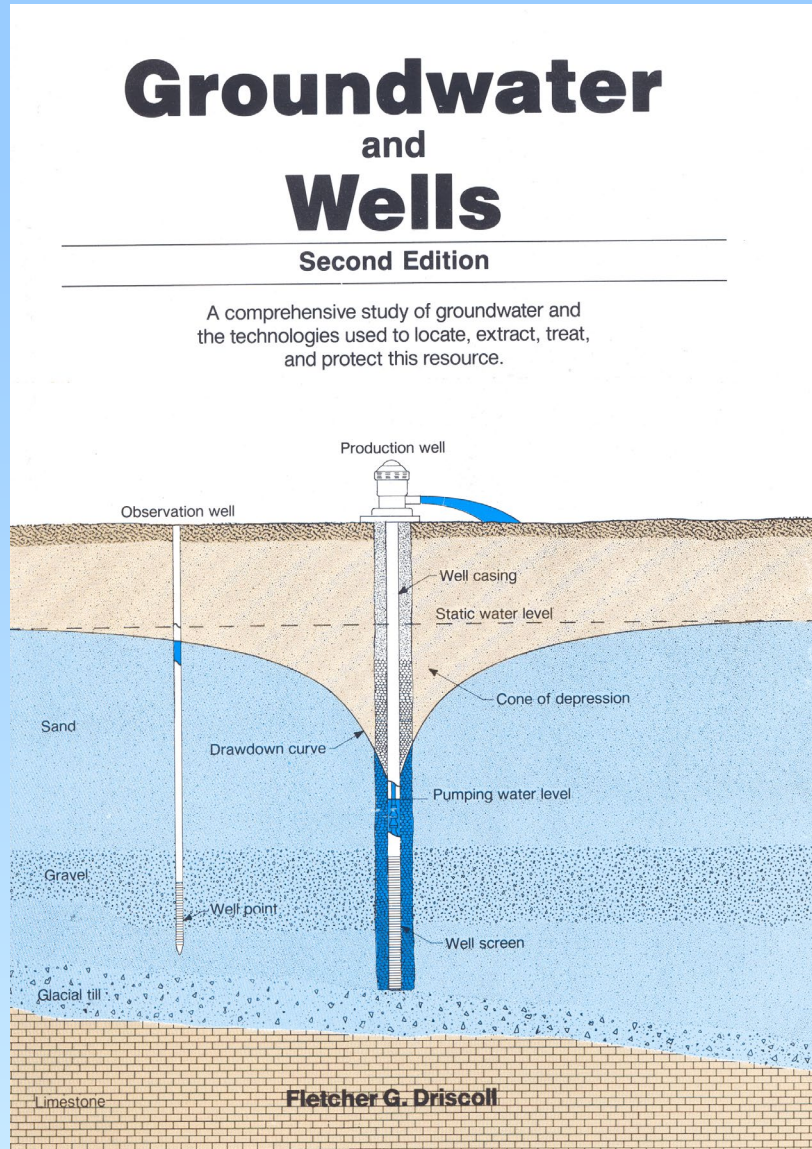
4. Step tests are the only definitive method of evaluating non-aquifer well losses.
5. We usually cannot estimate all parameter values. Watch for non-physical parameter estimates and parameter correlation.
6. Where the data are available, we should try to obtain a consistent set of parameters from step and constant-rate pumping tests.

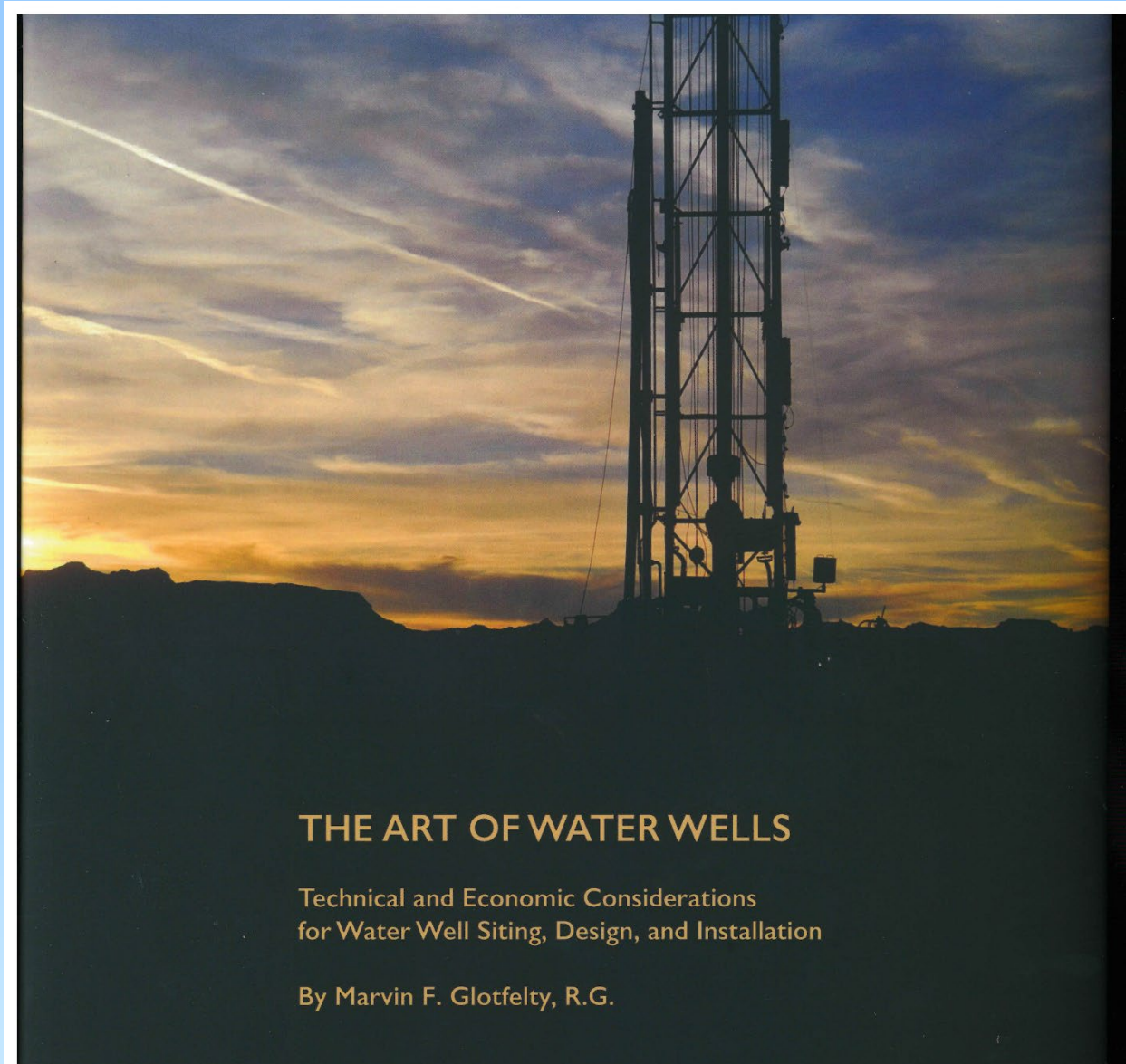
# Estimating the Capacity of a Production Well

This is a huge topic.

My focus will be on the aquifer, but the design of a well has important implications with respect to its capacity.

# Starting point for any self-teaching about production wells





## THE ART OF WATER WELLS

Technical and Economic Considerations  
for Water Well Siting, Design, and Installation

By Marvin F. Glotfelty, R.G.

# Key definitions

## 1. Safe yield of a well

*The average rate at which a well can be pumped without the water level in the well declining below a specified minimum level.*

## 2. Sustainable yield of a well

*The average rate at which a well can be pumped without causing unacceptable impacts.*

**For this presentation:**

**Safe yield = Long-term capacity**

## General approach for estimating the long-term capacity of a production well

$$Q_{\max} = Q_{\text{test}} \times \frac{s_{w-\max}}{s_{w-\text{test}}(t^*)}$$

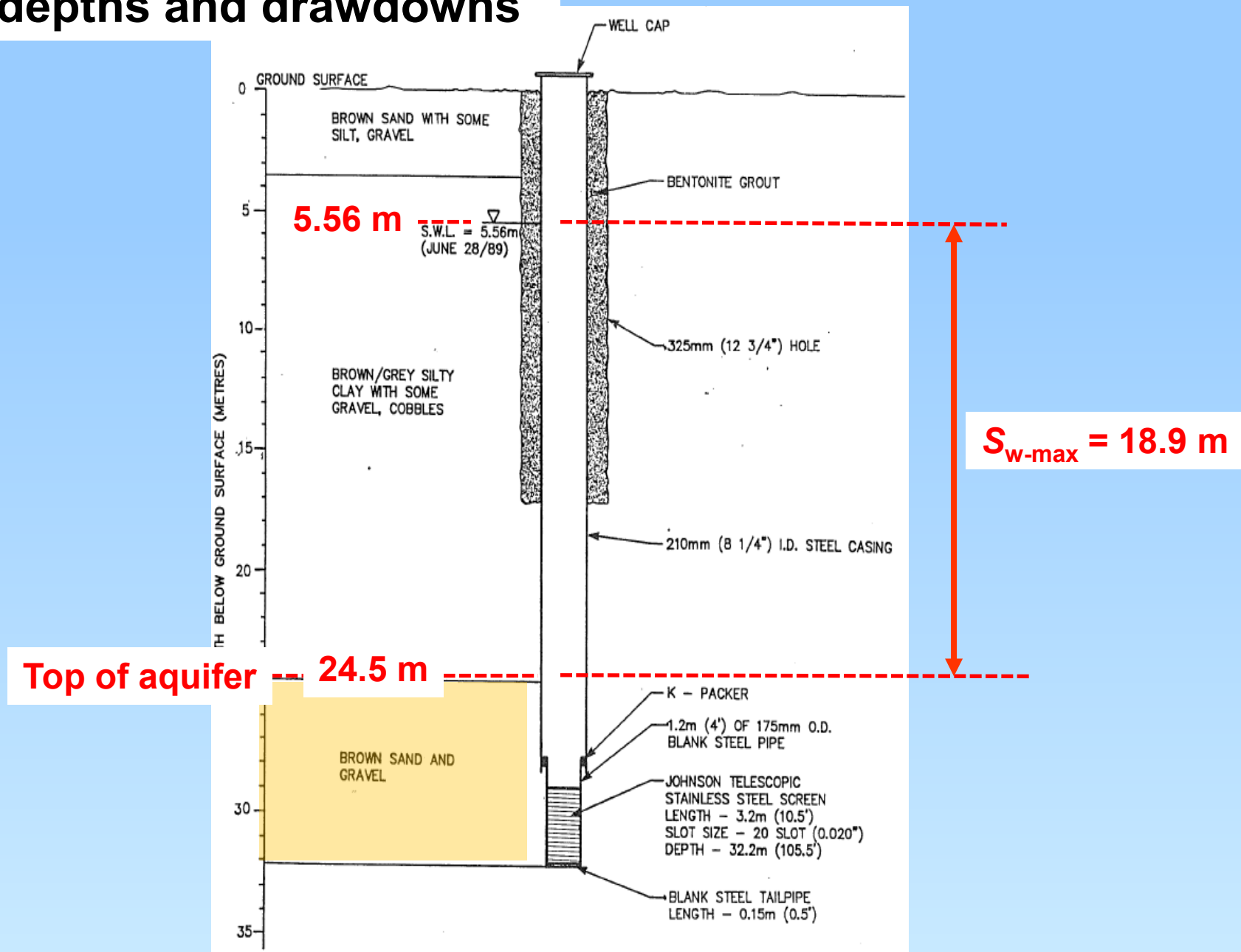
$t^*$  = lifespan of the well

$s_{w-\text{test}}(t^*)$  = drawdown extrapolated to  $t^*$

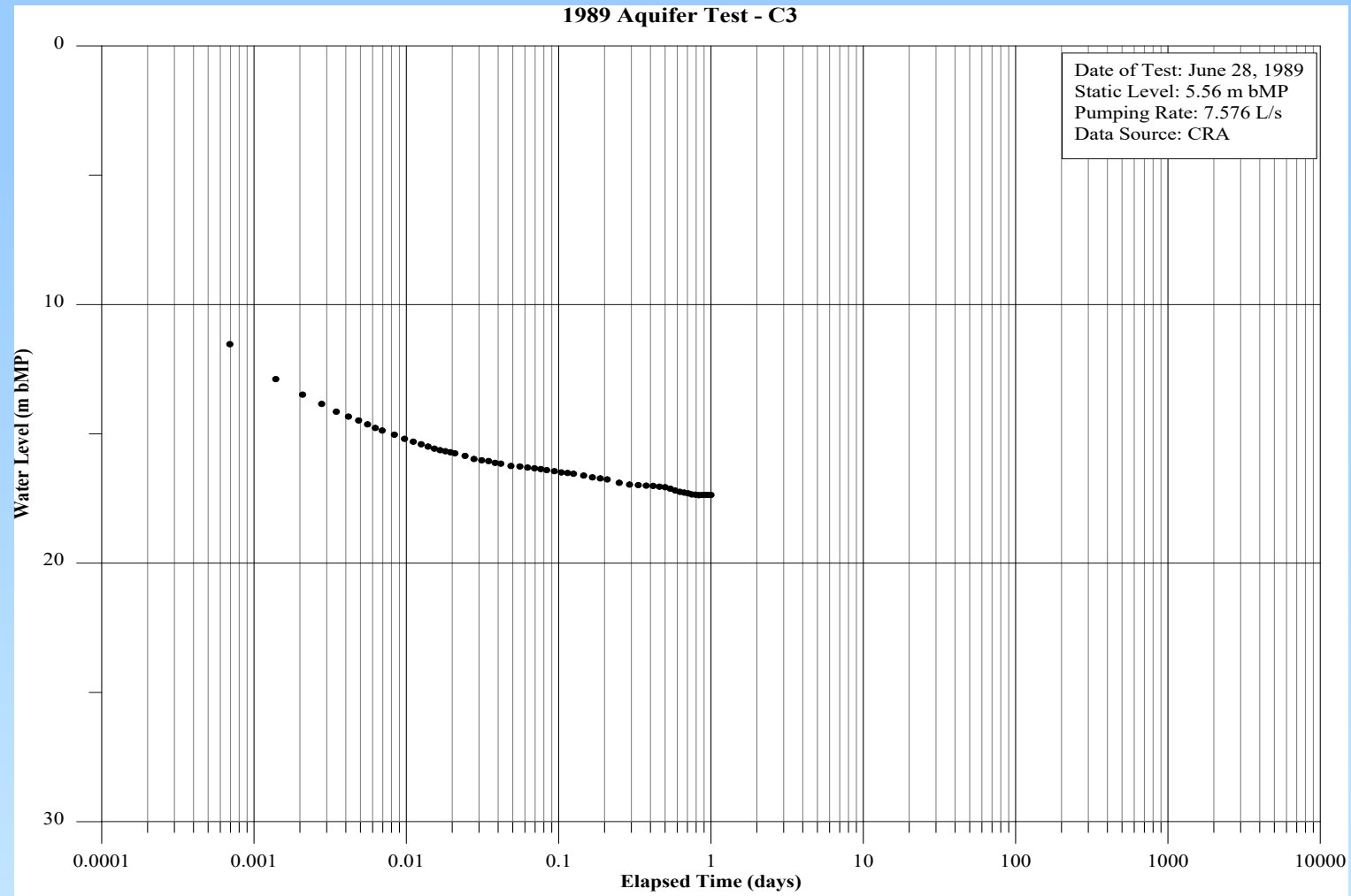
# Case study: Conestogo C3



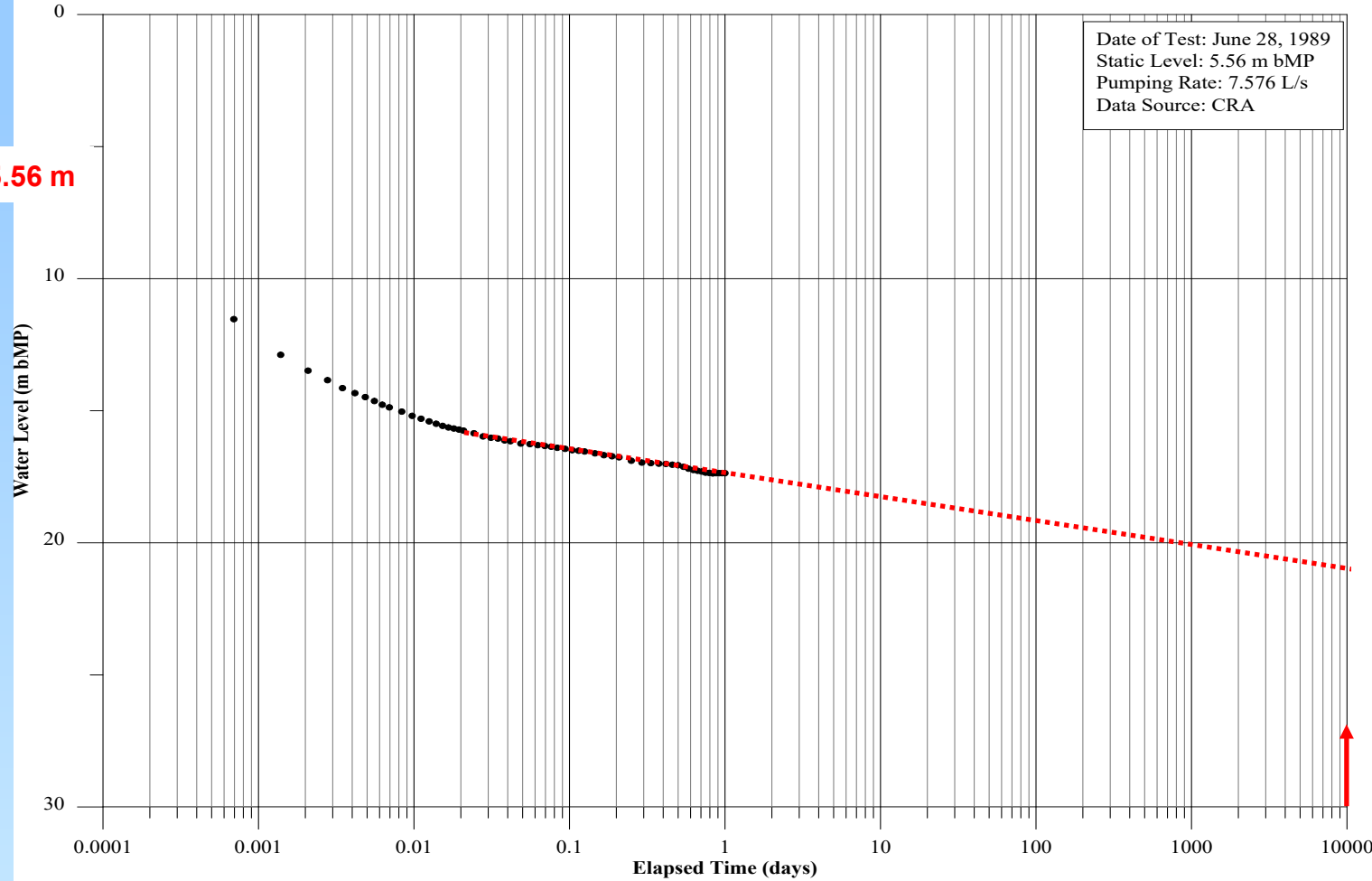
# Key depths and drawdowns



# 24-hour pumping test



1989 Aquifer Test - C3



5.56 m

Date of Test: June 28, 1989  
Static Level: 5.56 m bMP  
Pumping Rate: 7.576 L/s  
Data Source: CRA

$$Q_{\text{test}} = 7.576 \text{ L/s}$$

$$s_w(t^*) = 15.44 \text{ m}$$

~21 m

$t^* \sim 25 \text{ years}$

## Estimation of well capacity

$$s_{w-\max} = 18.9 \text{ m} - 1.5 \text{ m} \\ = 17.4 \text{ m}$$

$$Q_{\max} = (7.576 \text{ L/s}) \times \frac{(17.4 \text{ m})}{(21 \text{ m} - 5.56 \text{ m})} \\ = \mathbf{8.5 \text{ L/s}}$$

- What is the underlying conceptual model?
- How might we be wrong?

## Take-home lessons (3)

1. Even something as apparently simple as the estimation of the long-term capacity of a production well is a subtle undertaking.
2. Every analysis we conduct has an underlying conceptual model. It is crucial to be aware of the assumptions implicit in the conceptual model.
3. A good hydrogeologist develops an appreciation of how conditions at a site might deviate from the conceptual model, and an understanding of how those deviations might affect the results of the analysis.